

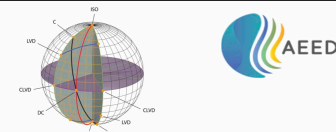


Regional Moment Tensor Inversion using Rotational Observations

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Introduction / Summary

1. We use the simplest approach to calculate rotational Greens functions for incorporating into regional moment tensor (MT) inversions (see section 2).
2. We did not have three-component (3-C) rotational data "yet" so we used array-derived rotations from the Pinon Flat Observatory in California and Gokay array in Enid, Oklahoma. We successfully demonstrate inclusion of 3-C rotational with 3-C translational data into MTINV version 4.0.0 [https://sourceforge.net/projects/mtinv/]. (see section 3).
3. We examined the sensitivity of Full-MT solutions by including 3-C rotational data with regular translational displacement data using Network Sensitivity Solution (NSS) approach by plotting the percent variance reduction on Eigenvalue sphere or Lunc (see section 4).
4. The examples of two and three-station 3-C datasets with 3-C rotational data improved the MT solution sensitivity, by increasing Double-Couple (DC) components and reducing Compensated Linear Vector Dipole (CLVD) and isotropic (ISO) components relative to using just the 3-C translational displacement data alone (see section 4).

Motivation: Donner et al. (2016) published a paper titled, "Inversion for seismic moment tensors combining translational and rotational ground motions." Their encouraging study is based on synthetic scenarios and states: "Our results indicate that the resolution of the moment tensor can be increased drastically by incorporating rotational ground motion data. Especially, the usually problematic components M_{xz} and M_{yz} as well as all components containing spatial derivatives with depth..."

1. Exploring Rotational and Displacement Synthetic and Radiation Patterns using a Gradient 3-D Velocity Model

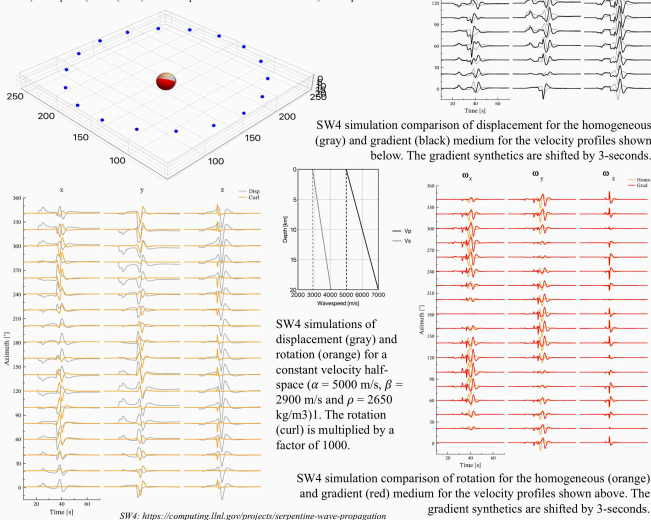
1.1) The displacement radiation patterns are provided by Aki and Richards (2002) Equation 4.33 and the far-field S is:

$$AFS = \cos(2\theta)\cos(\phi)\sin(2\phi)\sin(2\phi)$$

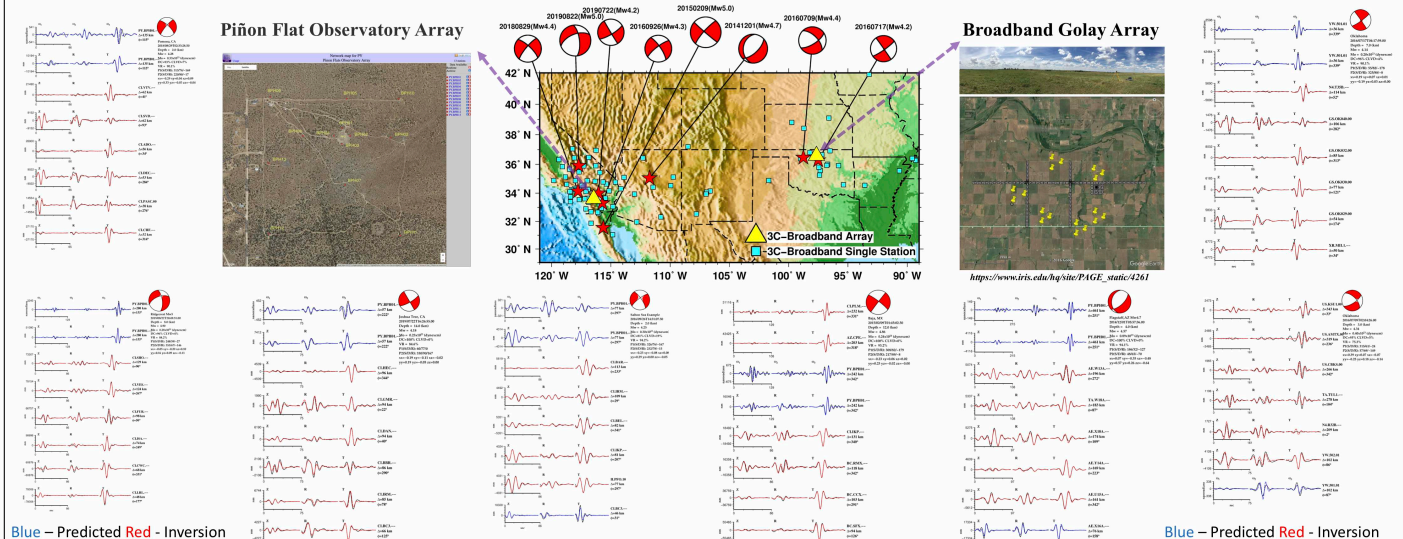
where θ and ϕ are the unit vectors in the spherical coordinate system (shown in Aki and Richards (2002) Figure 4.4). The rotation radiation pattern is provided by Cochard et al. (2006) Equation 3.4. The far-field radiation is a function of the derivative of the moment-rate function and its radiation pattern is:

$$AR = \cos(\theta)\sin(\phi)\sin(2\phi)\sin(2\phi)$$

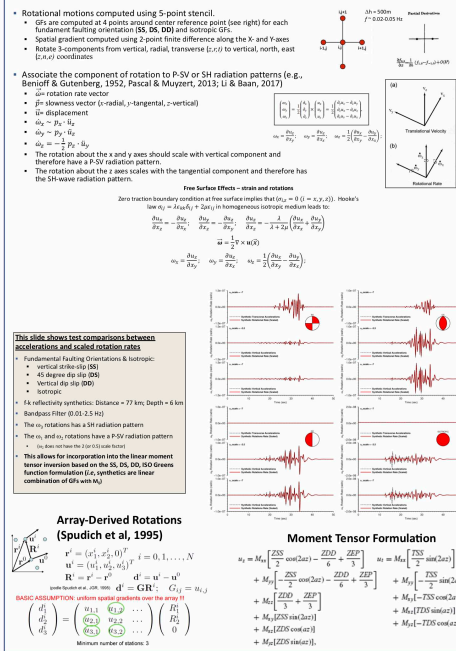
1.3) Thus, one six-component (6-C) station can gather the same information on radiation pattern as two three-component (3-C) stations at 90° azimuth from one another along the focal plane axis, which is sometimes difficult to obtain when restricted to surface sensors. Additionally, information on the derivative of the moment-rate function can be obtained in the far-field, which would provide a constraint on the source-time function, though not in the case of long-period moment tensors, where the source-time function is taken as a step (or moment-rate delta). We demonstrate the difference in the waveform by simulating the displacements at stations at a distance of 100 km from a M 5 normal faulting (strike = 33°, rake = -76°, dip = 50°) earthquake (Brune (1970) source displacement with 1-sec rise-time) at a depth of 10 km.



3. Waveform Data and Deviatoric Moment Tensor Inversion Results: Broadband 3-C Arrays and 3-C Single Stations



2. Methods: Computing Rotational Green Functions for MT Inversion



4. Full Moment Tensor Inversion Sensitivity Results (Network Sensitivity Solutions) with and without Rotational 3-C Data

