

Defining the Magnitude: Patterns, Regularities and Direct TOA-Surface Flux Relationships in the 15-Year Long CERES Satellite Data — Observations, Model and Theory

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Observations

CERES EBAF TOA and SFC Ed2.8 and Ed4.0 data
Global Means (Mar2000-Feb2016) (Rose et al. 2017)

All Sky	Ed4	Ed2.8	Clear Sky	Ed4	Ed2.8
TOA SW Insolation	340.04	339.87	TOA SW Insolation	340.04	339.87
TOA SW Up	99.23	99.62	TOA SW Up	53.41	52.50
TOA LW Up	240.14	239.60	TOA LW Up	268.13	265.59
SFC SW Down	187.04	186.47	SFC SW Down	243.72	244.06
SFC SW Up	23.37	24.13	SFC SW Up	29.81	29.74
SFC LW Down	344.97	345.15	SFC LW Down	314.07	316.27
SFC LW Up	398.34	398.27	SFC LW Up	397.59	398.40

There are patterns in these fluxes.

Pattern 1: The SFC absorbed energy (SW down – SW up + LW down) in the clear-sky equals to 2OLR, with a difference of 0.6 Wm⁻² in Ed2.8 and 8.3 Wm⁻² in Ed4.0.

Pattern 2: The net (non-radiative) energy at the surface in clear-sky = SFC Net = SW down – SW up + LW down – LW up equals to the G greenhouse effect = SFC LW up – TOA LW up with Diff = -0.6 Wm⁻² (Ed2.8) and 0.9 Wm⁻² (Ed4.0).

Pattern 3: Ed 2.8 Clear-sky integer ratios: G = SFC LW up – TOA LW up = 132.8 (1); TOA LW up = 265.6 (2); SFC LW up = 398.4 (3); E(SFC) = 530.6 (4).

Pattern 4: Pattern 1 is valid for the all-sky by adding surface LW cloud radiative effect: SW net + LW down = 2OLR + SFC LWCRE. Diff = 0.7 (Ed2.8), 0.9 (Ed4) Wm⁻²

Pattern 5: All-sky integer ratios: with UNIT = OLR(all-sky)/9 = 240.1/9 = 26.68 Wm⁻² (Ed4)

Clear-sky, Ed2.8, time period 2001-2015, climate year:

	SW down	SW up	SW abs	LW abs	E(SFC)	OLR	2OLR	Diff
CLIM 1	253.35	31.34	224.01	306.27	530.28	262.43	524.86	5.42
CLIM 2	251.86	29.86	222	307.98	529.98	262.78	525.56	4.42
CLIM 3	246.89	30.09	216.8	311.09	527.89	263.42	526.84	1.05
CLIM 4	242.26	31.63	210.63	315.14	525.77	265.01	530.02	-4.25
CLIM 5	237.33	32.21	205.12	320.27	525.39	267.18	534.36	-8.97
CLIM 6	233.41	28.67	204.74	325.70	530.44	269.05	538.1	-7.66
CLIM 7	231.63	25.72	205.91	328.35	534.26	269.75	539.5	-5.24
CLIM 8	233.65	24.42	209.23	327.05	536.28	269.12	538.24	-1.96
CLIM 9	239.24	25.80	213.44	321.82	535.26	267.58	535.16	0.1
CLIM 10	247.06	29.92	217.14	315.28	532.42	265.25	530.5	1.92
CLIM 11	243.97	33.13	210.84	309.57	529.81	263.26	526.52	3.29
CLIM 12	256.35	33.52	222.83	306.74	529.57	262.38	524.76	4.81
Average	244.08	29.74	214.34	316.27	530.61	265.60	531.20	-0.59

214.34 + 316.27 = 530.61 = 2 × 265.60 – 0.59 **Pattern 1**

Clear-sky, Ed2.8, climate year, 2001-2015

	ULW	OLR	G	Net SFC	ULW+G	2OLR	Diff
CLIM 1	388.3	262.43	125.87	141.98	514.17	524.86	10.69
CLIM 2	389.89	262.78	127.11	140.09	517	525.56	8.56
CLIM 3	393.31	263.42	129.89	134.57	523.2	526.84	3.64
CLIM 4	398.51	265.01	133.5	127.26	532.01	530.02	-1.99
CLIM 5	403.29	267.18	136.11	122.09	539.4	534.36	-5.04
CLIM 6	407.64	269.05	136.59	122.3	540.23	538.1	-2.13
CLIM 7	409.1	269.75	139.35	125.17	544.45	539.5	-4.95
CLIM 8	407.83	269.12	138.71	128.46	546.54	538.24	-8.30
CLIM 9	403.85	267.58	136.27	131.41	540.12	535.16	-4.96
CLIM 10	397.76	265.25	132.51	134.65	530.27	530.5	0.23
CLIM 11	392.27	263.26	129.01	137.54	529.78	526.52	3.26
CLIM 12	389.00	262.38	126.62	140.57	515.62	524.76	9.14
average	398.39	265.60	132.80	132.22	531.19	531.20	0.01

ULW – G = OLR (def.); Data: G = Net SFC (= SH+LH)

ULW + G = 2OLR, Diff = 0.01 (!!!) W/m² =>

G = OLR/2 <=> g = G/ULW = 1/3 **Pattern 2**

Pattern 4	SW abs	LW abs	E(SFC)	OLR(all)	SFC LWCRE	2OLR-LWCRE	Diff
CLIM1	166.42	335.38	501.8	236.94	29.49	503.17	-1.37
CLIM2	167.55	337.14	504.7	237.41	29.21	504.33	0.37
CLIM3	166.66	339.93	506.59	237.72	28.89	504.33	2.26
CLIM4	162.97	344.67	507.64	238.42	29.58	506.42	1.22
CLIM5	157.83	349.22	507.65	240.52	29.62	509.12	-1.99
CLIM6	155.31	359.44	508.79	242.38	29.21	512.97	-4.18
CLIM7	156.73	355.84	512.59	243.72	28.16	515.58	-2.99
CLIM8	160.33	355.23	515.56	243.88	28.2	515.56	0
CLIM9	163.59	350.78	514.37	242.13	28.43	512.69	1.68
CLIM10	164.08	345.39	509.47	239.66	28.98	508.3	-1.17
CLIM11	163.66	339.84	503.5	237.19	29.82	504.2	-0.7
CLIM12	164.19	336.4	500.59	236.33	29.75	502.37	-1.78
Average	162.46	348.27	507.73	239.64	28.97	503.25	-0.53

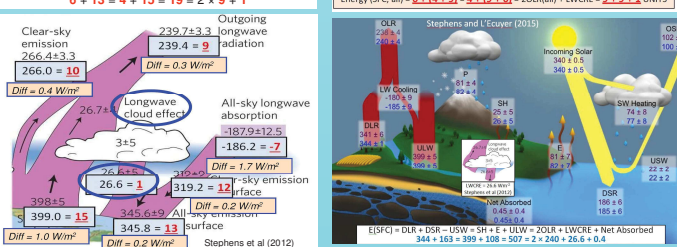
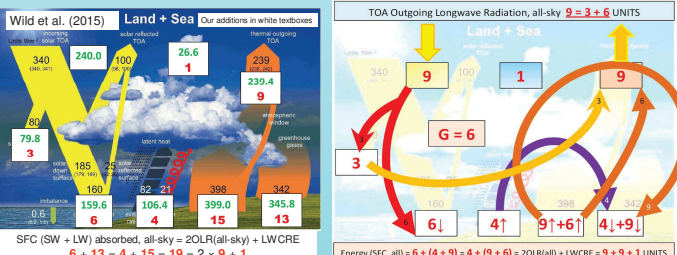
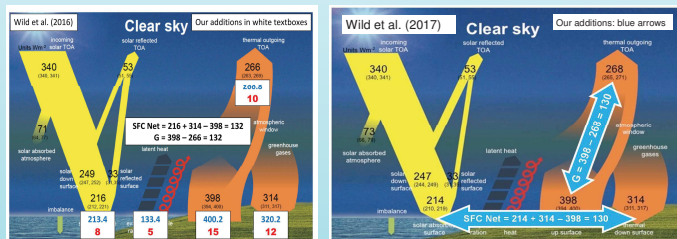
SFC (SW in + LW in) = 2OLR(all) + SFC LWCRE (-0.53 W/m²)

Model

The observed CERES EBAF fluxes can be modeled as integer multiples of a unit flux. The model data set is Edition MZ.

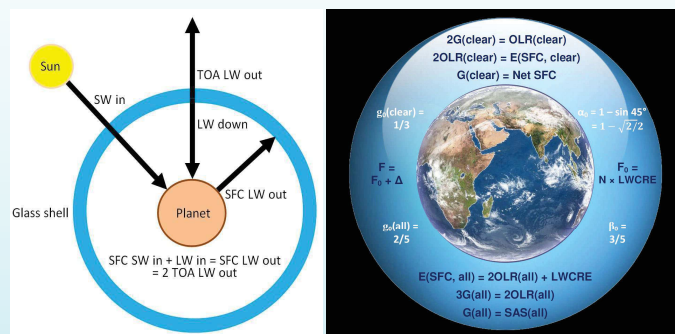
All-sky	Ed4.0	Ed2.8	EdMZ	N	Ed4.0 – EdMZ	Ed2.8 – EdMZ
TOA SW in	340.04	339.87	340.04		0.0	-0.27
TOA LW Up	240.14	239.60	240.14	9	0.0	-0.54
SFC SW in	163.67	162.34	160.09	6	3.58	2.25
SFC LW Down	344.97	345.15	346.87	13	-1.90	-1.72
SFC (SW in + LW in)	508.64	507.49	506.96	19	1.68	0.53
SFC LW Up	398.34	398.27	400.23	15	-1.89	-1.96
SFC Net	110.30	109.22	106.73	4	3.57	2.49
G	158.20	158.67	160.09	6	-1.89	-1.42
2TOA LW Up+LWCRE	511.18	508.08	506.96	19	4.22	1.12

Clear-sky	Ed4.0	Ed2.8	EdMZ	N	Ed4.0 – EdMZ	Ed2.8 – EdMZ
TOA SW in	340.04	339.87	340.04		0.0	-0.17
TOA LW Up	268.13	265.59	266.82	10	1.31	-1.23
SFC SW in	213.91	214.32	213.47	8	0.44	0.85
SFC LW in	314.07	316.27	320.18	12	-6.11	-3.91
SFC SW + LW in	527.98	530.59	533.65	20	-5.67	-3.06
SFC LW Up	397.59	398.40	400.23	15	-2.64	-1.83
SFC Net	130.39	132.19	133.42	5	-3.03	-1.23
G	129.46	132.81	133.42	5	-3.96	-0.61



Theory

The simplest greenhouse model: A planet surrounded by an SW-transparent, LW-opaque, non-turbulent “glass shell” atmosphere. Here the total surface absorption is exactly twice the outgoing longwave radiation, because of the geometry.



From here, all the patterns, including the integer ratios, can be deduced by using simple arithmetic relationships.

Clear-sky integer ratios in Costa-Shine (2012) LBL-computation:

	STI	G	ATM	OLR	ULW	2OLR
Costa-Shine (2012):	65	127	194	259	386	518
Pattern:	65	130	195	260	390	520
Ratios:	1	2	3	4	6	8
Difference:	0	3	1	1	4	2 (Wm ²)

The patterns as integers:

Pattern1 (clear-sky): SFC (SW + LW) (in) = 2 × OLR = 2 × 10

Pattern 2 (clear-sky): SFC Net = ULW – OLR = 5

Pattern3 (clear-sky): STI / G / ATM / OLR / ULW / E(SFC) = 1 / 2 / 3 / 4 / 6 / 8

Pattern4 (all-sky): SFC (SW + LW) (in) = 2OLR + LWCRE

Pattern5 (all-sky): F = N × UNIT, UNIT = OLR(all-sky) / 9.

Conclusions

There are robust patterns in the CERES global means. What are they: coincidences? Or conspiracy ☹? No; they have sound theoretical basis: integer data set is presented to reproduce the patterns, and a simple greenhouse model (IR-opaque limit, glass shell geometry) offers the physical background for the basic ratios. All fluxes are within 1σ range. Compared to the model data, the difference to Ed4.0 clear-sky SFC SW absorption is only 0.44 Wm⁻² and to all-sky SFC LW down is -1.9 Wm⁻²; the clear-sky DLR in Ed4.0 is too low by 6.1 Wm⁻² and the clear-sky OLR is too high by 1.3 Wm⁻².

<http://www.globalenergybudget.com>

Poster:

AGU 2017 Fall Meeting: A53G-2367

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ePoster:

<https://agu.confex.com/agu/fm17/meetingapp.cgi/Paper/205884>

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Handout:

28th CERES Science Team Meeting Presentation
2017 September 27, NASA Goddard Space Flight Center
Greenbelt, MD.

Miklos Zagoni

Patterns in the CERES Global Mean Data



*"To search for something – though it be mushrooms –
or some pattern – is impossible, unless you look and try."*

Dmitri Mendeleev

CERES_EBAF-Surface_Ed4.0

Data Quality Summary (May 26, 2017)

Table 5-1. Global mean surface fluxes in W m^{-2} computed from EBAF Ed4.0 and EBAF Ed2.8 for March 2000-February 2016.

All-sky	Ed4	Ed2.8	Ed4 – Ed2.8
TOA SW insolation	340.0	339.9	0.17
SW down	187.0	186.5	0.57
SW up	23.4	24.1	-0.76
SW net ¹	163.7	162.3	1.33
LW down	345.0	345.2	-0.18
LW up	398.3	398.3	0.07
LW net ¹	-53.4	-53.1	-0.25
SW+LW net	110.3	109.2	1.08
Clear-sky			
TOA SW insolation	340.0	339.9	0.17
SW down	243.7	244.1	-0.33
SW up	29.8	29.7	0.07
SW net ¹	213.9	214.3	0.41
LW down	314.1	316.3	-2.20
LW up	397.6	398.4	-0.81
LW net ¹	-83.5	-82.1	1.39
SW+LW net ¹	130.4	132.2	-1.80

¹ Net is computed by downward – upward.

Fred Rose et al Global Means(Mar2000-Feb2016)

All Sky	Ed4	Ed2.8	Ed4 –Ed2.8
TOA SW Insolation	340.04	339.87	0.17
TOA SW Up	99.23	99.62	-0.39
TOA LW Up	240.14	239.60	0.54
SFC SW Down	187.04	186.47	0.57
SFC SW Up	23.37	24.13	-0.76 (3.1%)
SFC LW Down	344.97	345.15	-0.18
SFC LW Up	398.34	398.27	0.07
Clear Sky	Ed4	Ed2.8	Ed4 –Ed2.8
TOA SW Insolation	340.04	339.87	0.17
TOA SW Up	53.41	52.50	0.91 (1.73%)
TOA LW Up	268.13	265.59	2.54
SFC SW Down	243.72	244.06	-0.33
SFC SW Up	29.81	29.74	0.07
SFC LW Down	314.07	316.27	-2.20
SFC LW Up	397.59	398.40	-0.81

Pattern 1. SFC energy in = 2 × TOA LW out

Clear-sky	Ed2.8
TOA SW in	339.87
TOA SW up	52.50
TOA LW up	265.59
SFC SW down	244.06
SFC SW up	29.74
SFC SW in (down – up)	214.32
SFC LW down	316.27
SFC SW + LW absorbed	530.59
SFC LW up	398.40
SFC SW + LW net	132.19
G = SFC LW up – TOA LW up	132.81
2TOA LW up	531.18
Diff	–0.59

Clear-sky, Ed2.8
Surface energy absorbed
 SW + LW (Wm^{-2}):

$$\begin{aligned}
 &(\text{SW down} - \text{SW up}) + \text{LW down} \\
 &= (244.06 - 29.74) + 316.27 \\
 &= 214.32 + 316.27 \\
 &= \mathbf{530.59}
 \end{aligned}$$

$$\begin{aligned}
 \text{TOA LW out} &= 265.59 \\
 2 \times \text{TOA LW out} &= \\
 &= \mathbf{531.18}
 \end{aligned}$$

$$\text{Diff} = \mathbf{-0.59 \text{ Wm}^{-2}}$$

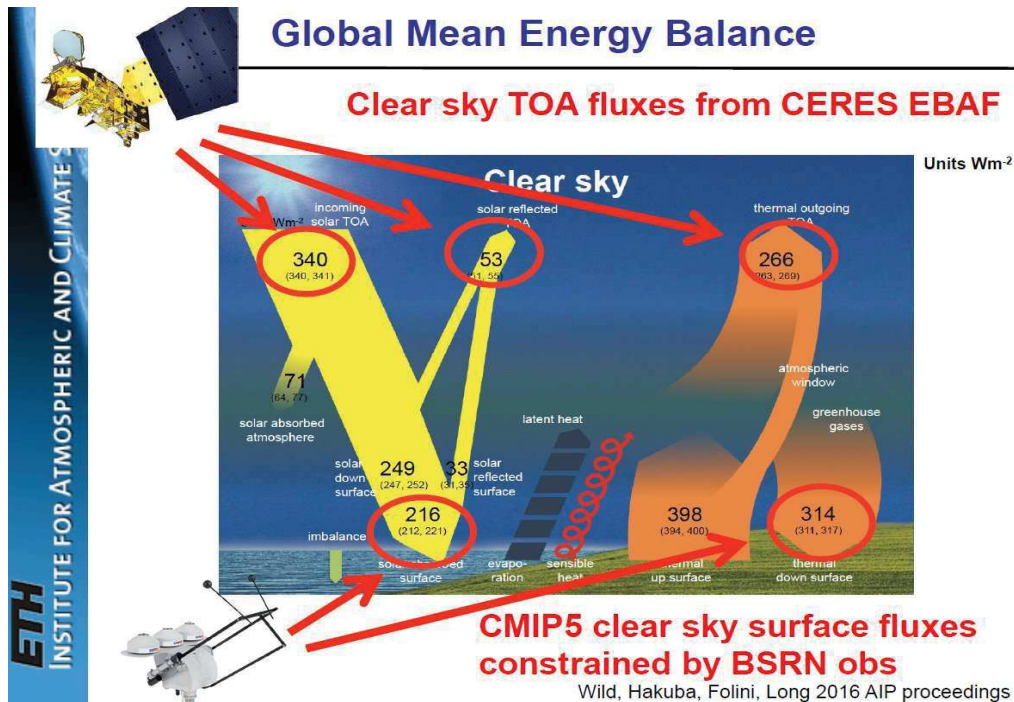
$$214.32 + 316.27 = 2 \times 265.59 - 0.59$$

Clear-sky, Ed2.8, time period 2001-2015, **climate year**:

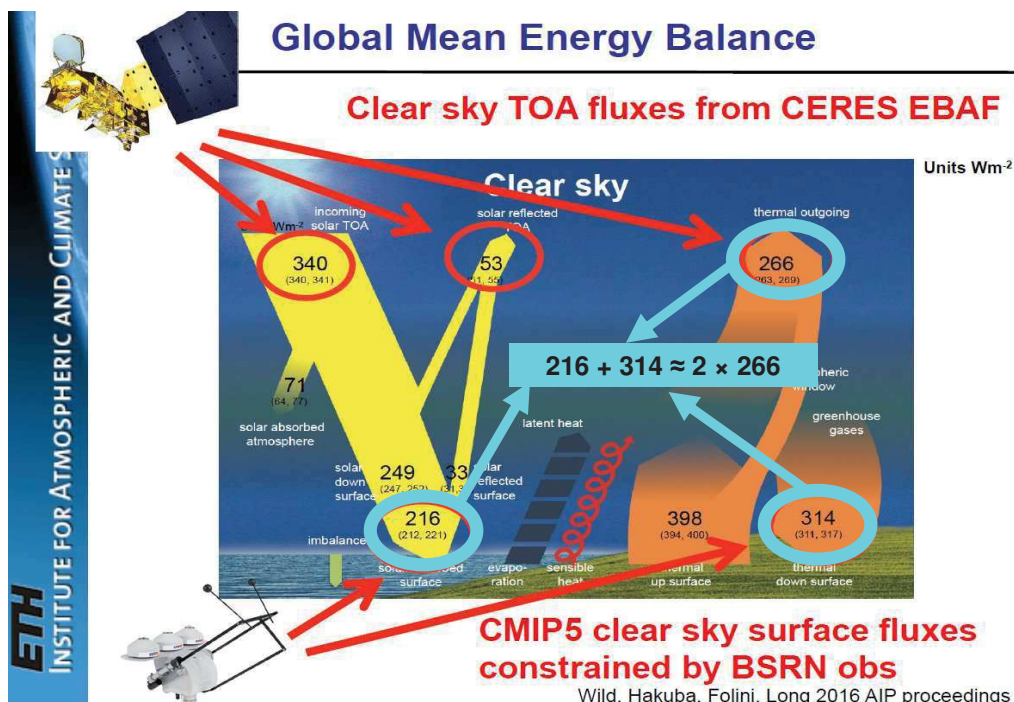
	SW down	SW up	SW abs	LW abs	E(SFC)	OLR	2OLR	Diff
CLIM 1	255.35	31.34	224.01	306.27	530.28	262.43	524.86	5.42
CLIM 2	251.86	29.86	222	307.98	529.98	262.78	525.56	4.42
CLIM 3	246.89	30.09	216.8	311.09	527.89	263.42	526.84	1.05
CLIM 4	242.26	31.63	210.63	315.14	525.77	265.01	530.02	-4.25
CLIM 5	237.33	32.21	205.12	320.27	525.39	267.18	534.36	-8.97
CLIM 6	233.41	28.67	204.74	325.70	530.44	269.05	538.1	-7.66
CLIM 7	231.63	25.72	205.91	328.35	534.26	269.75	539.5	-5.24
CLIM 8	233.65	24.42	209.23	327.05	536.28	269.12	538.24	-1.96
CLIM 9	239.24	25.80	213.44	321.82	535.26	267.58	535.16	0.1
CLIM 10	247.06	29.92	217.14	315.28	532.42	265.25	530.5	1.92
CLIM 11	253.97	33.73	220.24	309.57	529.81	263.26	526.52	3.29
CLIM 12	256.35	33.52	222.83	306.74	529.57	262.38	524.76	4.81
Average	244.08	29.74	214.34	316.27	530.61	265.60	531.20	-0.59

$$214.34 + 316.27 = 530.61 = 2 \times 265.60 - 0.59$$

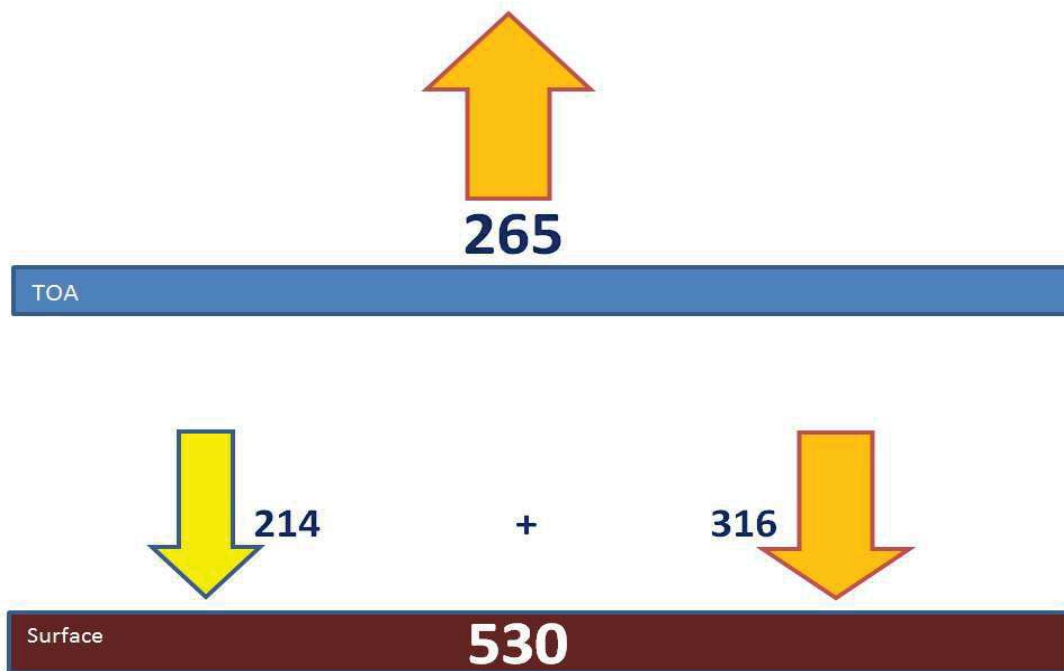
$$\mathbf{E(\text{SFC in, clear-sky}) = (\text{SW down} - \text{SW up}) + \text{LW in} = 2\text{OLR} - \text{EEI}}$$



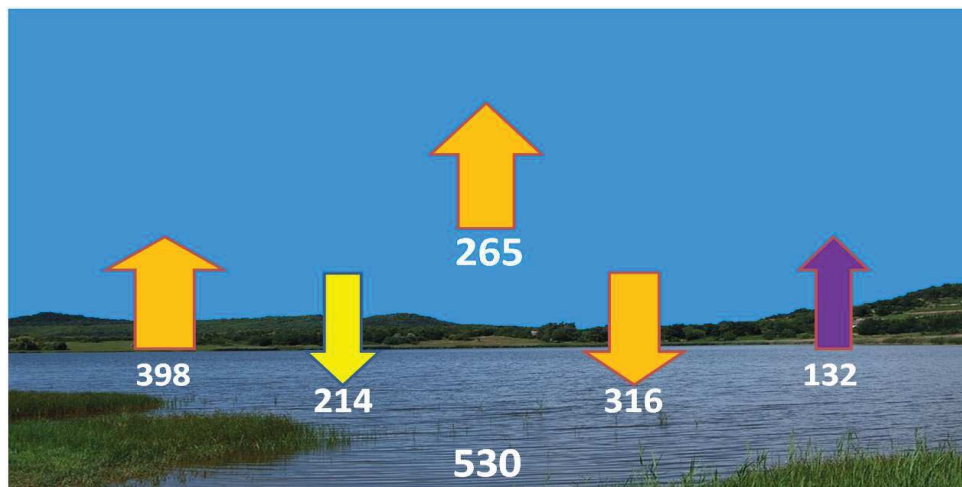
TOA and SFC fluxes from independent data sources



solar absorbed surface + thermal down surface = 2 × thermal outgoing TOA



Energy (surface in, clear sky) = $SW_{\downarrow \text{ abs}} + LW_{\downarrow \text{ abs}} = 2 \times OLR$



Surface energy budget, clear-sky, CERES EBAF Ed2.8

Solar absorbed + thermal absorbed = 2 outgoing longwave TOA

$$214.34 + 316.28 = 2 \times 265.6 - 0.58 \text{ Wm}^{-2}$$

$$SW_{\text{ abs}\downarrow} + LW_{\text{ abs}\downarrow} = 2OLR(\text{clear}) - 0.58 \text{ Wm}^{-2}$$

=> Net planetary imbalance for July 2005-June 2010: $0.58 \pm 0.43 \text{ Wm}^{-2}$

Pattern 2. SFC Net = G

Clear-sky	Ed2.8
TOA SW in	339.87
TOA SW up	52.50
TOA LW up	265.59
SFC SW down	244.06
SFC SW up	29.74
SFC SW in	214.32
SFC LW in	316.27
SFC SW + LW absorbed	530.59
SFC LW up	398.40
SFC Net	132.19
G	132.81
Diff	-0.62

SFC Net Flux (non-radiative)

= SFC (SW in + LW in)

– SFC LW up

SFC Net = 214.32 + 316.27

– 398.40

= **132.19**

G = SFC LW up – TOA LW up

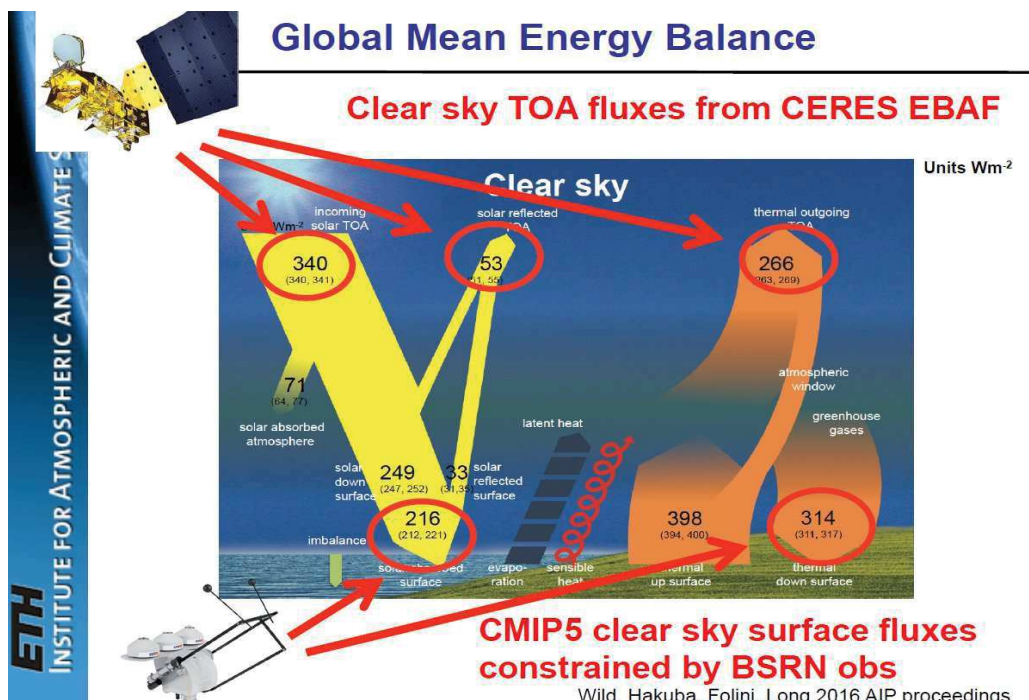
= ULW – OLR =

= **132.81**

Diff (W m^{-2})

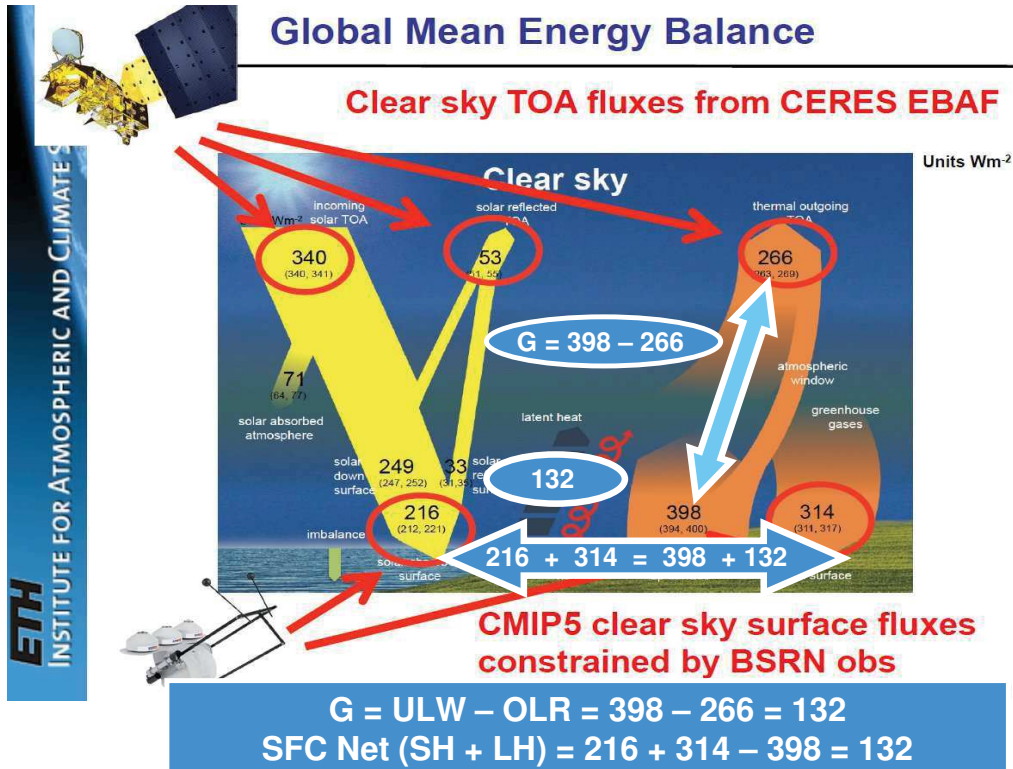
= **-0.62**

CERES 26th STM October 2016, Martin Wild, slide #36

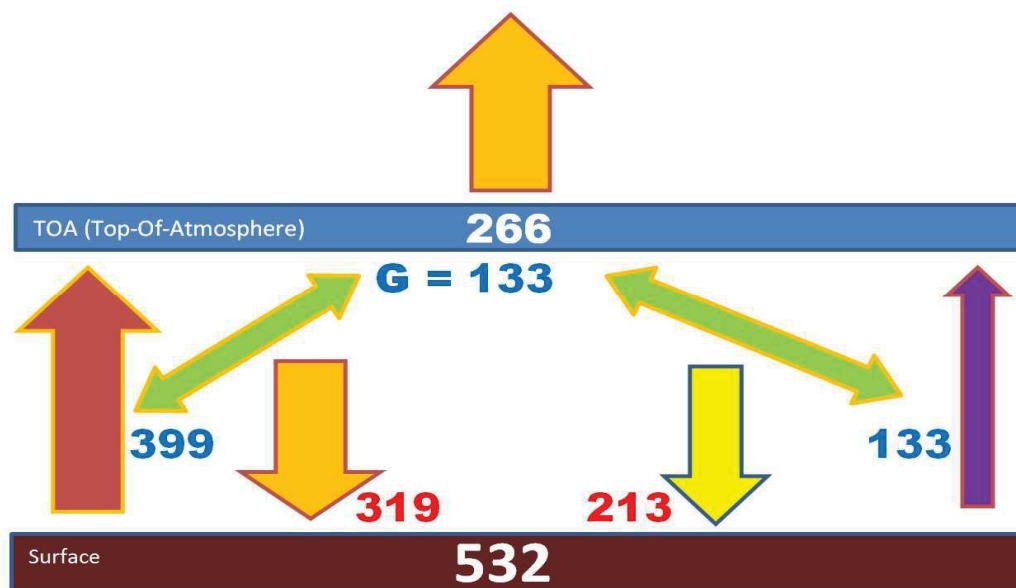


TOA and SFC fluxes from independent data sources

G = SFC Net (turb, non-rad)



Clear-sky ratios



$$G / \text{OLR} / \text{ULW} / \text{E}(\text{SFC}) = 133 / 266 / 399 / 532 = 1 / 2 / 3 / 4$$

Clear-sky, Ed2.8, climate year, 2001-2015

	ULW	OLR	G	Net SFC	ULW+G	2OLR	Diff
CLIM 1	388.3	262.43	125.87	141.98	514.17	524.86	10.69
CLIM 2	389.89	262.78	127.11	140.09	517	525.56	8.56
CLIM 3	393.31	263.42	129.89	134.57	523.2	526.84	3.64
CLIM 4	398.51	265.01	133.5	127.26	532.01	530.02	-1.99
CLIM 5	403.29	267.18	136.11	122.09	539.4	534.36	-5.04
CLIM 6	407.64	269.05	138.59	122.8	546.23	538.1	-8.13
CLIM 7	409.1	269.75	139.35	125.17	548.45	539.5	-8.95
CLIM 8	407.83	269.12	138.71	128.46	546.54	538.24	-8.30
CLIM 9	403.85	267.58	136.27	131.41	540.12	535.16	-4.96
CLIM 10	397.76	265.25	132.51	134.65	530.27	530.5	0.23
CLIM 11	392.27	263.26	129.01	137.54	521.28	526.52	5.24
CLIM 12	389.00	262.38	126.62	140.57	515.62	524.76	9.14
average	398.39	265.60	132.80	132.22	531.19	531.20	0.01

ULW – G = OLR (def.); **Data:** G = Net SFC (= SH+LH)

ULW + G = 2OLR, Diff = **0.01** (!!!) W/m² =>

G = OLR/2 <=> g = G/ULW = 1/3

Greenhouse effect and normalized greenhouse factors,
years 2001 – 2015, $g = G/ULW$.

Integer ratios: **g(all) = 6/15 = 2/5 = 0.4**; **g(clear) = 5/15 = 1/3**

g(all-sky) and g(clear-sky), CERES EBAF Edition 2.8 (March 27, 2015), monthly mean

Theoretical lattice state at $g(\text{all-sky}) = 6/15 = 2/5 = 0.4$ and $g(\text{clear-sky}) = 5/15 = 1/3 = 0.3333$

Best fit: $g(\text{all-sky}) = 0.40006$ (in year 2015) $g(\text{clear-sky}) = 0.33338$ (in year 2011)

Increase: $g(\text{all-sky})$ from 0.397 to 4.000; $g(\text{clear-sky})$ from 0.3313 to 0.3355

2001	G = ULW - OLR		g = G/ULW		
ULW	OLR(all-sky)	G(all-sky)	g(all-sky)	OLR(clear-sky)	g(clear-sky)
386.52	236.38	150.14	0.378000	262.3	0.321381
387.61	236.47	151.14	0.375000	262.54	0.32267
391.6	236.94	154.66	0.381000	263.06	0.328243
397.01	237.91	159.1	0.390000	265.06	0.332359
402.96	240.44	162.52	0.399000	267.65	0.33579
405.53	241.76	163.77	0.406000	268.82	0.337114
407.84	243.54	164.3	0.413000	269.85	0.338343
407.41	244.1	163.31	0.416000	269.77	0.337841
403.6	241.67	161.93	0.417000	267.36	0.337562
398.07	239.21	158.86	0.399000	265.59	0.332806
392.62	237.55	155.07	0.395000	264.09	0.327365
388.71	236.21	152.5	0.392000	262.55	0.324561
Average	239.35	158.11	0.396754	265.72	0.331336

2010	OLR(all)	G	g(all)	OLR(clear)	g(clear)
388.1	237.59	150.51	0.387812	262.85	0.322726
389.76	237.47	152.29	0.390728	262.85	0.325611
393.82	238.31	155.51	0.394876	264.01	0.329618
399.41	238.16	161.25	0.40372	264.94	0.336672
404.04	240.59	163.45	0.404539	267.39	0.338209
407.37	242.28	165.09	0.405258	268.59	0.340673
408.44	243.36	165.08	0.404172	269.23	0.340833
407.45	243.86	163.59	0.401497	268.8	0.340287
403.91	242.07	161.84	0.400683	267.34	0.33812
398.44	239.44	159	0.399056	265.16	0.334505
392.67	237.56	155.11	0.395014	263.27	0.329539
387.61	236.18	151.43	0.390676	261.87	0.324398
			0.398169		0.333433
2011	OLR(all)	G	g(all)	OLR(clear)	g(clear)
386.56	235.86	150.7	0.389849	261.37	0.323857
388.4	237.52	150.88	0.388465	262.45	0.324279
392.56	237.85	154.71	0.394105	262.84	0.330446
398.11	238.17	159.94	0.401748	264.42	0.335812
403.06	239.29	163.77	0.406317	266.37	0.339131
407.06	241.97	165.09	0.405567	268.68	0.33995
408.41	243.95	164.46	0.402684	269.79	0.339414
407.51	244.05	163.46	0.401119	268.91	0.340114
403.66	242.92	160.74	0.398206	267.47	0.337388
398.28	239.02	159.26	0.399869	264.73	0.335317
391.79	236.81	154.98	0.395569	262.76	0.329335
388.35	235.99	152.36	0.392327	261.92	0.325557
			0.397985		0.33338

Pattern 3. Clear-sky integer ratios

Costa and Shine (2012) Line-By-Line

- ULW = 386 Wm^{-2}
- OLR = 259 Wm^{-2}
- ATM = 194 Wm^{-2}
- G = 127 Wm^{-2}
- STI = 65 Wm^{-2}

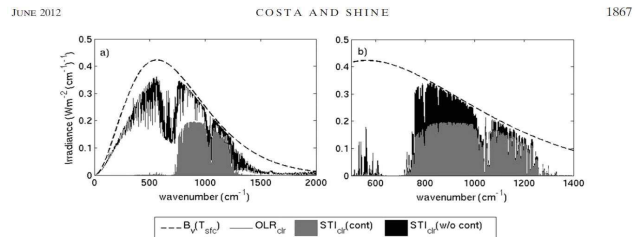


FIG. 1. Spectral distribution of the clear-sky Earth Radiation Budget components [$\text{W m}^{-2} (\text{cm}^{-1})^{-1}$] using a global-mean atmosphere. (a) Longwave irradiance emitted by surface $B_s(T_{sf})$ assuming it to be a blackbody, the outgoing longwave radiation (OLR_{Rb}), and surface transmitted irradiance including the water vapor continuum [$\text{STI}_{Rb}(\text{cont})$]. (b) As in (a), over a smaller wavenumber interval, but includes, instead of OLR_{Rb} , the surface transmitted irradiance when the water vapor continuum is excluded [$\text{STI}_{Rb}(\text{w/o cont})$].

	STI	G	ATM	OLR	ULW	2OLR
CS12 =	65	127	194	259	386	518
Pattern	65	130	195	260	390	520
Ratios	1	2	3	4	6	8

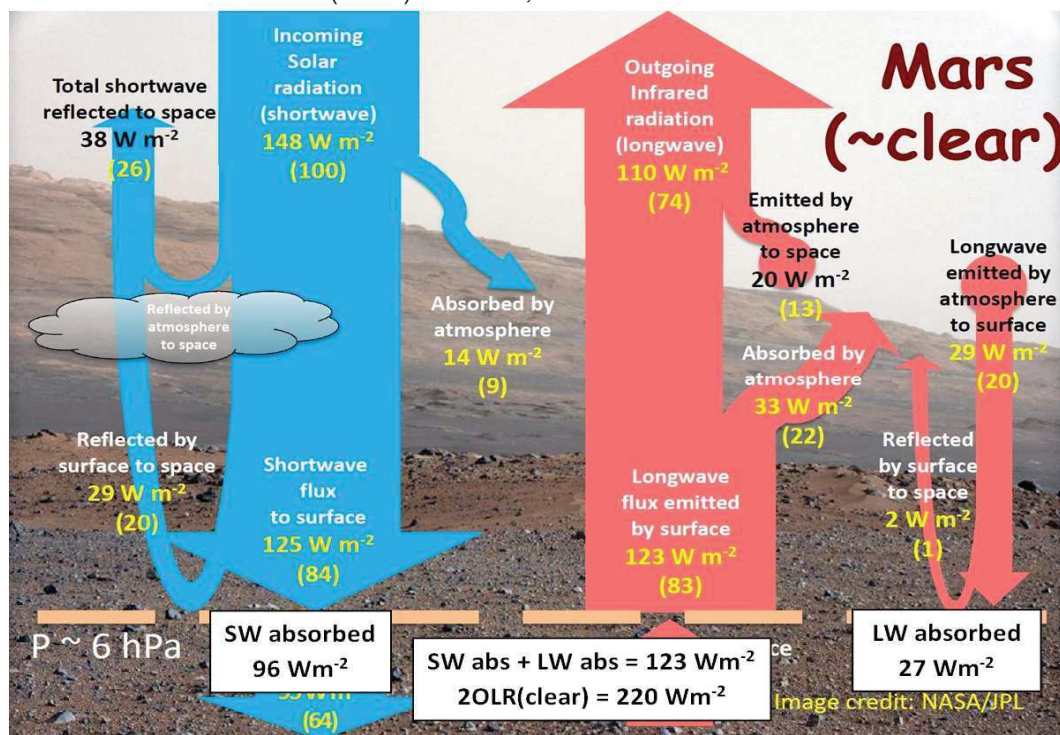
Diff 0 3 1 1 4 2 (Wm^{-2})

1. $E(\text{SFC, clear}) = 2\text{OLR}(\text{clear})$
2. $G(\text{clear}) = \text{SFC Net}(\text{clear})$
3. $G(\text{clear}) = \text{OLR}(\text{clear})/2$

These are **NOT** universal planetary rules.

- They cannot be deduced from the known *energy in = energy out* balance requirements
- They describe a unique, very specific state
- They are far from being valid, for example, on the Mars:
- The Martian ULW is 123 W m^{-2} , $\text{OLR} = 110$, $G = 13 \text{ W m}^{-2}$, therefore
 $\text{ULW} + G \ll 2\text{OLR}$
 $\text{ULW} - \text{OLR} \ll 2\text{OLR} - \text{ULW}$
 $G \ll \text{OLR}/2$.

Read et al. (2015) QJRMS, our additions in textboxes



Energy (surface, Mars) = SW in + LW in $\ll 2\text{OLR}$; $2G = 26 \text{ W m}^{-2} \ll \text{OLR}$

They belong to a specific geometry

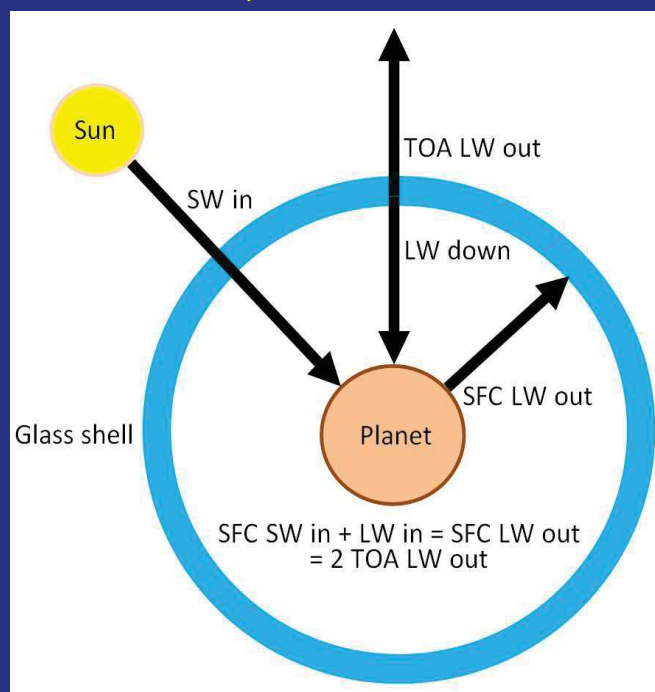
- It is like the **IR-opaque limit**:
a planet surrounded by a

SW-transparent
LW-opaque
non-turbulent

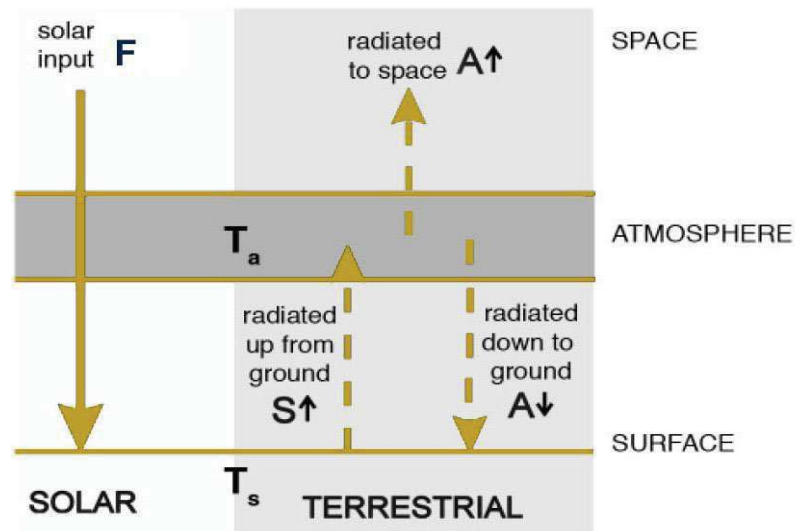
“**glass-shell**” atmosphere.

- The surface radiation here is exactly **twice** the outgoing longwave radiation because of the construction:

Model: an idealized **glass-shell** geometry
 $\text{SFC (SW in + LW in)} = \text{SFC LW out} = 2 \text{ TOA LW out}$



After Mashall and Plumb (2008, Fig. 2.7)
SW-transparent, LW-opaque, non-turbulent



$$F(\text{SW}) + A(\text{LW}) = S(\text{LW}) = 2A(\text{LW})$$

$$G = S - A = A = F$$

All-sky

All-sky	Ed2.8
TOA SW in	339.87
TOA SW up	99.62
TOA LW up	239.60
SFC SW down	186.47
SFC SW up	24.13
SFC SW in	162.34
SFC LW down	345.15
SFC SW + LW absorbed	507.49
SFC LW up	398.27
SFC Net	109.22
G	158.67
SFC LWCRE	28.88
2TOA LW Up + SFC LWCRE	508.08
Diff	-0.59

Ed2.8

SFC energy in:

SW in = 162.35 W/m²

LW in = 345.15 W/m²

SFC (SW in + LW in)

= **507.5**

SFC energy out:

LW up + Net =

= **398.3 + 109.2**

2OLR = 2 × 239.6

= **479.2 W/m²**

Diff = 507.5 – 479.2

= **28.3 W/m²**

28 W/m² difference...

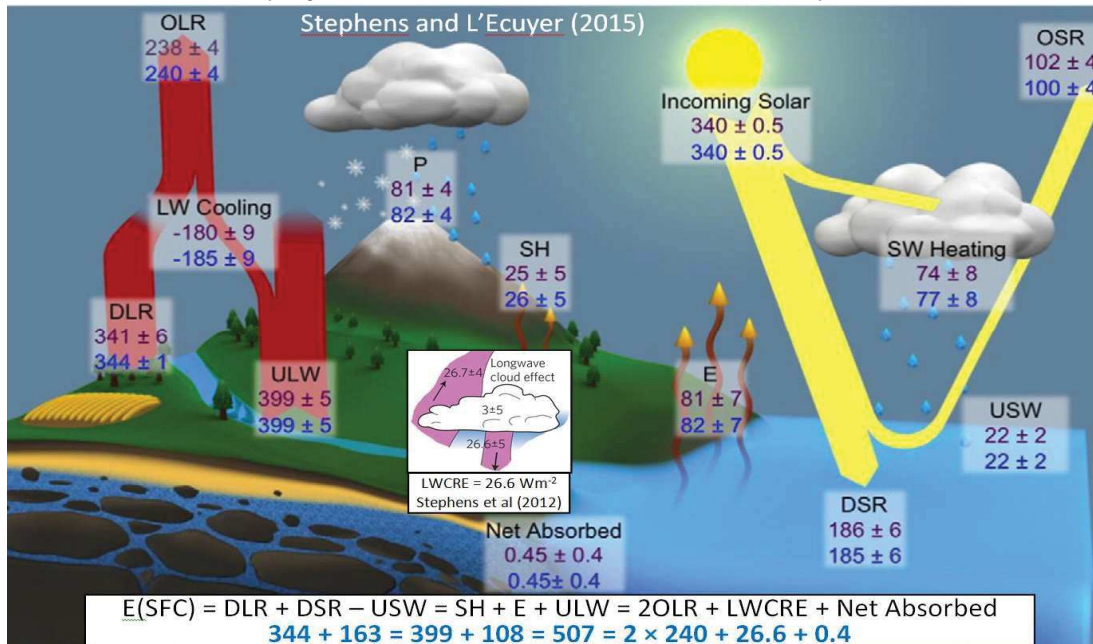
- How much was the cloud longwave radiative effect (LWCRE)?
- LWCRE = 28 W/m².
- What we have here it is this:
**SFC energy in (SW + LW) =
 = 2OLR(all) + SFC LWCRE.**
- *Now THAT might be meaningful :*
- **The surface energy budget in the all-sky
 has the same form as in the clear-sky case,
 PLUS one LW cloud radiative effect.**

Pattern 4. $E(\text{SFC}) = 2\text{OLR}(\text{all}) + \text{LWCRE}$

CLIMYEAR	SW abs	LW abs	E(SFC)	OLR(all)	LWCRE	2OLR+LWCRE	Diff
CLIM 1	166.24	335.34	501.58	236.77	29.51	503.05	-1.47
CLIM 2	167.41	337.07	504.48	237.35	29.58	504.28	0.2
CLIM 3	166.63	339.65	506.28	237.72	28.92	504.36	1.92
CLIM 4	162.87	344.47	507.34	238.42	29.61	506.45	0.89
CLIM 5	157.84	349.06	506.9	240.24	28.64	509.12	-2.22
CLIM 6	155.25	353.3	508.55	242.38	28.25	513.01	-4.46
CLIM 7	156.65	355.73	512.38	243.71	28.18	515.6	-3.22
CLIM 8	160.25	355.1	515.35	243.66	28.23	515.55	-0.2
CLIM 9	163.49	350.65	514.14	242.11	28.5	512.72	1.42
CLIM 10	163.98	345.31	509.29	239.61	28.98	508.2	1.09
CLIM 11	163.53	339.77	503.3	237.15	29.86	504.16	-0.86
CLIM 12	164.09	336.33	500.42	236.28	29.75	502.31	-1.89
average	162.35	345.15	507.50	239.62	29.00	508.23	-0.73

SFC (SW in + LW in) = 2OLR(all) + LWCRE (-0.73 W/m²)

Stephens and L'Ecuyer 2015, Atmos Res (my additions in white textboxes).



$$E(\text{SFC, all}) = \text{LW in} + \text{SW in} = 2\text{OLR}(\text{all}) + \text{LWCRE} + \text{IMB} - 0.05 \text{ (!!!) W/m}^2$$

$$344 + 163 = 2 \times 240 + 26.6 + 0.45 - 0.05$$

All-sky

All-sky	Ed2.8
TOA SW in	339.87
TOA SW up	99.62
TOA LW up	239.60
SFC SW down	186.47
SFC SW up	24.13
SFC SW in	162.34
SFC LW down	345.15
SFC SW + LW absorbed	507.49
SFC LW up	398.27
SFC Net	109.22
G	158.67
SFC LWCRE	28.88
2TOA LW Up + SFC LWCRE	508.08
Diff	-0.59

Ed2.8

SFC energy in
(SW + LW) =
= 162.34 + 345.15
= 507.49

=
2 x TOA LW out
+ SFC LWCRE
= 2 x 239.6 + 28.88 =
508.08

Diff =
-0.59 W m⁻²

Ed4.0

All-sky	Ed4.0
TOA SW in	340.04
TOA SW up	99.23
TOA LW up	240.14
SFC SW down	187.04
SFC SW up	23.37
SFC SW in	163.67
SFC LW down	344.97
SFC SW + LW absorbed	508.64
SFC LW up	398.34
SFC Net	110.30
G	158.20
SFC LWCRE	30.90
2TOA LW Up + SFC LWCRE	511.18
Diff	-2.54

All-sky, Ed4.0

Energy absorbed SFC
(W m⁻²):

$$\begin{aligned} \text{SW in} + \text{LW in} &= \\ 163.67 + 344.97 &= \\ \mathbf{508.64} \end{aligned}$$

$$\begin{aligned} 2 \times \text{OLR} + \text{SFC LWCRE} &= \\ 2 \times 240.14 + 30.90 &= \\ \mathbf{511.18} \end{aligned}$$

$$\text{Diff} = \mathbf{-2.54 \text{ W m}^{-2}}$$

Ed4.0

Clear-sky	Ed4.0
TOA SW in	340.04
TOA SW up	53.41
TOA LW up	268.13
SFC SW down	243.72
SFC SW up	29.81
SFC SW in	213.91
SFC LW down	314.07
SFC SW + LW Absorbed	527.98
SFC LW Up	397.59
SFC Net	130.39
G	129.46
Diff	0.93

Clear-sky, Ed4.0

SFC Net = G

$$\begin{aligned} \text{SFC Net} &= \\ \text{SW in} + \text{LW in} - \text{LW up} &= \\ = 528.0 - 397.6 &= \\ = \mathbf{130.4 \text{ W m}^{-2}} \end{aligned}$$

$$\begin{aligned} G &= \text{ULW} - \text{OLR} = \\ 397.6 - 268.1 &= \\ = \mathbf{129.5 \text{ W m}^{-2}} \end{aligned}$$

$$\text{Diff} = \mathbf{0.9 \text{ W m}^{-2}}$$

Ed4.0

Clear-sky: SFC Net = G

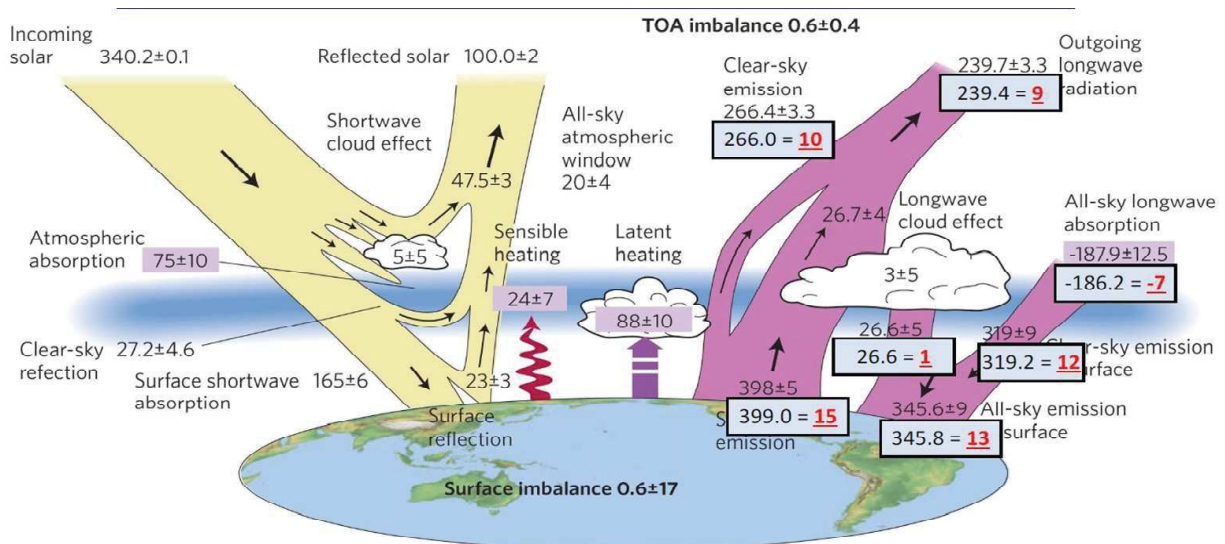
G =SFC Net - Diff								
		ULW clear	OLR clear		G clear	SFC Net		Diff
CLIM 1		388.08	265.08		123	139.01		16.01
CLIM 2		389.63	265.27		124.36	137.49		13.13
CLIM 3		393.06	266.02		127.04	132.44		5.4
CLIM 4		397.64	267.04		130.6	126.25		-4.35
CLIM 5		402.18	268.99		133.19	121.41		-11.78
CLIM 6		405.9	271		134.9	122.11		-12.79
CLIM 7		407.29	272		135.29	124.59		-10.7
CLIM 8		406.4	271.71		134.69	127.49		-7.2
CLIM 9		402.83	270.36		132.47	129.98		-2.49
CLIM 10		397.57	268.14		129.43	132.33		2.9
CLIM 11		392	265.95		126.05	134.61		8.56
CLIM 12		388.69	264.91		123.78	137.19		13.41
Average		397.606	268.039		129.57	130.41		0.84

$$\text{SFC Net} = \text{SW in} + \text{LW in} - \text{LW up} = 213.9 + 314.1 - 397.6 = \mathbf{130.4 \text{ W m}^{-2}}$$

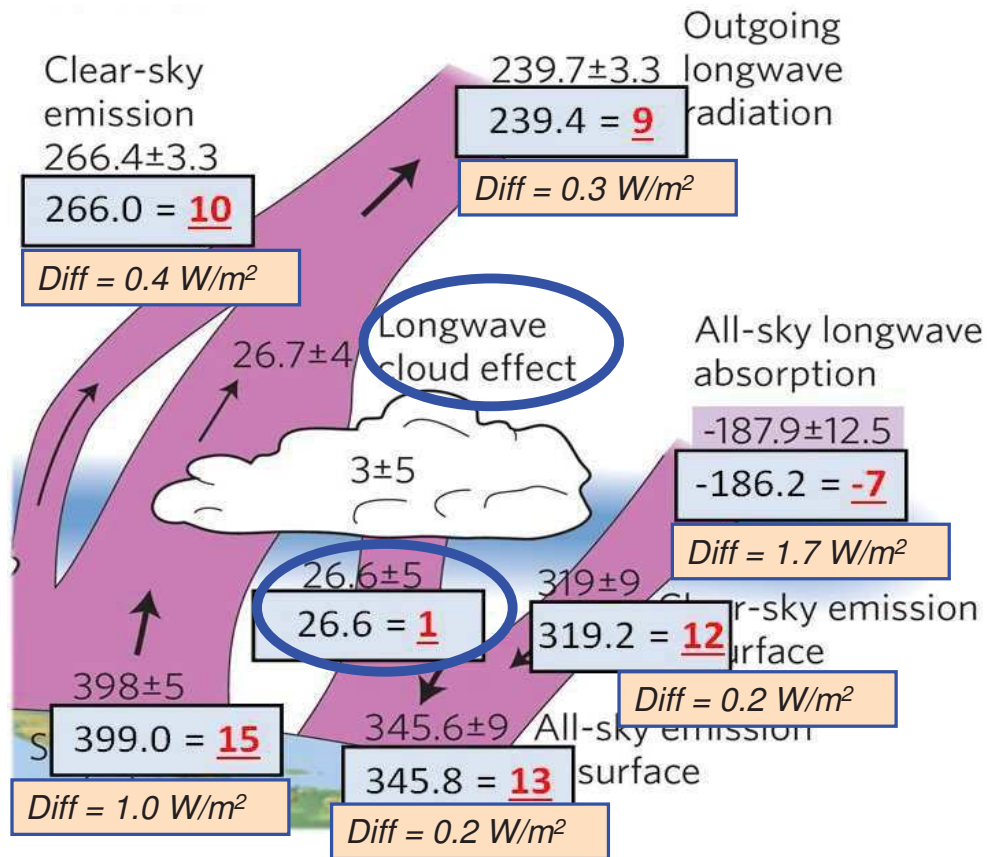
$$G = \text{ULW} - \text{OLR} = 397.6 - 268.0 = 129.6 \text{ W m}^{-2}$$

$$\text{Diff} = \dots = 0.8 \text{ W m}^{-2}$$

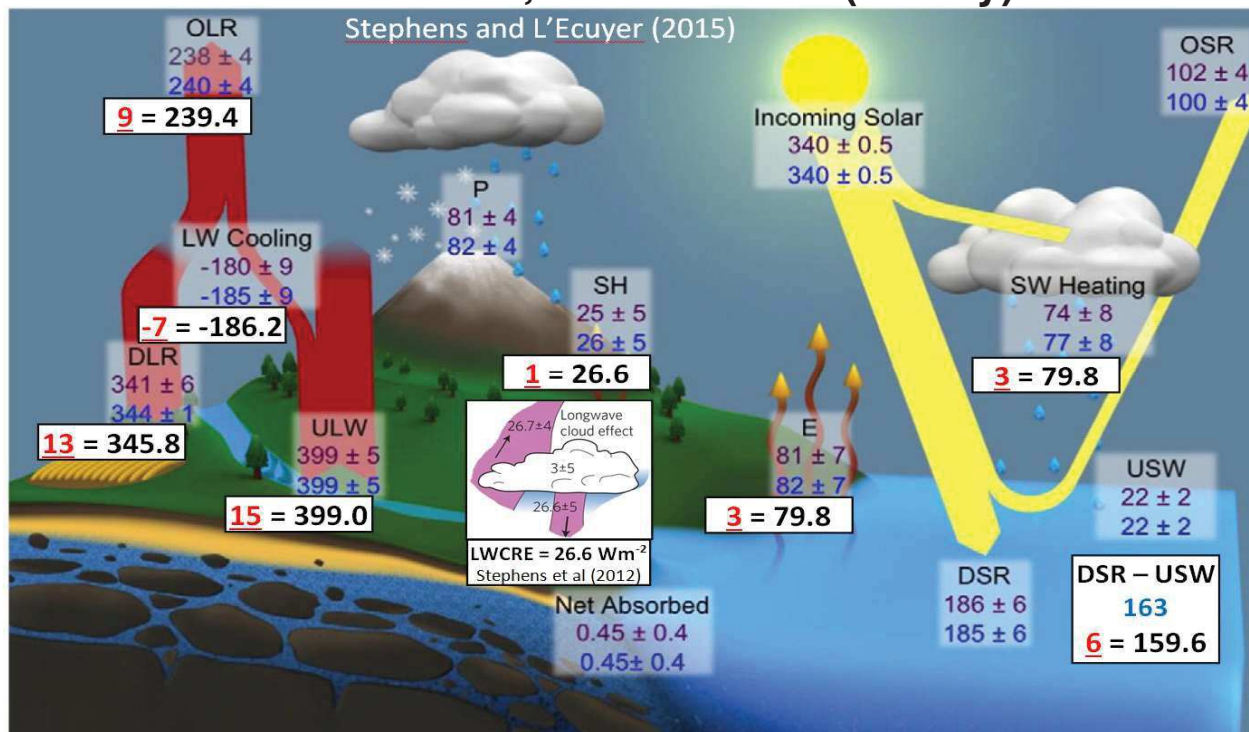
Pattern 5. All-sky integer ratios



Stephens et al. (2012)



$$F = \mathbf{N} \times \text{UNIT}; \quad \text{UNIT} = \text{OLR}(\text{all-sky})/9$$



Is it possible
to satisfy all the patterns
with one data set?

Let's try.

Model data set: EdMZ
All-sky pattern positions

All-sky	Ed4.0	Ed2.8	EdMZ	Ed4.0 – EdMZ	Ed2.8 – EdMZ
TOA SW In	340.04	339.87	340.04	0.0	-0.27
TOA LW Up	240.14	239.60	240.14	0.0	-0.54
SFC SW In	163.67	162.34	160.09	3.58	2.25
SFC LW Down	344.97	345.15	346.87	-1.90	-1.72
SFC (SW in + LW in)	508.64	507.49	506.96	1.68	0.53
SFC LW Up	398.34	398.27	400.23	-1.89	-1.96
SFC Net	110.30	109.22	106.73	3.57	2.49
G	158.20	158.67	160.09	-1.89	-1.42
2TOA LW Up+LWCRE	511.18	508.08	506.96	4.22	1.12

EdMZ all-sky integer ratios

$$F = N \times \text{UNIT}$$

$$\text{UNIT} = \text{OLR}(\text{all-sky})/9$$

All-sky Flux	EdMZ	N
TOA SW In	340.04	
TOA SW Up	99.60	
TOA LW Up	240.14	9
SFC SW In	160.09	6
SFC LW Down	346.87	13
SFC (SW in + LW in)	506.96	19
SFC LW Up	400.23	15
SFC Net	106.73	4
G	160.09	6
SFC LWCRE	26.68	1
2 × TOA LW Up + LWCRE	506.96	19

Model data set: EdMZ Clear-sky pattern positions

Clear-sky	Ed4.0	Ed2.8	EdMZ	Ed4.0 – EdMZ	Ed2.8 – EdMZ
TOA SW in	340.04	339.87	340.04	0.0	-0.17
TOA LW up	268.13	265.59	266.82	1.31	-1.23
SFC SW in	213.91	214.32	213.47	0.44	0.85
SFC SW + LW in	527.98	530.59	533.65	-5.67	-3.06
SFC LW up	397.59	398.40	400.23	-2.64	-1.83
SFC Net	130.39	132.19	133.42	-3.03	-1.23
G	129.46	132.81	133.42	-3.96	-0.61

EdMZ clear-sky integer ratios

$$F = N \times \text{UNIT}$$

$$\text{UNIT} = \text{OLR}(\text{clear-sky})/4$$

Clear-sky Flux	EdMZ	N
TOA SW In	340.04	
TOA LW Up	266.82	4
ATM emitted Up	200.11	3
STI	66.7	1
SFC (SW + LW) In	533.65	8
SFC LW Up	400.23	6
SFC Net	133.42	2
G	133.42	2

Clear-sky fluxes in all-sky units

$$F = N \times \text{UNIT}(\text{all-sky})$$

Clear-sky Flux	EdMZ	N
TOA SW In	340.04	
TOA LW Up	266.82	10
SFC SW In	213.47	8
SFC LW Down	320.18	12
SFC (SW + LW) In	533.65	20
SFC LW Up	400.23	15
SFC Net	133.42	5
G	133.42	5
TOA LWCRE (UNIT)	26.68	1

The patterns as integers

Pattern1 (clear-sky): SFC (SW + LW) (in) = $2 \times \text{OLR}$
 $8 + 12 = 2 \times 10$

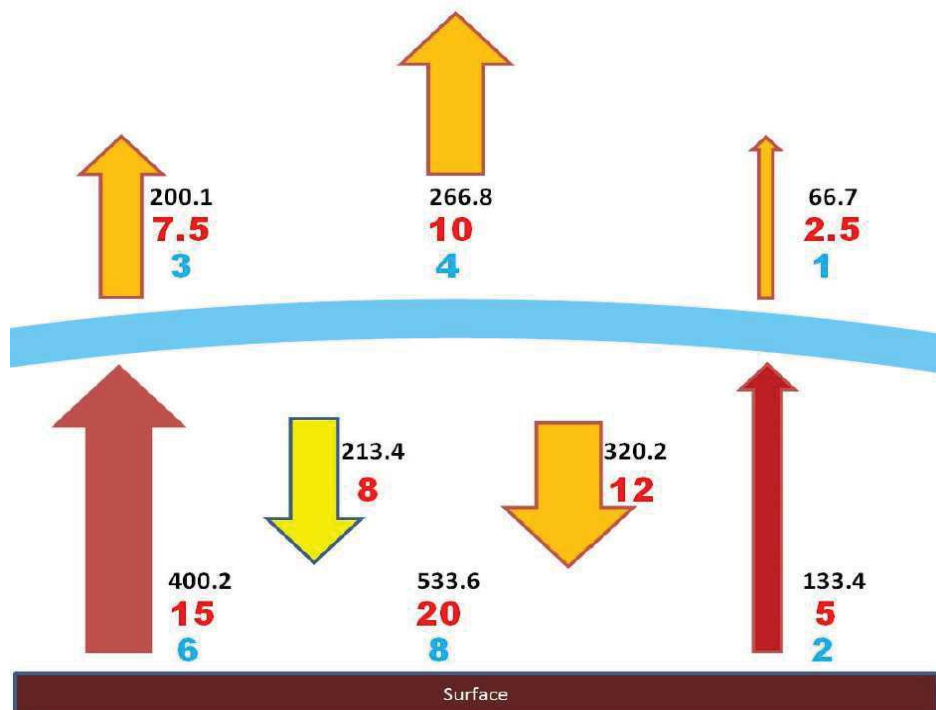
Pattern 2 (clear-sky): SFC Net = ULW – OLR = G
 $20 - 15 = 15 - 10 = 5$
 $8 - 6 = 6 - 4 = 2$

Pattern3 (clear-sky): STI / G / ATM / OLR / ULW / E(SFC)
 $1 / 2 / 3 / 4 / 6 / 8$

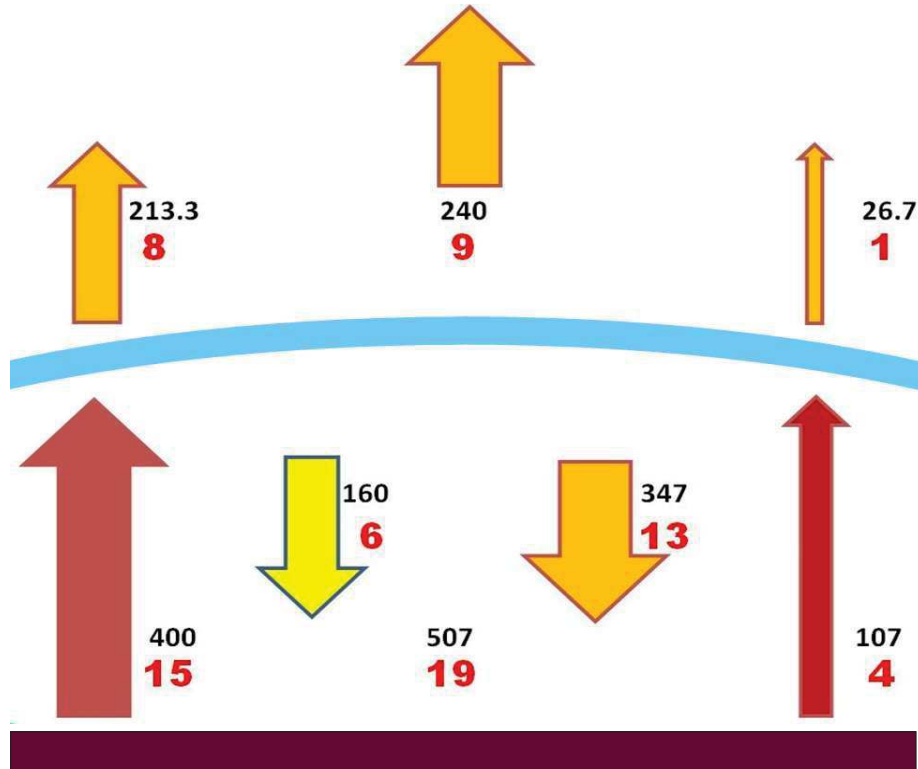
Pattern4 (all-sky): SFC (SW + LW) (in) = $2\text{OLR} + \text{LWCRE}$
 $6 + 13 = 2 \times 9 + 1$

Pattern5 (all-sky): $F = \mathbf{N} \times \text{UNIT}$, $\text{UNIT} = \text{OLR}(\text{all-sky}) / 9$.

CLEAR SKY basics: $g = (15 - 10) / 15 = 5/15 = 1/3$



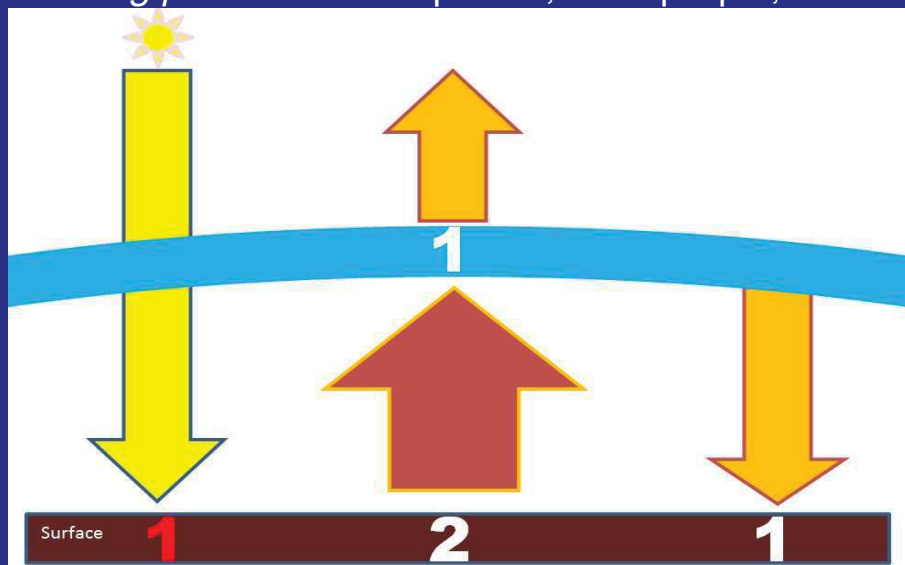
ALL SKY basics: $g = (15 - 9) / 15 = 6/15 = 0.4$



Deduction of EdMZ

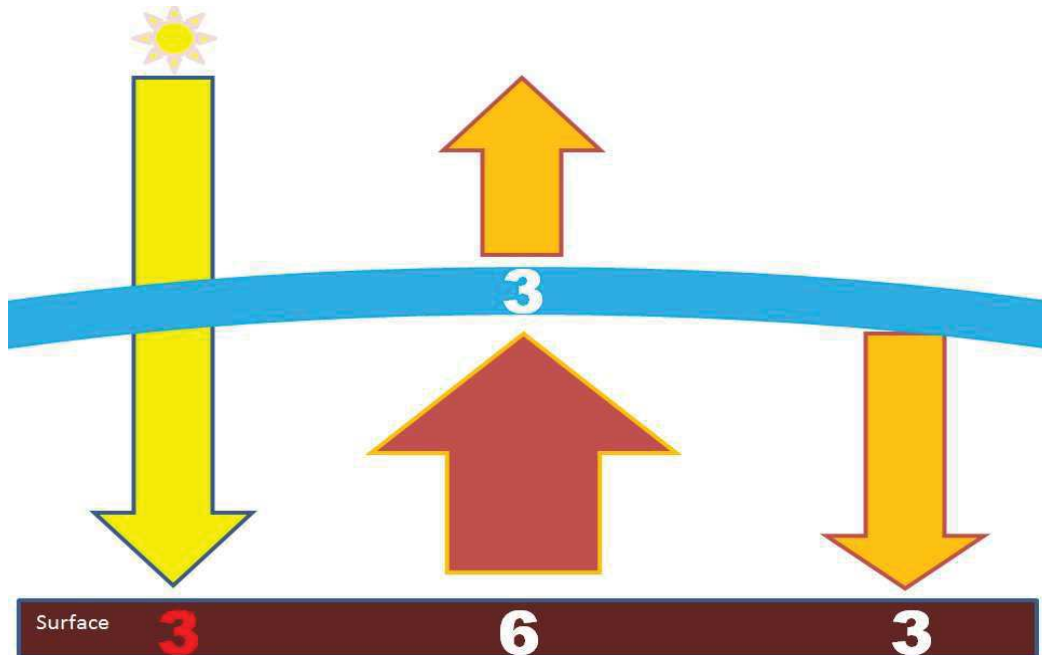
from the Closed Shell Geometry

Step 0 Starting point: SW-transparent, LW-opaque, non-turbulent



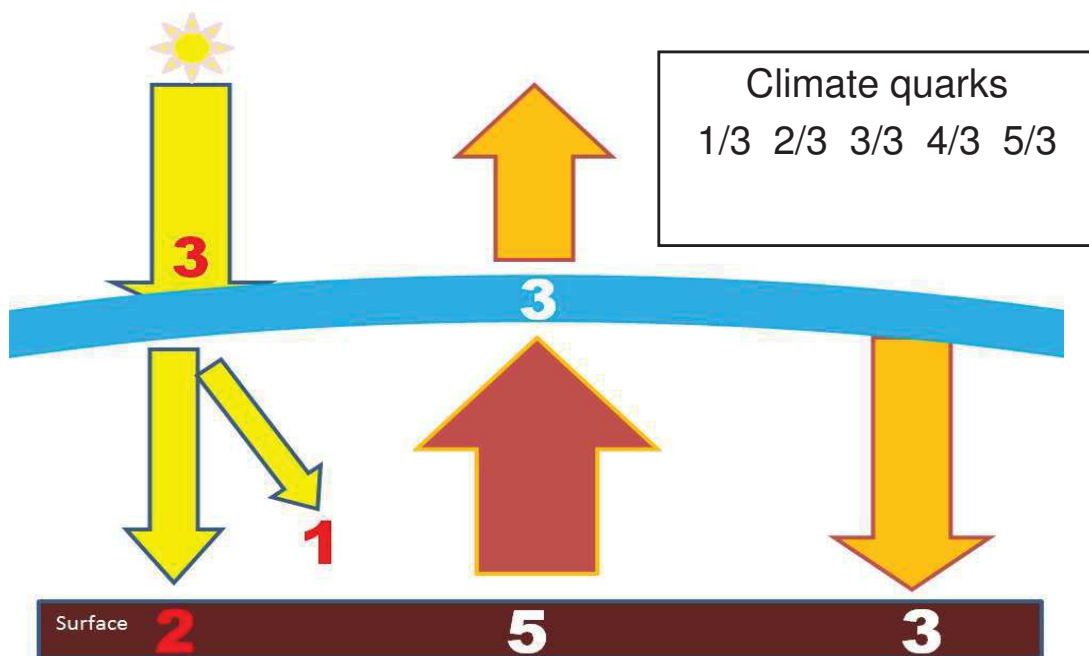
Solar Absorbed Surface (SAS) = 1 goes into $G = ULW - OLR = 1$

Step 1 Unit change: 1 => 3



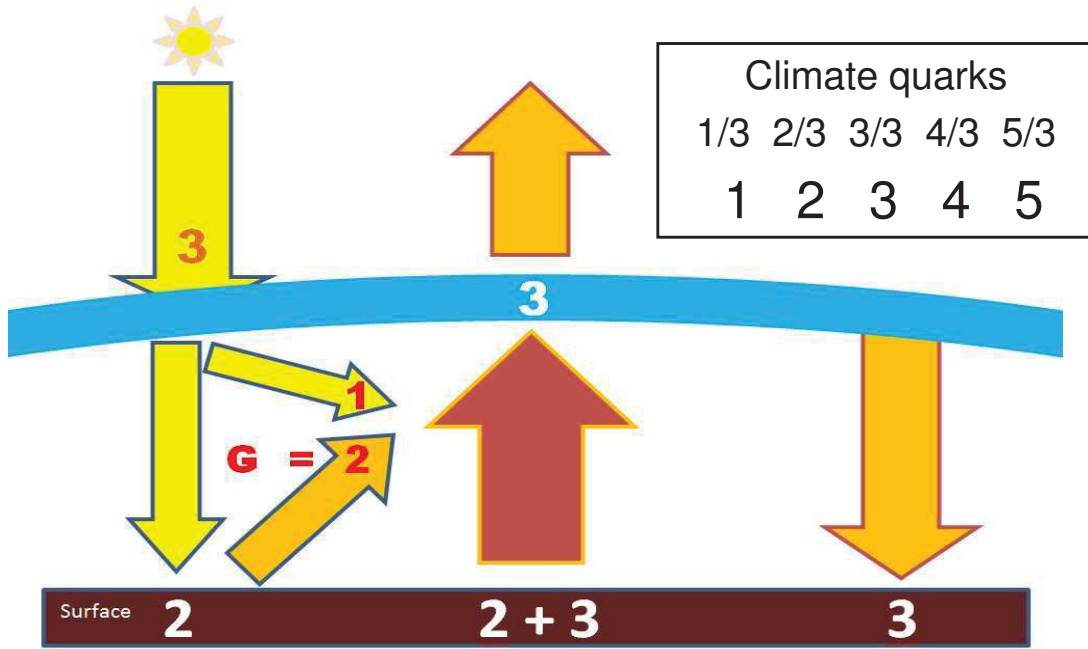
Solar Absorbed Surface (SAS) = 3 goes into $G = ULW - OLR = 3$

Step 2 Allow **ONE** atmospheric SW-absorption: $SAA = 1$, $SAS = 2$



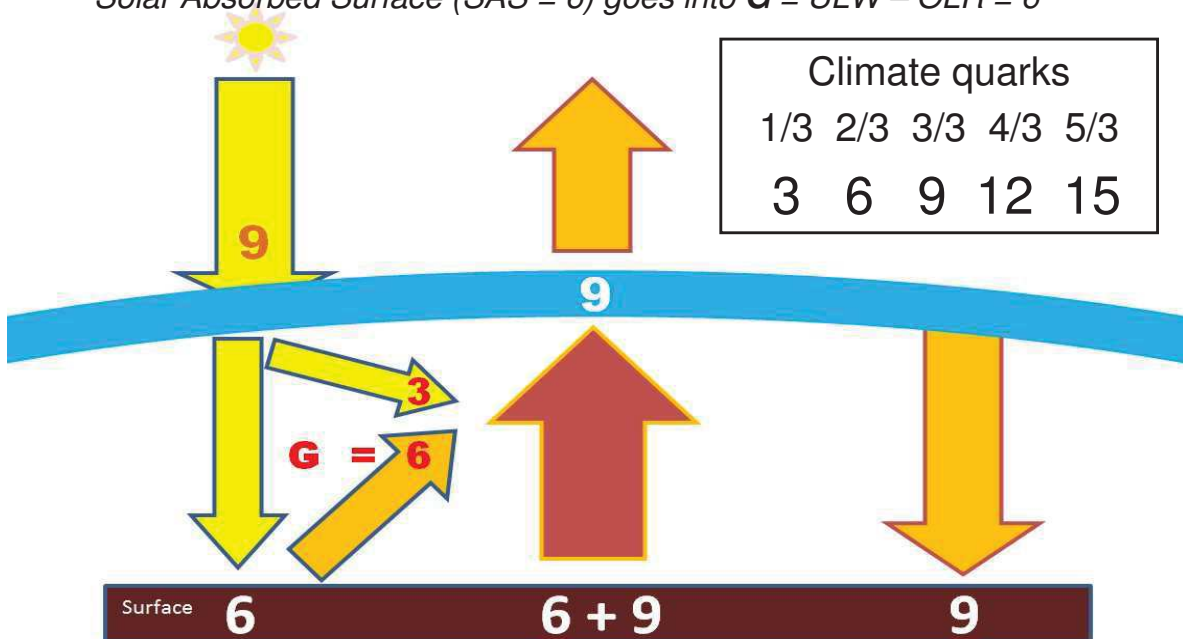
Solar Absorbed Atmosphere (SAA) = 1, Solar Absorbed Surface (SAS) = 2

Step 3 Solar Absorbed Surface (SAS = 2) goes into $G = ULW - OLR = 2$



'SAS = G' property kept

Step 4 Unit change: $3 \Rightarrow 9$.
 Solar Absorbed Surface (SAS = 6) goes into $G = ULW - OLR = 6$

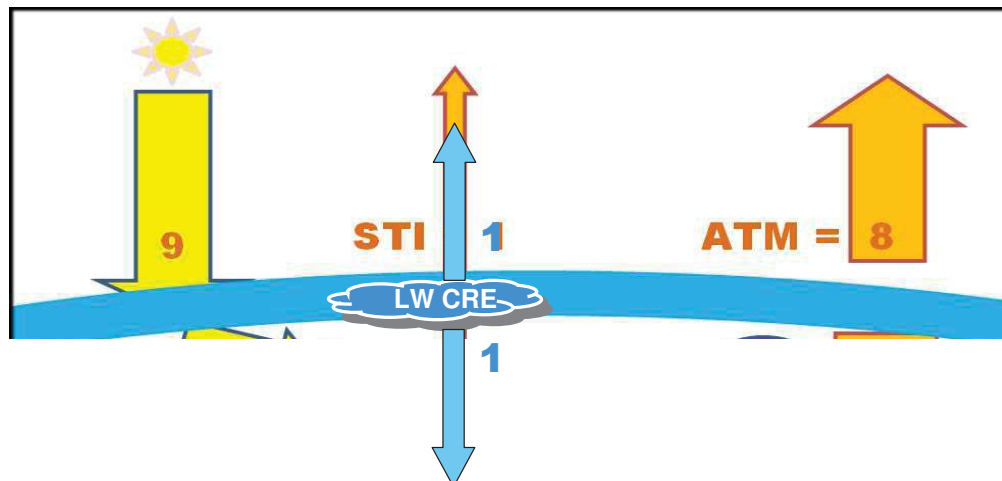


SAS (6) = G (6)

Step 5 Allow **ONE** partial LW-transparency ...



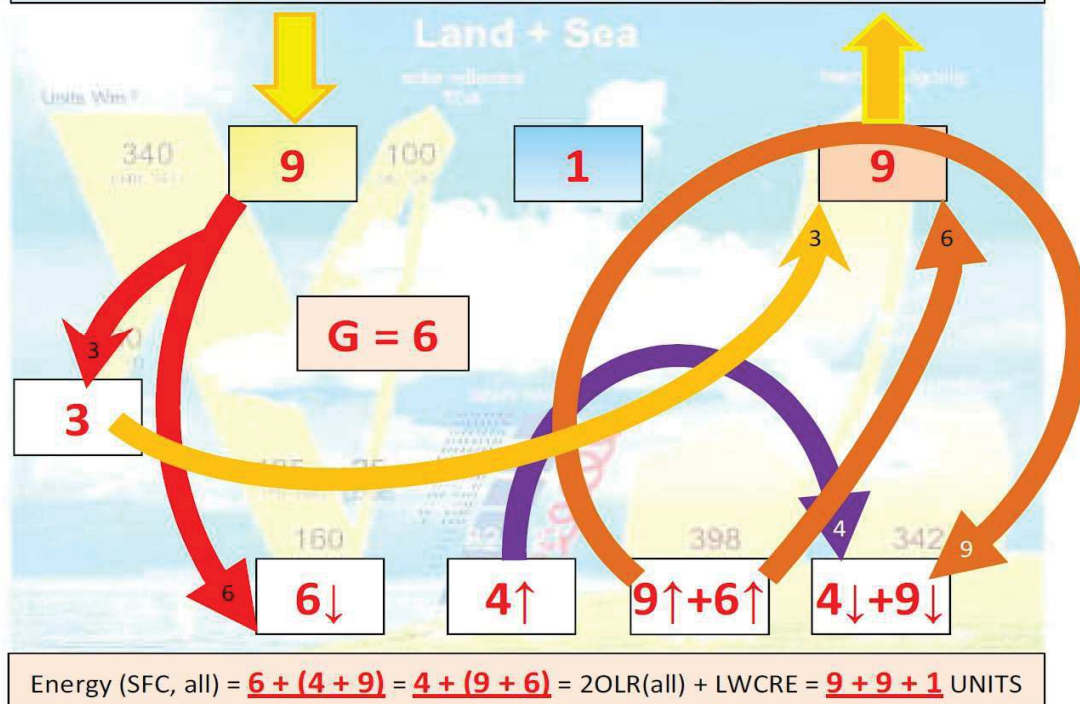
Step 6 ... fade the window with **ONE** up and down LW cloud effect

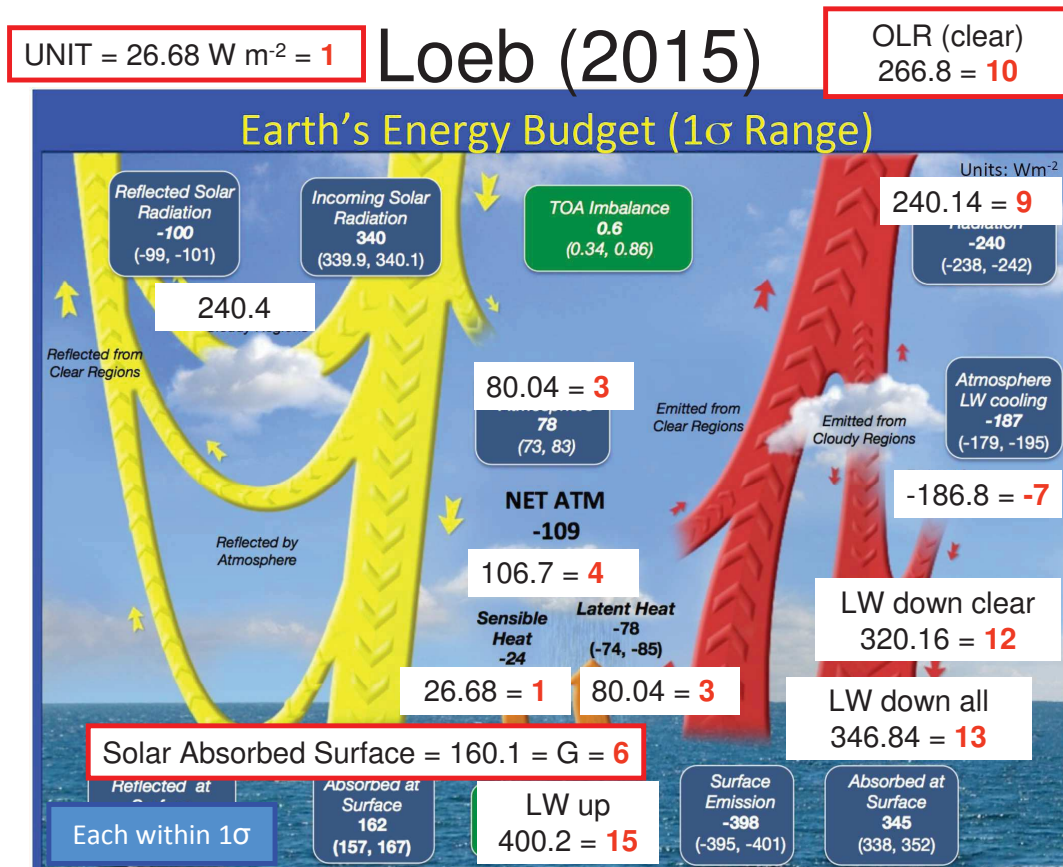
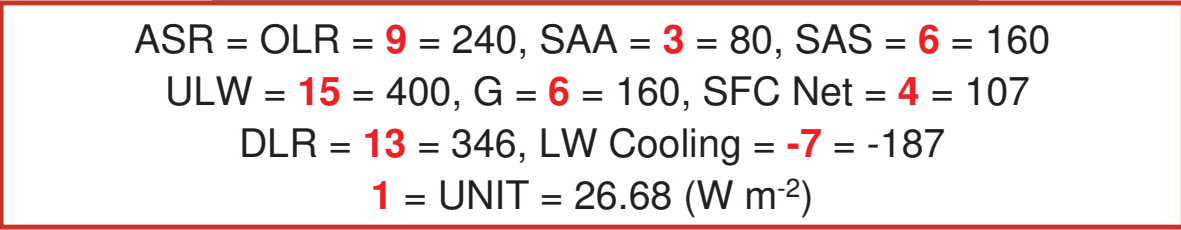


Atmosphere: E(SFC) + 2 UNITS = 21 = emitted up (8) + down (13)

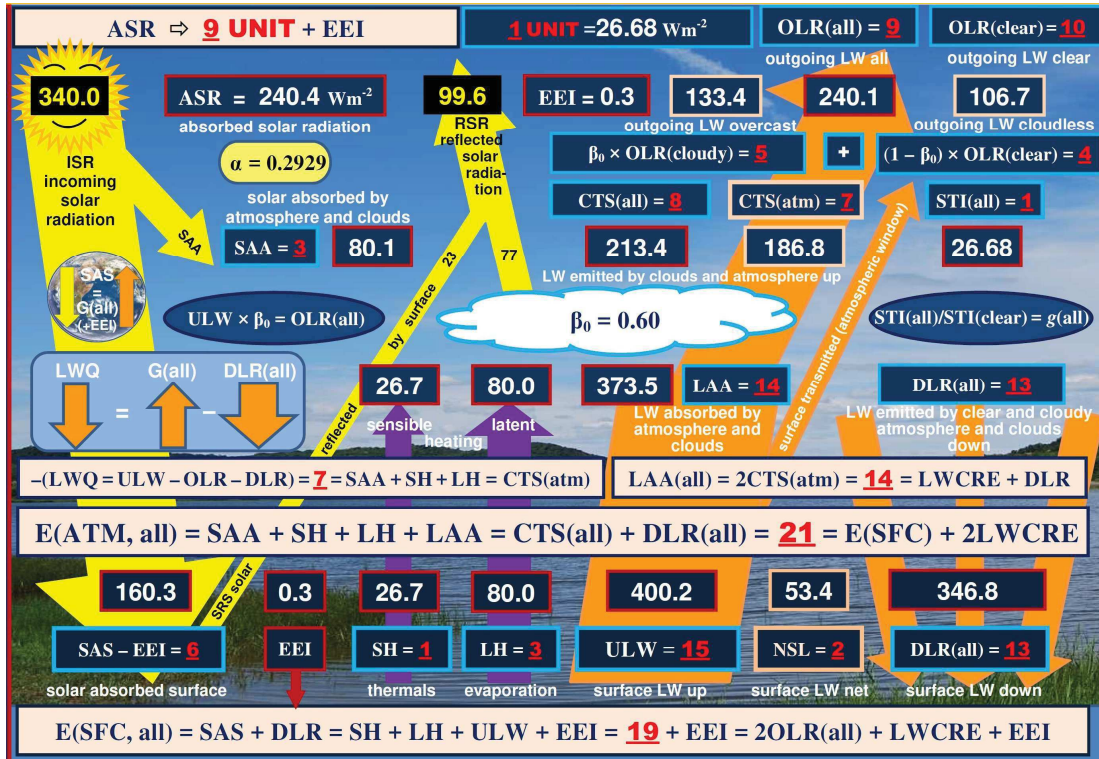


TOA Outgoing Longwave Radiation, all-sky 9 = 3 + 6 UNITS





EdMZ with ISR = 340.0 and OLR = 240.1 Wm⁻²



Specific geometries

Moon (zero)		
$ULW - G = OLR$	$G = 0$	$g = 0$
$ULW + G = OLR$	$ULW = OLR$	$t = 1$
Mars (intermediate, free)		
$ULW - G = OLR$	$G = 0.118 OLR$	$g = 0.106$
$ULW + G = 1.236 OLR$	$ULW = 1.118 OLR$	$t = 0.732$
Earth (clear-sky) (level one)		
$ULW - G = OLR$	$G = (1/2) OLR$	$g = 1/3$
$ULW + G = 2OLR$	$ULW = (3/2) OLR$	$t = 1/6$
Earth (all-sky) (level two)		
$ULW - G = OLR$	$G = (2/3) OLR$	$g = 2/5$
$ULW + G = (7/3) OLR$	$ULW = (5/3) OLR$	$t = 1/15$
Shield (level three)		
$ULW - G = OLR$	$G = OLR$	$g = 1/2$
$ULW + G = 3OLR$	$ULW = 2OLR$	$t = 0$

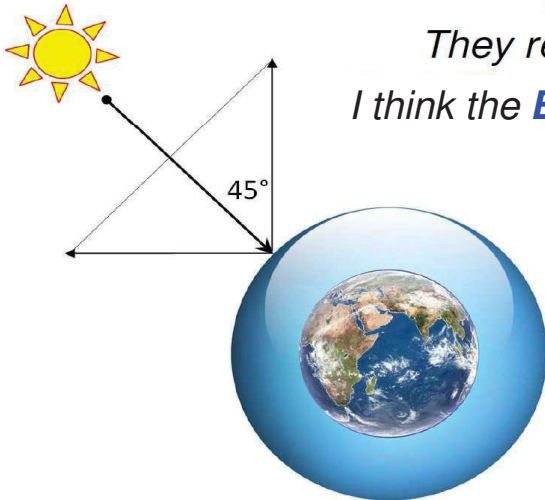
t = STI/ULW, atmospheric LW transmittance

*“surprising” hemispheric symmetry and
“remarkable” interannual stability
of the system albedo.*

Why?

*They refer to **Gaia**.*

*I think the **Blue Marble** (Glass Shell) is better:*



$$\begin{aligned}\alpha_0 &= 1 - \sin 45^\circ \\ &= 1 - \sqrt{2}/2 \\ &= 0.292893\end{aligned}$$

CERES - EBAF Data

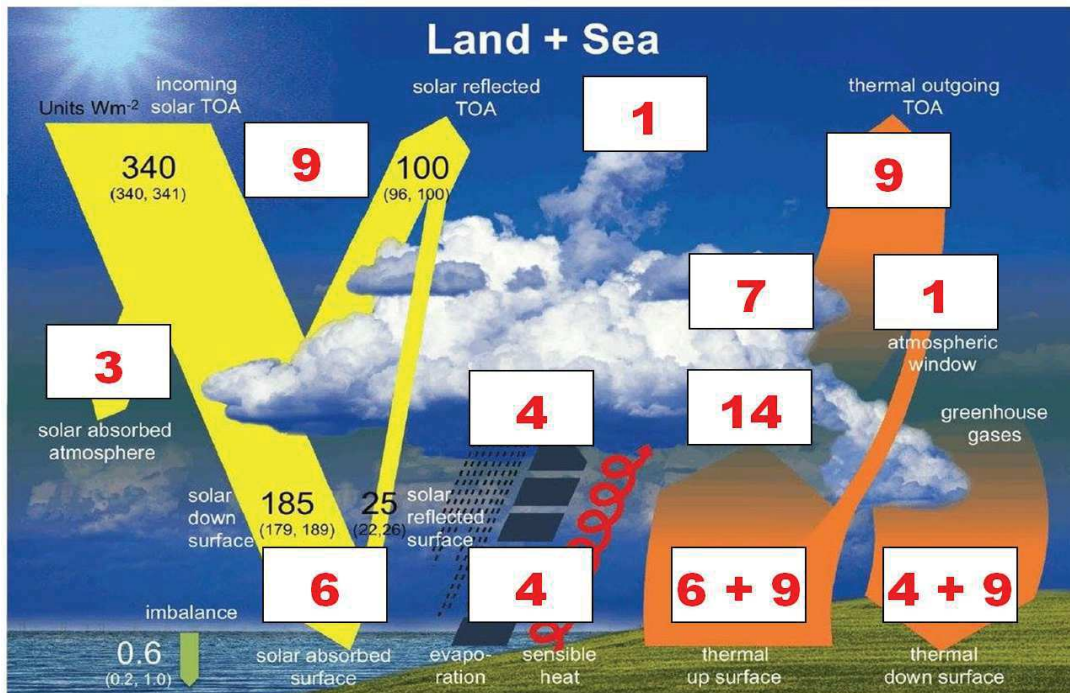
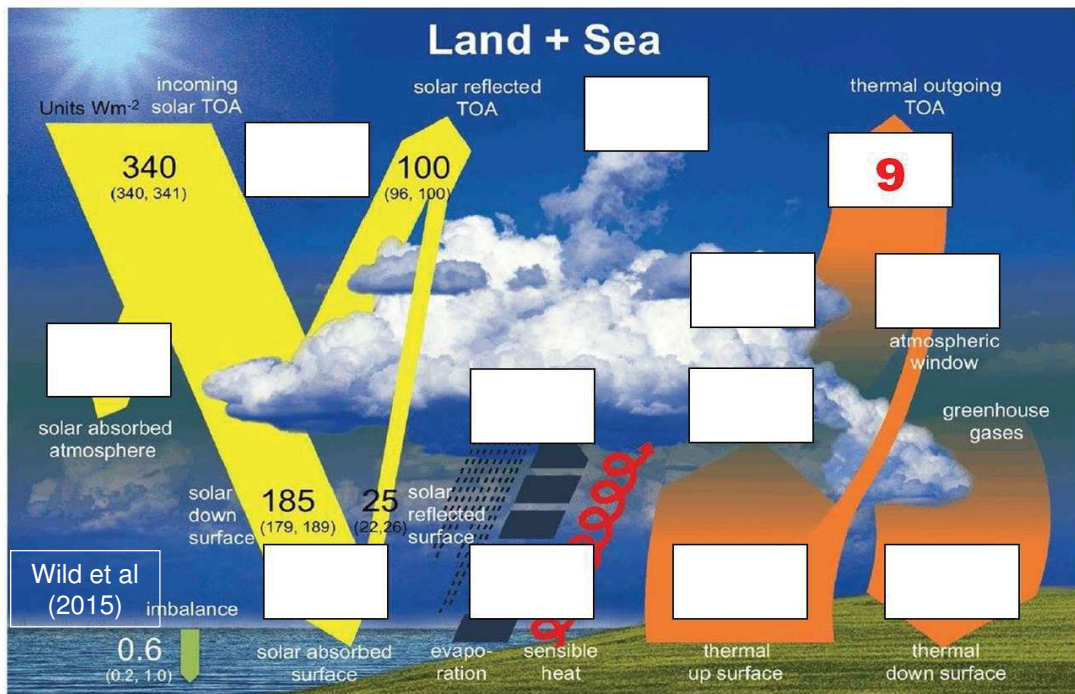
Time Range: January to December - CLIMATE YEAR

Time Resolution: CLIM

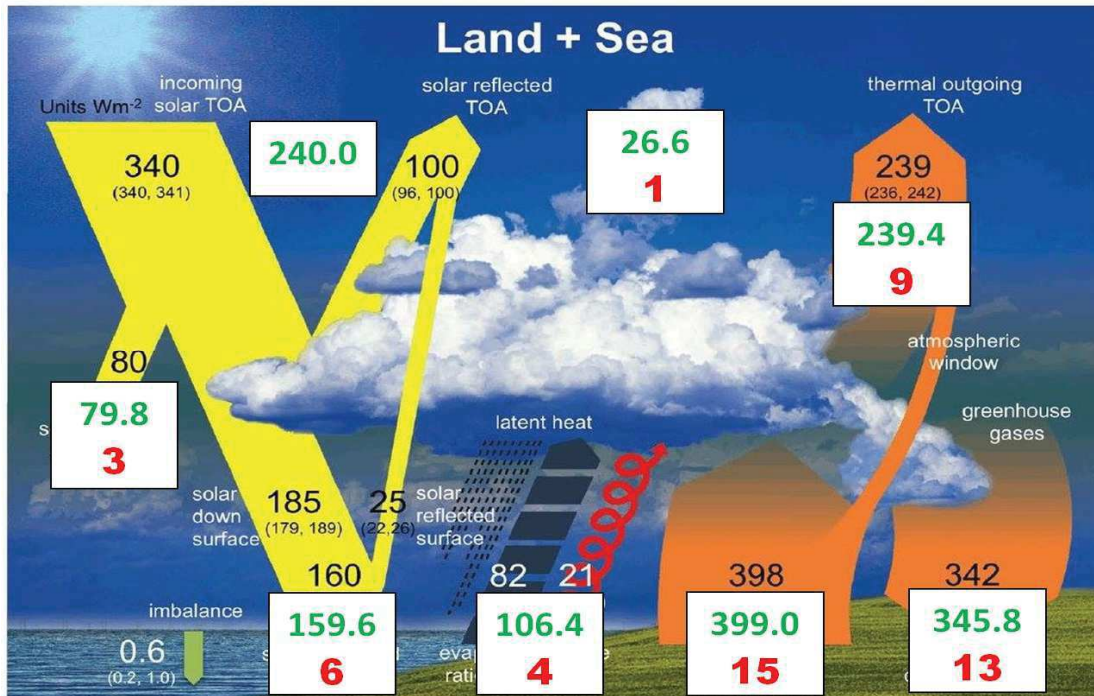
Valid Range: 0 - 800

Incoming Solar Flux (W m ⁻²)			TOA Shortwave Flux All-Sky (W m ⁻²)	Albedo
CLIM	1	350.69	106.26	0.30300265
CLIM	2	348.15	102.27	0.29375269
CLIM	3	343.98	99.31	0.28870865
CLIM	4	337.54	97.44	0.2886769
CLIM	5	332.3	97.45	0.2932591
CLIM	6	329.24	96.39	0.29276516
CLIM	7	328.89	93.93	0.28559701
CLIM	8	331.43	92.62	0.27945569
CLIM	9	336.78	94.79	0.28145971
CLIM	10	342.04	100.24	0.29306514
CLIM	11	347.05	106.18	0.30595015
CLIM	12	350.34	108.29	0.30909973
AVERAGE 339.8692			99.5975	0.29289938

Climate sudoku



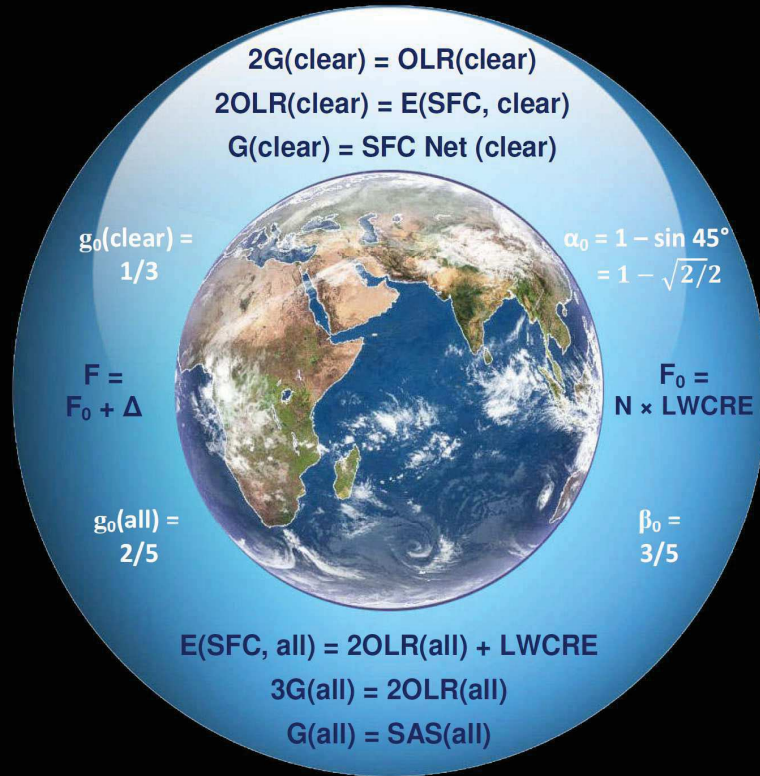
$$1 = 26.6 \text{ W/m}^2, \Delta_{\text{max}}(\text{Wild-EdMZ}) = -3.8 \text{ W/m}^2 (\text{DLR})$$



Summary

- There are robust patterns in the annual global means.
- EdMZ is an idealized data set representing the pattern, belonging to a time-independent geometry.
- The integer ratios follow from the closed-shell geometry.
- The corresponding physical state has some reasonable theoretical basis.
- The largest bias between Ed4.0 and EdMZ is -6.1 Wm^{-2} (2%) in DLR(clear) and 3.6 Wm^{-2} (2.2%) in SFC SW(all).
- Size and time-scale of fluctuations around — or systematic deviations from — the pattern positions are not yet known.

The Blue Quantum Marble



Clear-sky

$E(\text{SFC}) = 2\text{OLR}$


$g = 5/15$

$\alpha_0 = 1 - \sin 45^\circ = 1 - \sqrt{2}/2$


All-sky

$E(\text{SFC}) = 2\text{OLR} + \text{LWCRE}$

$g = 6/15$



$F = N \times \text{UNIT}$



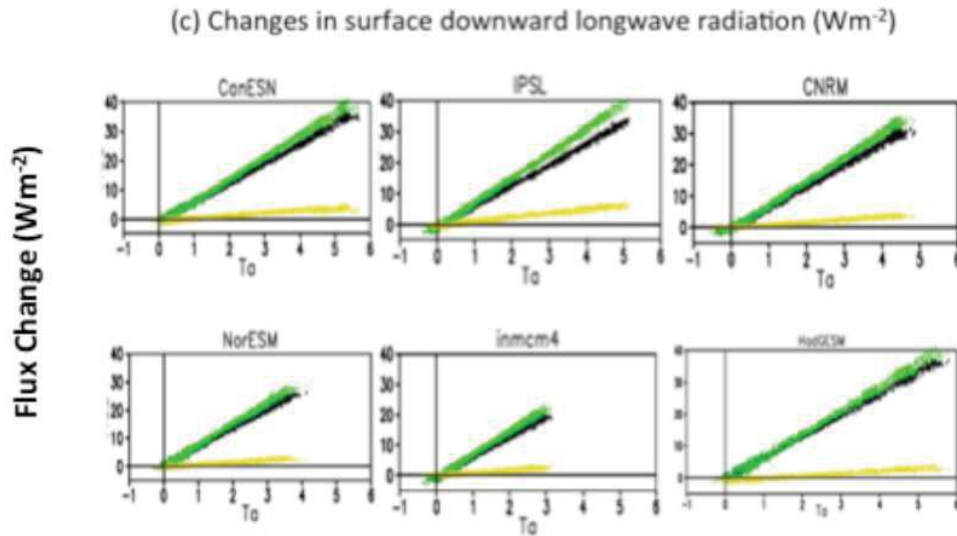
Thank you CERES Science and Data Teams!

e-mail:

miklos.zagoni@t-online.hu

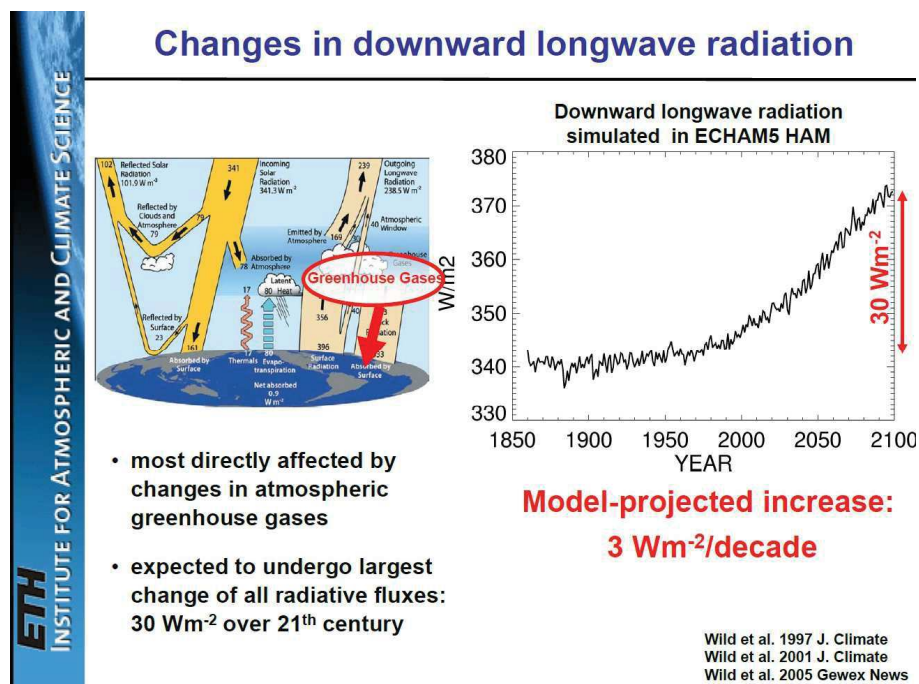
Backup slides

30 Wm⁻² CMIP5 model projected increase in DLR



Stephens et al. (2012) Nat Geosci Suppl Fig S2 (c)

30 Wm⁻² increase in DLR would falsify EdMZ



$$F = F_0 + \Delta F$$

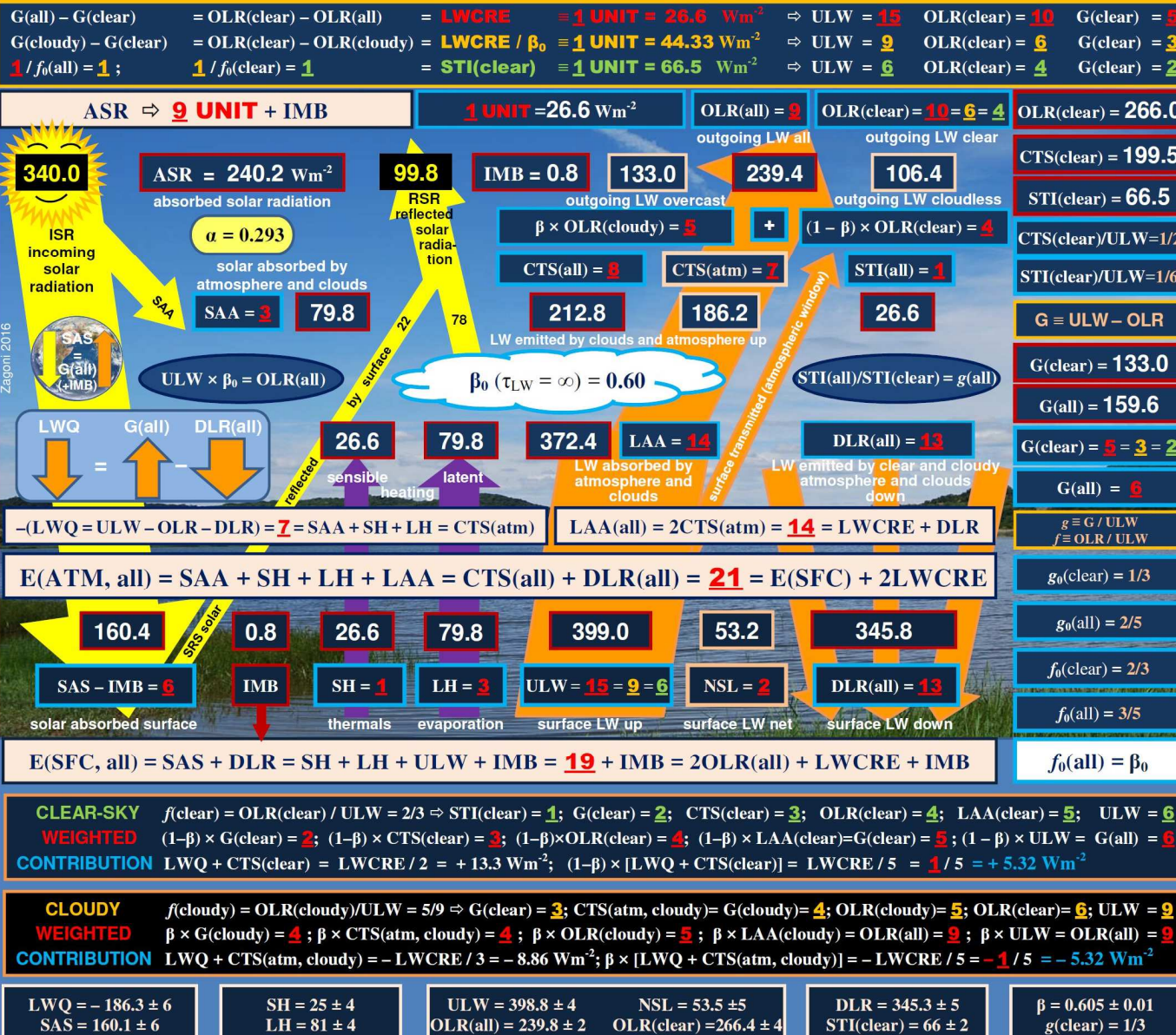
Global energy budget, flux integer tables and the greenhouse effect of clouds

$$F_0 = I \times \text{UNIT}$$

GREENHOUSE METRICS UNITS

F₀ RELATIONSHIPS

- $E(\text{SFC, all}) = 2\text{OLR}(\text{all}) + \text{LWCRE} = 2\text{OLR}(\text{clear}) - \text{STI}(\text{all})$
- $E(\text{SFC, cloudy}) = \text{OLR}(\text{cloudy}) + \text{OLR}(\text{clear})$
- $E(\text{SFC, clear}) = 2\text{OLR}(\text{clear})$
- Solar absorbed by surface serves the energy content of the all-sky greenhouse effect.
- The cloud-covered part of the surface radiates as much energy as in the outgoing longwave radiation: $\text{ULW} \times \beta_0 = \text{OLR}(\text{all})$
- 'Cooling to space':
All-sky:
 $\text{LWQ} + \text{CTS}(\text{atm}) = 0$,
 $\text{LWQ} + \text{CTS}(\text{all}) = \text{LWCRE}$.
Cloudy sky:
 $\beta \times [\text{LWQ} + \text{CTS}(\text{atm, cloudy})] = -\text{LWCRE} / 5$
Clear-sky:
 $(1 - \beta) \times [\text{LWQ} + \text{CTS}(\text{clear})] = \text{LWCRE} / 5$
- The effective LW-opaque single-layer cloud area fraction is equal to the all-sky transfer function, $f_0(\text{all}) = \beta_0$, and $f_0(\text{all}) \times f_0(\text{clear}) = g_0(\text{all})$.
- Clouds cool the surface in the SW, warm it in the LW.
The warming effect, LWCRE, is compensated by an equivalent amount of energy being lost in the open atmospheric window:
 $\text{LWCRE} = (1 - \beta) \times \text{STI}(\text{clear})$.
- A 'grid' albedo position is $a_0 = 1 - \sqrt{2}/2$
- F observed data \Rightarrow
- Their sources \Rightarrow



Integer tables of Earth's energy flows.
F₀ values in unit flux:

ALL-SKY: 26.6 Wm⁻²

STI(all)	= 1	= 26.6
LWCRE	= 1	= 26.6
SH	= 1	= 26.6
NSL(all)	= 2	= 53.2
LH	= 3	= 79.8
SAA(all)	= 3	= 79.8
G(clear)	= 5	= 133.0
G(all)	= 6	= 159.6
SAS(all)	= 6	= 159.6
-LWQ	= 7	= 186.2
CTS(atm)	= 7	= 186.2
CTS(all)	= 8	= 212.8
OLR(all)	= 9	= 239.4
OLR(clear)	= 10	= 266.0
DLR(clear)	= 12	= 319.2
DLR(all)	= 13	= 345.8
LAA(all)	= 14	= 372.4
ULW	= 15	= 399.0

CLOUDY: 44.33 Wm⁻²

STI(cloudy)	= 0	
LWCRE / β_0	= 1	= 44.33
(SH + LH)(cloudy)	= 2	= 88.66
G(clear)	= 3	= 133.0
G(cloudy)	= 4	= 177.33
CTS(atm, cloudy)	= 4	= 177.33
OLR(cloudy)	= 5	= 221.66
OLR(clear)	= 6	= 266.0
LAA(cloudy)	= 9	= 399.0
ULW	= 9	= 399.0

CLEAR-SKY: 66.5 Wm⁻²

STI(clear)	= 1	= 66.5
(SH + LH)(clear)	= 2	= 133.0
G(clear)	= 2	= 133.0
CTS(clear)	= 3	= 199.5
OLR(clear)	= 4	= 266.0
LAA(clear)	= 5	= 332.5
ULW	= 6	= 399.0

$$\Delta F < \pm 1\sigma$$