

# Preparatory Slip in Laboratory Faults: Effects of Roughness and Loading Rate

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## Abstract

Aseismic slip may occur during a long preparatory phase preceding earthquakes, and what controls it remains poorly understood. In this study, we explored the potential dependencies of the slow slip during the preparatory stage prior to stick-slip instabilities on two main factors, namely the loading rate and surface roughness. To that end, we conducted shear stress-driven friction experiments by imposing varying loading rates on sawcut granite samples with different surface roughness at confining pressure of 35 MPa. We measured the average slip along the fault using far-field displacements and strain changes, while using acoustic emission sensors and local strain gages to capture local slip variations. We found that the average aseismic slip during preparatory stage increases with roughness, whereas its duration decreases with increased loading rate. These results also evidence a complex slip pattern on rough faults which leads to dynamic ruptures at high loading rates.

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10 **Key Points:**

- 11        • The spatio-temporal slip distribution during the preparatory phase of stick-slips differs  
12        between rough and smooth faults.
- 13        • The average amount of preparatory slip increases with roughness and the duration of the  
14        preparatory phase decreases with increasing loading rate.
- 15        • Smooth faults are more prone to instability than rough faults, and increasing loading rate  
16        on rough faults promotes instability.
- 17

## 18 **Abstract**

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20 it remains poorly understood. In this study, we explored the potential dependencies of the slow  
21 slip during the preparatory stage prior to stick-slip instabilities on two main factors, namely the  
22 loading rate and surface roughness. To that end, we conducted shear stress-driven friction  
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24 roughness at confining pressure of 35 MPa. We measured the average slip along the fault using  
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27 stage increases with roughness, whereas its duration decreases with increased loading rate. These  
28 results also evidence a complex slip pattern on rough faults which leads to dynamic ruptures at  
29 high loading rates.

## 30 **Plain Language Summary**

31 Earthquakes occur mostly along preexisting faults in the earth crust. These faults exhibit various  
32 geometrical complexities and are subjected to different strain rates. In the laboratory, we produce  
33 earthquake analogues by sliding sawcut granite blocks. We vary the geometrical complexity of the  
34 faults by roughening their surfaces and modify the strain rate by displacing the blocks at varying  
35 velocities. Under these different conditions, we measure how the forces accumulated by friction  
36 are released, by measuring stresses and displacements applied on the block's edges, using local  
37 strain deformation sensors, and by recording very small earthquakes occurring during sliding along  
38 the sawcut faults. We find that smooth sawcut faults tend to release all the energy accumulated  
39 very abruptly, after a very small amount of slip, regardless of the loading rate applied. The  
40 processes leading to failure in the case of a rough fault are much more complex, involving a large  
41 amount of slip, and numerous small earthquakes which are distributed heterogeneously in space  
42 and time.

## 43 **1 Introduction**

44 A preparation phase preceding dynamic ruptures has been observed for a large number of  
45 natural earthquakes (Bouchon et al., 2013; Durand et al., 2020; A. Kato et al., 2012; Ruiz et al.,  
46 2014), and prior dynamic ruptures in the laboratory (Dresen et al., 2020; Yamashita et al., 2021).  
47 At a shorter time scale, a nucleation phase can also be observed both in the field (Tape et al., 2018)  
48 and in the laboratory (Latour et al., 2013). Nucleation involves accelerated slip over a finite patch  
49 beyond peak stress at the rupture front (Latour et al., 2013; Rice, 1983). Previous laboratory studies  
50 have revealed that the preparatory and nucleation phase prior to dynamic instability can be  
51 explained by some combination of the 'cascade' and the 'preslip' models (Ellsworth & Beroza,  
52 1995, McLaskey, 2019). Once a fault is close to failure, multiscale observations suggest that  
53 loading of asperities due to aseismic preslip and by stress transfer between foreshocks may occur  
54 concurrently (Kato & Ben-Zion, 2021; McLaskey, 2019; Yamashita et al., 2021). However, how  
55 preparatory and nucleation phases are linked and what controls the spatio-temporal distribution of  
56 slip during run-up to failure is still poorly understood. In addition, it remains debated in which  
57 cases this preparatory phase leads to commonly observed stick-slip instabilities in the laboratory  
58 where a dynamic rupture front passes through the whole contact interface.

59 Several factors have been proposed to influence the preparatory phase and the failure mode  
60 of a fault, including roughness (Harbord et al., 2017; Morad et al., 2022; Okubo & Dieterich,

61 1984), loading rate (Guérin-Marthe et al., 2019; Kato et al., 1992; Marone, 1998; McLaskey &  
62 Yamashita, 2017), injection rate for permeable faults (Wang et al., 2020), (effective) normal stress  
63 state (Latour et al., 2013; Passelègue et al., 2020) and healing time (Marone, 1998). Looking at  
64 these controlling parameters individually reveals a complex picture. Morad et al. (2022) argued  
65 that an optimal roughness for triggering stick-slip instabilities on sawcut faults may exist, and  
66 Harbord et al., (2017) experimentally suggested that fault stability in granite is governed by a  
67 combination of roughness and normal stress almost irrespective of velocity strengthening and  
68 weakening behavior. Earlier work from Ohnaka (1973) already showed that for a given roughness,  
69 slip stability depends on the hardness of the two fault blocks in contact. Zhuo et al. (2022)  
70 highlighted controversial findings concerning the effect of loading rate on slip. In cases, enhanced  
71 loading rates were observed to promote instabilities (Guérin-Marthe et al., 2019; Kato et al., 1992;  
72 McLaskey & Yamashita, 2017), while other studies suggested the opposite (Karner & Marone,  
73 2000; Ohnaka, 1973). However, cumulative slip (Zhuo et al., 2022), healing times and hold periods  
74 in slide-hold-slide tests (Guerin-Marthe, 2019) varied between these studies possibly affecting slip.

75 In our study, we investigate the combined influence of roughness and loading rate on the  
76 stability and preparatory phase of laboratory stick-slip events in granite sawcut samples under  
77 triaxial stress conditions. In particular, we focus on the spatio-temporal distribution of slip prior  
78 and during instabilities using far-field mechanical data, local strain gage sensors and a dense  
79 network of piezoelectric transducers.

## 80 **2 Materials and Methods**

81 Three cylindrical samples were prepared from La Peyratte granite with dimensions of 100 mm in  
82 length and 50 mm in diameter (Young's modulus  $E \approx 75$  GPa and Poisson's ratio  $\nu \approx 0.25$ , see  
83 Figure S5). The grain size of such granite samples ranges from 0.5-1.5 mm (David et al., 1999).  
84 The samples were precut at an angle  $\theta=30^\circ$  to the largest stress axis direction. All sawcut surfaces  
85 were precision-ground and polished using a powder composed of silicon carbide particles with a  
86 diameter of 9  $\mu\text{m}$ . We prepared one rough fault surface (sample R1) by sandblasting it with silicon  
87 carbide particles producing a root mean square asperity height of  $Z_{\text{rms}} = 14 - 16 \mu\text{m}$  and some long  
88 wavelength relief. In contrast, the smooth surfaces (samples S1 & S2) are characterized by  $Z_{\text{rms}} \approx$   
89 3  $\mu\text{m}$  (Fig. S3).

90  
91 The samples were all oven-dried for at least 48 hours before mounting strain gages. Specifically,  
92 two pairs of orthogonal strain gages attached to the center of two blocks (Fig. S1a-b) were used to  
93 measure the elastic deformation of the rock matrix. Three additional strain gages (sgf1, sgf2 and  
94 sgf3) were positioned parallel to the sawcut fault, and centered 4 mm ( $\pm 1$ mm) away from it. The  
95 distance between the center of two fault parallel strain gages is about 25 mm (Fig. S5). A last strain  
96 gage (sgf4) was mounted normal to fault interface in the center of samples. The strain gages were  
97 used to monitor local slip variations along the fault plane. After gluing strain gages, the samples  
98 were placed in a rubber jacket, which is used to insulate them from the oil confining medium.

99  
100 An array of 16 piezoelectric transducers surrounding the samples was used to monitor Acoustic  
101 Emissions (AEs). The sensors were placed in brass housings which were glued directly on the rock  
102 using epoxy, through holes pierced in the rubber jacket (Fig. S1c). The resonant frequency of these  
103 sensors is 1 MHz, and the waveforms were recorded in a triggering mode at a sampling rate of 10  
104 MHz. In order to locate AEs, a quasi-anisotropic velocity model composed of five horizontal layers  
105 and one vertical layer was updated every ten seconds using ultrasonic pulses transmitted between

106 specific sensor pairs (Kwiatek et al., 2014, see Fig. S2 for details). The details on AE data  
 107 processing including AE magnitude  $M_{AE}$ ,  $b$ -value and focal mechanism estimations can be found  
 108 in Text S1.

109  
 110 The prepared samples were placed in a pressure vessel (Fig. S1c) and first loaded hydrostatically  
 111 up to 35 MPa. The confining pressure was then maintained constant at 35 MPa in all experiments.  
 112 Samples were deformed at dry conditions using a servo-controlled hydraulic Machine Testing  
 113 System (MTS 4600). Axial loading was achieved by applying vertical piston displacement rates  
 114 ranging from 0.05  $\mu\text{m/s}$  to 1  $\mu\text{m/s}$ . A linear variable displacement transducer (LVDT) measured  
 115  $\Delta l_{LVDT}$ , the total displacement of the machine (with a stiffness of  $K_{MTS} = 0.65 \times 10^9$  N/m or 330  
 116 MPa/mm for 5 cm diameter samples) and the specimen (stiffness of 750 MPa/mm). The  
 117 differential stress ( $\sigma_1 - \sigma_3$ ) was measured using an internal load cell with a precision of  $\pm 0.05$  MPa.  
 118

119 Mechanical data including differential stress, axial shortening and local strains were recorded  
 120 continuously at a sampling rate of 10 Hz during the experiments. To better resolve short slip  
 121 episodes, a high-speed data logging system triggered by the user also recorded with sampling rates  
 122 between 2 kHz (samples S1 and R1) and 5 kHz (sample S2), during short periods of interest.  
 123

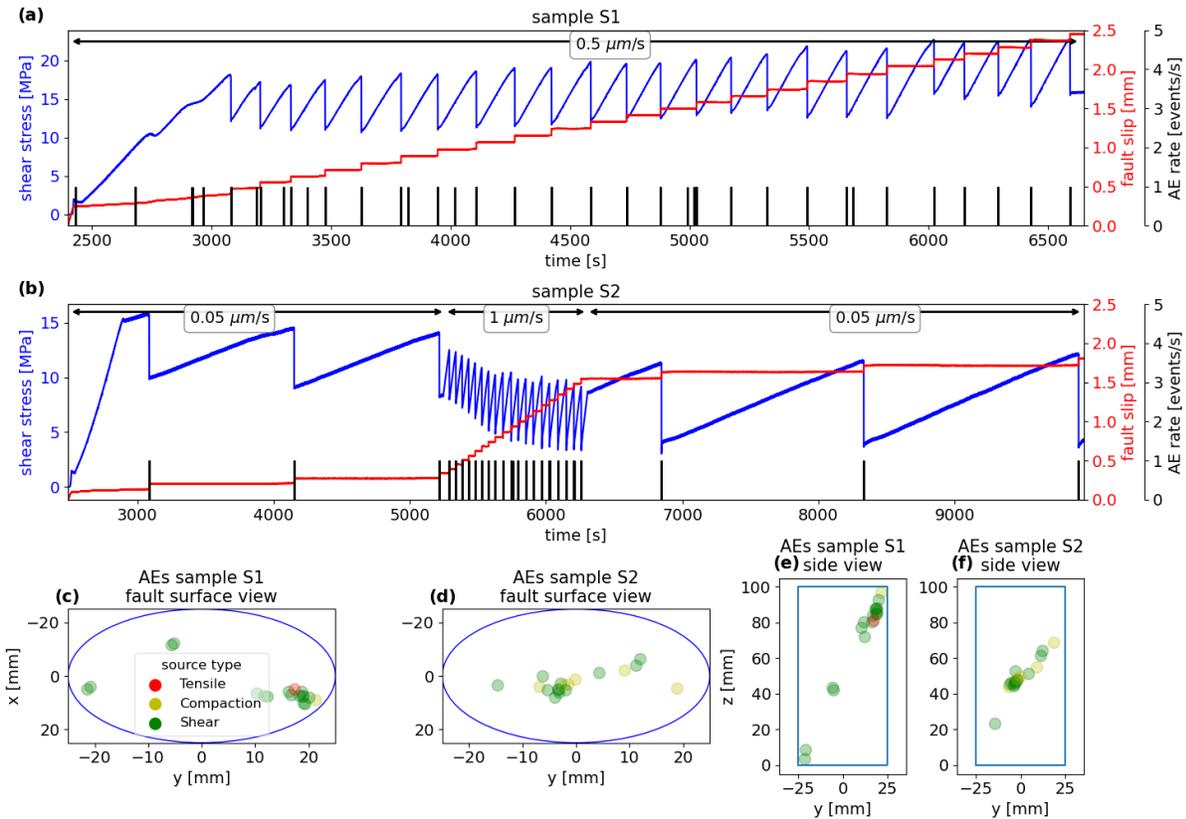
124 In triaxial loading configuration, the average shear stress  $\tau$  resolved along the inclined sawcut fault  
 125 plane (angle  $\theta$  to the cylinder axis) was calculated from the differential stress as:

$$126 \quad 127 \quad \tau = (\sigma_1 - \sigma_3) \times \sin\theta \times \cos\theta \quad (1)$$

128  
 129 and the average slip  $s$  along the fault  $s$  using:

$$130 \quad 131 \quad s = (\Delta l_{LVDT} - \Delta l_{MTS} - \Delta l_{RM}) / \cos\theta \quad (2)$$

132  
 133 where  $\Delta l_{LVDT}$  is the total axial displacement,  $\Delta l_{MTS}$  is the axial shortening of the loading machine,  
 134 estimated by  $\Delta l_{MTS} = \text{change of the axial force} / K_{MTS}$ , and  $\Delta l_{RM}$  is the axial deformation of rock  
 135 matrix, as given by  $\Delta l_{RM} = (\varepsilon_{sgv3} + \varepsilon_{sgv4}) / 2 \times L$ , where  $sgv3$  and  $sgv4$  are vertical strain gages  
 136 attached to rock matrix, and  $L = 100$  mm is the sample length. Note that the stresses are also  
 137 corrected for the reduction in nominal contact area between the two parts of the fault during slip.  
 138 More details about the calculations can be found in Wang et al. (2020).  
 139

140 **3 Results**141 **3.1 Mechanical response and AE activity**142 **3.1.1 Smooth faults**

143  
 144 *Figure 1: Evolution of shear stress, fault slip and AE rate on smooth faults (a) under a constant loading rate of 0.5  $\mu\text{m/s}$  using*  
 145 *sample S1, (b) under loading rates of 0.05 and 1  $\mu\text{m/s}$  using sample S2. Acoustic emissions locations and types for (c) sample S1*  
 146 *fault surface view, (d) sample S2 fault surface view, (e) sample S1 side view, (f) sample S2 side view. The source types of AE*  
 147 *hypocenter can be classified into tensile, compaction and shear focal mechanism based on P-wave first motion polarities.*

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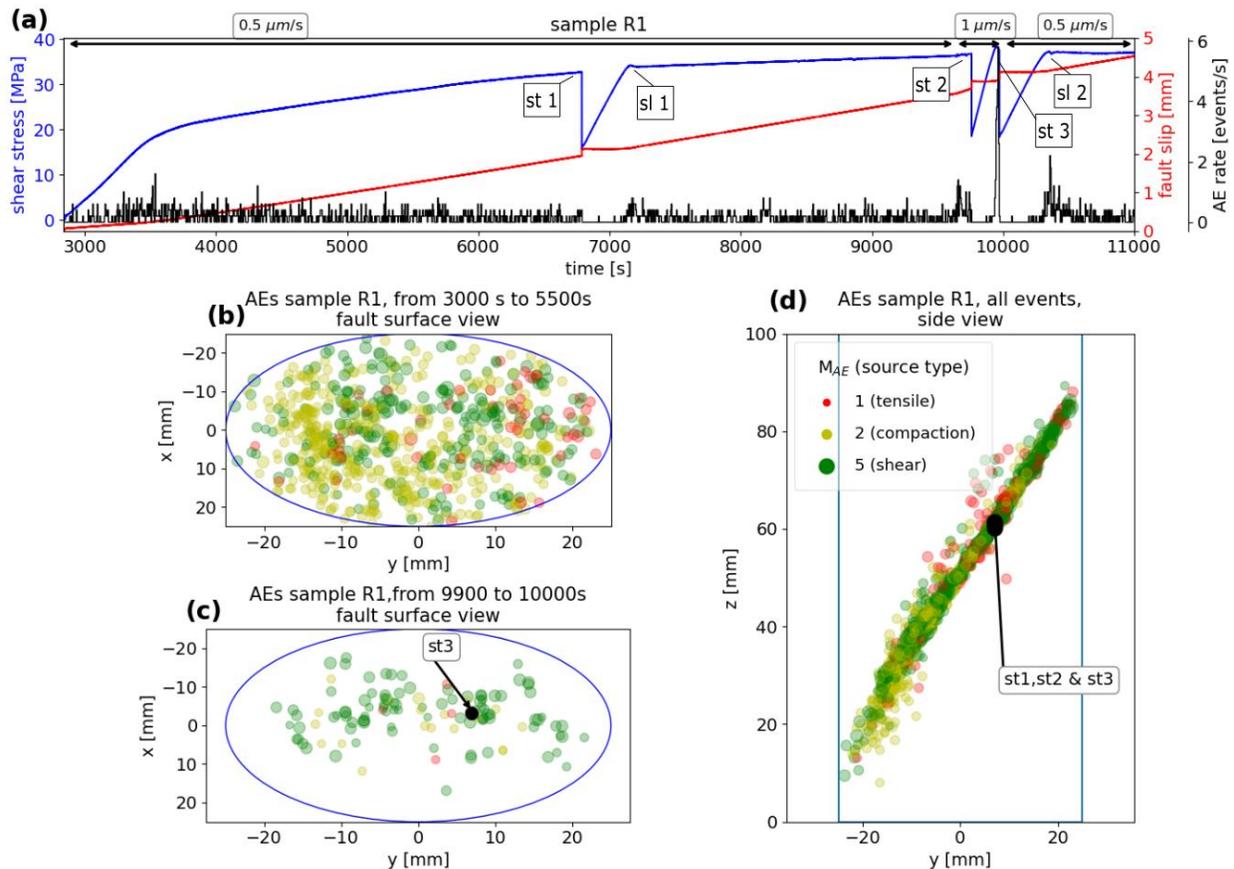
150 The two samples with smooth sawcut faults were deformed at a constant displacement rate of  
 151 0.5  $\mu\text{m/s}$  and at varying displacement rates of 0.05  $\mu\text{m/s}$  and 1.0  $\mu\text{m/s}$ , respectively (Fig. 1a, b).  
 152 Both tests resulted in episodic stick-slip events with recurrence intervals decreasing from about  
 153 1200 s to 60 s with loading rates increasing by a factor of 20. With progressive slip, sample S1  
 154 showed a small increase in peak stress for the stick-slip events, possibly due to progressive gouge  
 155 formation. The stress drop magnitude associated with the stick-slip events tends to increase with  
 156 cumulative fault slip, and ranges from 5 MPa for the smallest event of sample S2 at 1  $\mu\text{m/s}$  (see  
 157 Fig. 1b), to 9 MPa for the largest stick-slip event on sample S1, loaded at 0.5  $\mu\text{m/s}$  (see Figure 1a).  
 158 In contrast, increasing loading rates from 0.05  $\mu\text{m/s}$  to 1.0  $\mu\text{m/s}$  showed a reduction in peak stress  
 159 from 15 MPa to about 10 MPa. This was accompanied by a decrease of stress drop magnitude  
 160 from 7 MPa to 5 MPa (Figure 1b).

161

162 In general, preparatory slip on smooth faults is small and failure occurs abruptly (i.e. the main slip  
 163 episode lasts about 2 ms, see Fig. 4b). Additionally, we did not resolve any time delay between  
 164 the different strain gage signals sampled at frequencies up to 5 kHz. Considering the spacing of  
 165 2.5 cm between the strain gages (Fig. S2), and assuming a rupture front propagating in the fault  
 166 plane along the fault strike direction (see Fig. S1b), this would result in rupture velocities  $V_r$  larger  
 167 than 125 m/s. During the elastic loading of the locked smooth faults, we observed very little AE  
 168 activity. However, every single stick-slip event was accompanied by a very large AE, and by an  
 169 audible sound. Large AE events' timings correspond to the time of the main stress drop  $\pm 100$  ms,  
 170 within the accuracy of the synchronized data acquisition systems. These AEs have large and  
 171 typically clipped waveforms that last several milliseconds. The AE hypocenters of these large  
 172 events were located on the sawcut faults partly forming localized clusters (Fig. 1c-f). Based on P-  
 173 wave first motion polarities (Zang et al., 1998), the AEs display predominantly double-couple  
 174 shear mechanisms.

175

### 3.1.2 Rough fault



176

177 *Figure 2: (a) Evolution of shear stress, fault slip and acoustic emission rate on a rough fault under loading rates of 0.5 and 1*  
 178  *$\mu\text{m/s}$  using sample R1. (b) Fault surface view of corresponding AEs locations and types at the start of the experiment, before the*  
 179 *first stick-slip st1. (c) AEs locations over the fault surface and their source types after the second stick-slip st2, and until stick-*  
 180 *slip st3. (d) Side view of all located AEs during the experiment. The black dots indicate the location of the AEs associated with*  
 181 *the main stick-slip events. Note that the size of each dot is positively correlated with the amplitude of an AE event. The source*  
 182 *types of AE hypocenter can be classified into tensile, compaction and shear focal mechanism based on P-wave first motion*  
 183 *polarities.*

184 Loading of the sample containing a rough fault resulted in significantly different deformation  
185 compared to smooth faults. Beyond a yield stress, the sample assembly shortened by continuous  
186 sliding along the sawcut fault. At a piston displacement rate of  $0.5 \mu\text{m/s}$  the samples showed stable  
187 sliding for about 1.5 mm and hardening with strength increasing by about 10 MPa. Sliding was  
188 accompanied by prominent AE activity reaching a total 1595 events before a sudden stick-slip  
189 event (st1) occurred (Fig. 2a). AEs were aligned with the sawcut fault and distributed across the  
190 entire fault surface (Fig. 2b-d). Initially, during stable slip AEs were dominated by small-  
191 magnitude compaction events (Fig. 2b and S9c), progressively replaced by shear events and few  
192 tensile source types (cf. similar AEs microkinematic behavior for stick-slip experiments at higher  
193 confining pressure in Kwiatek, Goebel, et al., 2014). The first stick-slip (st1) occurred after about  
194 2 mm of stable sliding, with a stress drop of about 16 MPa, terminating the first phase of the test.  
195 We note that the AE activity did not increase significantly prior to failure.

196 After event st1 the fault was locked again and elastic loading resumed to a yield point at a shear  
197 stress of about 32 MPa (sl1), which is roughly similar to the peak stress reached before the stick-  
198 slip event st1 occurred. Stable fault slip initiated at a peak shear stress of 34 MPa and the fault  
199 strengthened again but at a smaller rate. This sliding episode lasted until the displacement rate was  
200 increased to  $1 \mu\text{m/s}$ . Shortly after the displacement rate was increased, two stick-slips occurred  
201 (st2 and st3) with stress drops of about 15-20 MPa. Both stick-slip events were preceded by bursts  
202 in AE activity.

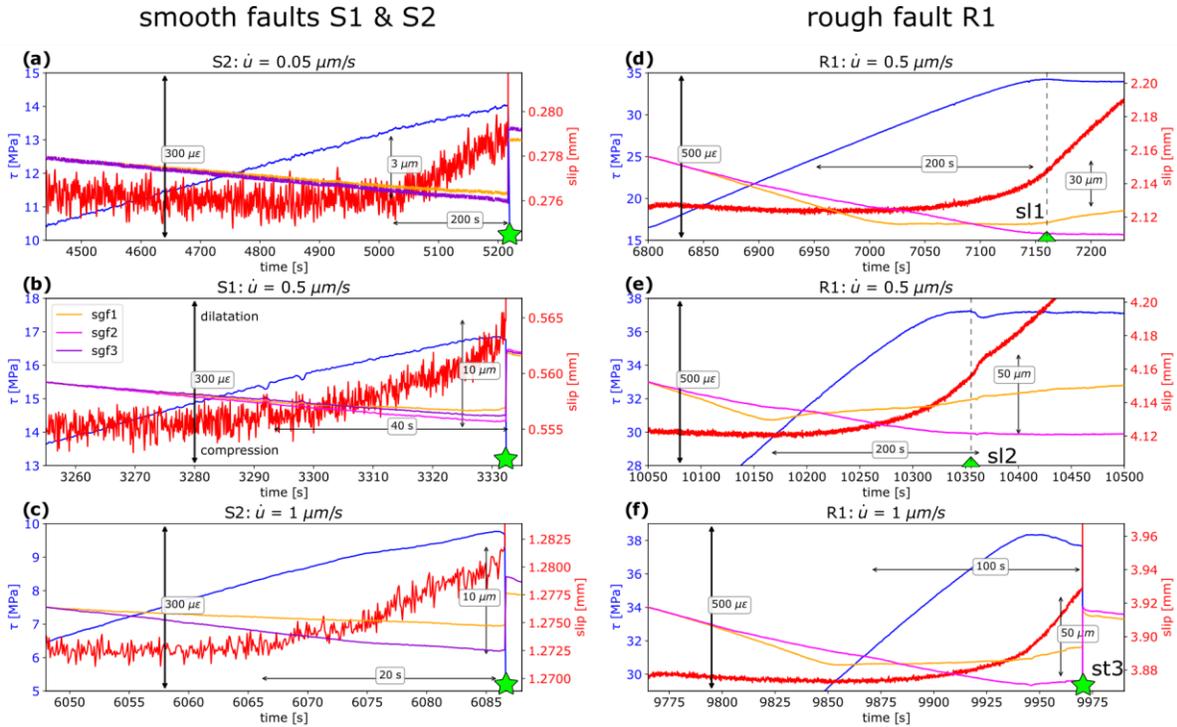
203 After the stick-slip event st3, the loading was reset to a displacement rate of  $0.5 \mu\text{m/s}$ . The sawcut  
204 was locked and loading reached a peak stress of 38 MPa beyond which a small slow slip event  
205 (sl2) initiated a third stable sliding phase. This suggests that the transition to unstable behavior at  
206 the loading rate of  $1 \mu\text{m/s}$  is a result of the increased loading rate rather than of the surface  
207 evolution by cumulative slip. Note that slow slip sl2 is preceded by a burst of AEs similar to the  
208 one preceding stick-slip event st2, showing that bursts in AEs are not necessarily followed by rapid  
209 stick-slip events.

210 Overall, the located AEs align well with the fault plane (Fig. 2d). In a 100 seconds time window  
211 just before stick-slip events we observed a relatively dispersed population of AEs which however  
212 concentrate on local higher stress areas (Fig. 2c and S4). In general, the AE events occurring

213 shortly before stick-slip events and slow slip events display larger amplitudes and are dominantly  
 214 shear focal mechanism. A few compaction events remain smaller in comparison.

215 The magnitude-frequency distribution of AEs shows a continuous trend of decreasing  $b$ -value  
 216 towards the final stick slip event st3 (Fig. S9). This trend is punctuated by short episodes of rapid  
 217  $b$ -value decrease likely associated with local slip events (Dresen et al., 2020).

218 **3.2 Preparatory slip**



219  
 220 *Figure 3: Evolution of shear stress (blue curve), slip (red curve) and available fault parallel strain gage signals (purple, pink and*  
 221 *yellow curves), during selected phases of the rock deformation experiments. (a-c) Selected stick-slips for smooth faults S1 and S2*  
 222 *at loading rates of (a)  $\dot{u} = 0.05 \mu\text{m/s}$ , (b)  $0.5 \mu\text{m/s}$  and (c)  $1 \mu\text{m/s}$ . (d,e) Slow-slip events sl1 (d) and sl2 (e) at a loading rate of  $\dot{u} =$*   
 223  *$0.5 \mu\text{m/s}$  on the rough fault. (f) Stick-slip st3 on the rough fault R1, loaded at  $\dot{u} = 1 \mu\text{m/s}$ . The strain signals are offset to zero at*  
 224 *the start of the plots, upwards corresponds to dilatation while downwards corresponds to compression. The strain amplitude in*  
 225  *$\mu\epsilon$  is indicated on each plot. Stick-slip onsets are indicated by green stars, and slow slip onsets, corresponding to the start of*  
 226 *shear stress decrease, are indicated by green triangles.*

227

228 **3.2.1 Smooth faults**

229 Here we focus on the preparatory aseismic slip prior to stick-slips on smooth sawcut faults at  
 230 different background loading rates (Fig. 3a-c), showing a few representative stick-slip events in  
 231 greater detail. Macroscopic slip (Eq. -2) corresponds to the average displacement between the two  
 232 fault blocks. After stick-slip events, the smooth faults were locked and loading resulted in elastic  
 233 deformation of the bulk sample (e.g. Fig. 3a, 4500-5000s). Beyond a yield point, slip initiated,  
 234 eventually leading to failure. The total amount of fault slip for the smooth faults ( $Z_{\text{rms}} \approx 3 \mu\text{m}$ )  
 235 during this preparatory phase is estimated to be about 3-10  $\mu\text{m}$ . The duration of the preparatory

236 phase decreased with increasing loading rate, from about 200 s at 0.05  $\mu\text{m/s}$ , to 40 s at 0.5  $\mu\text{m/s}$ ,  
237 and 20 s at 1  $\mu\text{m/s}$  (Fig. 3a-c).

238

239 Within 10 s before failure (see Fig. S6a-c), we observed that the fault parallel strain gage signals  
240 started diverging a few seconds before the stick-slips. At a loading rate of 0.5  $\mu\text{m/s}$ , the shear stress  
241 started dropping roughly one second before the slip event. At a loading rate of 1  $\mu\text{m/s}$  shear stress  
242 decreased approximately 0.5 s before failure. At a low loading rate of 0.05  $\mu\text{m/s}$ , this weakening  
243 phase is just barely observable due to moderate mechanical noises visible on stress, slip and  
244 deformation signals (Fig. S6a).

### 245 **3.2.2 Rough faults**

246 Preparatory slip before slow and fast slip events on the rough fault ( $Z_{\text{rms}} \approx 14 \mu\text{m}$ ) showed a more  
247 complex behavior (Fig. 3d-f). For example, stick-slip events st1 and st2 occurred quasi-  
248 instantaneously without visible slip acceleration, irrespective of doubling the loading rate between  
249 events (Fig. S6d-f). This is in contrast to stick-slip st3 and slow slip sl1 and sl2 (Fig. 3d-f). The  
250 preparatory phase lasting approximately 200 s corresponds to an amount of slip up to roughly  
251 50  $\mu\text{m}$  (5 times the slip observed on the smooth fault at the same loading rate) for the two slow  
252 slip events sl1, sl2. Prior to stick-slip st3 at a loading rate of 1  $\mu\text{m/s}$ , preparatory slip duration was  
253 reduced to 100 s, while the slip amount remained about 50  $\mu\text{m}$  (st3, Fig. 3f). Interestingly, the start  
254 of preparatory slip seems to correspond to some local slip detected on the strain signal of sgf1  
255 (Fig. 3d-f), while strain gage sgf2 remains in compression.

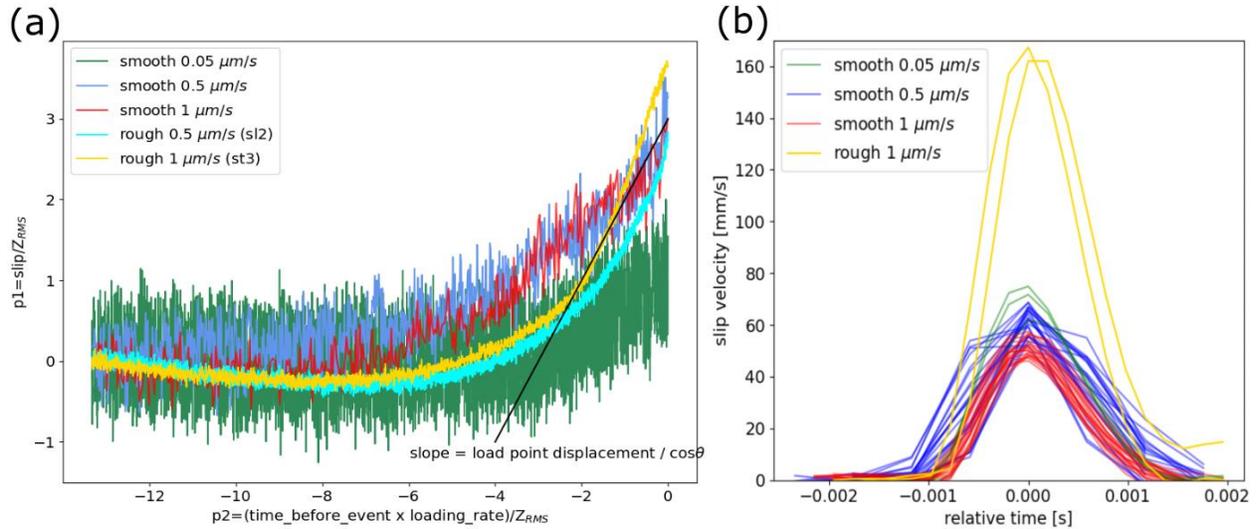
256

257 Prior to stick-slip st2 (Fig. S6e, f), no such preparatory slip acceleration could be observed as the  
258 fault was not ‘sealed/locked’ by a previous stick-slip, but instead the fault was creeping  
259 continuously. However, we observe that the increase of loading rate from 0.5 to 1  $\mu\text{m/s}$  (Fig. S6e,  
260 around 9640 s), caused strong shear stress instabilities before triggering the main stick-slip.  
261 Zooming in events st1 (Fig. S6d) and st2 (Fig. S6f), for which the fault continuously creeps and is  
262 driven by the load point velocity ( $v_{\text{lp}}$ ), we do not resolve any clear precursory signal prior to failure.  
263 The precursory stress variations might be much smaller than the large stress oscillations observed  
264 during a few tens of seconds preceding the events.

265

### 266 **3.2.3 Scaling of the preparatory slip with loading rate and roughness**

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269  
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272

Figure 4: (a) Dimensionless plot of slip normalized by roughness versus the time to events (instability) normalized by loading rate and roughness ( $Z_{rms}$ ). The slope corresponding to the load point displacement projected on the fault plane is indicated by a solid black line. (b) Average slip velocity between the fault blocks recorded during stick-slip events on smooth faults at loading rates of 0.05  $\mu\text{m/s}$ , 0.5  $\mu\text{m/s}$  and 1  $\mu\text{m/s}$ , and the rough fault at a loading rate of 1  $\mu\text{m/s}$ .

273 The preparatory slip displacement depends on roughness and the duration of the preparatory slip  
274 phase depends on both roughness and loading rate. To compare the data from the different tests  
275 we plot the non-dimensional parameters  $p1 = \text{slip}/Z_{rms}$  and  $p2 = (\text{time-to-event} \times \text{loading-rate})/Z_{rms}$ .  
276 Although we observe that this scaling works rather well for the total normalized slip amount  
277 (except for the smooth fault at the loading rate of 0.05  $\mu\text{m/s}$  where the scaled slip is approximately  
278 half the slip amount observed at other loading rates), the shape of the curves for smooth and rough  
279 faults are different. The slip on smooth faults increases at a low rate accounting for only a fraction  
280 (10% - 30%) of the load point velocity ( $0.1-0.3 v_{lp}$ , see Fig. S11). For the rough fault at the loading  
281 rate of 0.5  $\mu\text{m/s}$ , preparatory slip clearly accelerated following the growth trend of  $1/(\text{time to failure})$ .  
282 On the same rough fault, prior to stick-slip event st3 at the loading rate of 1  $\mu\text{m/s}$ , slip  
283 evolution accelerates as  $1/(\text{time to failure})$  before reaching  $v_{lp}$ , and slightly exceeding it at failure  
284 (see Fig. 4a and S8).

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286  
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### 3.2.4 Slip velocity associated with the stress drop during stick-slip events

288  
289 During the co-seismic stage of stick-slip we measured the average magnitudes of slip and stress  
290 drop along the fault plane by using the recordings of axial force, displacement and deformation  
291 values at the edges of samples (see Section 2). In Fig. 4b, we looked at the slip velocities during  
292 the short phase where most of the slip occurs, when the high-speed data is available. For both  
293 smooth and rough faults this phase lasted about 2 ms. At a loading rate of 1  $\mu\text{m/s}$ , the smooth fault  
294 S2 slipped with velocities between 45 to 55 mm/s, the stress drop was around 4.5 to 6 MPa and  
295 the slip around 60  $\mu\text{m}$  (Fig. S7). For comparison, the preparatory slip velocity on smooth faults  
296 ranged from 0.005  $\mu\text{m/s}$  to 0.45  $\mu\text{m/s}$ , at load point displacement rates of 0.05  $\mu\text{m/s}$  and 1  $\mu\text{m/s}$ ,  
297 respectively. The total preparatory slip was around 10  $\mu\text{m}$ , accounting for about 15% - 20% of the  
298 displacement measured during stick-slip events. At a loading rate of 1  $\mu\text{m/s}$  on the rough fault, the  
299 slip velocity reached 160 mm/s, the stress drop 18-19 MPa, and the slip was around 200  $\mu\text{m}$  (4  
300 times the amount of preparatory slip). In these experiments, the slip velocity increased with

301 decreasing loading rate, with values larger than 70 mm/s at 0.05  $\mu\text{m/s}$ . Slip velocity was also  
 302 strongly correlated with stress drop (Fig. S10). When plotting shear stress versus slip (Fig. S7), we  
 303 obtained the fault stiffness of  $K \approx 85 \text{ MPa/mm}$  for the smooth faults, and  $K \approx 95 \text{ MPa/mm}$  for the  
 304 rough fault.

#### 305 **4 Discussion**

306  
 307 The results of this study provide new insights into the preparatory and nucleation phase of seismic  
 308 ruptures and factors controlling frictional instabilities at the laboratory scale. In particular, we  
 309 stress the important role of fault roughness and loading rate for the transition to dynamic failure at  
 310 elevated confining pressures. The preparatory slip phase prior to failure shows major differences  
 311 between smooth and rough faults. The average fault slip, local strain variations, and the evolution  
 312 of AE characteristics clearly depend on roughness. In general, our observations showed  
 313 dominantly stable slip of rough faults at 35 MPa confining pressure and at load point displacement  
 314 rate of 0.5  $\mu\text{m/s}$ . In contrast, smooth sawcut faults produced multiple stick-slips at similar  
 315 conditions. This is in good agreement with results from previous studies (e.g. Morad et al., 2022;  
 316 Okubo & Dieterich, 1984).

317  
 318 A plethora of studies showed that roughness of faults plays an important role in controlling fault  
 319 stability (Ohnaka, 2003, Ohnaka and Shen 1999, Harbord et al., 2017; Morad et al., 2022; Okubo  
 320 & Dieterich, 1984, Scholz, 1988). Okubo & Dieterich (1984) showed that the critical slip-  
 321 weakening distance  $D_c$  over which the stress reaches its residual level increases with roughness.  
 322 This means that the critical patch size or nucleation length required for a rupture to reach instability  
 323 and accelerate to a dynamic rupture is larger for rough faults, assuming a constant stress drop.  
 324 Also, the preparatory slip is expected to increase with roughness, which is in good agreement with  
 325 our observations since we find that the average slip amount during the yielding phase prior to stick-  
 326 slip events scales with roughness (Fig. 4a). Note that decreasing roughness does not always  
 327 promote instability, as very smooth faults ( $Z_{\text{rms}} < 1 \mu\text{m}$ ) were found to also exhibit stable behavior  
 328 (Morad et al., 2022) and rough faults can become unstable at very high confining pressures  
 329 (Harbord et al., 2017).

330  
 331 All stick-slip events observed for smooth and rough samples were accompanied by an audible  
 332 noise likely caused by the propagation of a dynamic rupture. In the framework of slip-weakening  
 333 friction law, the critical nucleation length  $L_c$  for dynamic rupture has been estimated by Uenishi  
 334 & Rice (2003) as:

$$335 \quad L_c = 1.158 \frac{G}{K_f} \quad (3)$$

336 where  $G$  is shear modulus and  $K_f$  is slip weakening rate (here equivalent to calculation of fault  
 337 stiffness). We estimated an average value of  $K_f$  of 90 MPa/mm and  $G = 30 \text{ GPa}$  for La Peyratte  
 338 granite. A similar estimate for a circular patch with the critical radius  $R_c$  was given by Day (1983):  
 339

$$340 \quad R_c = 7\pi/24 \frac{G}{K_f}. \quad (4)$$

341 The estimates for the critical nucleation length using Eq. 3 and Eq. 4 give 39 cm and 30 cm,  
 342 respectively. Both estimates exceed the sample size suggesting that dynamic slip should not occur  
 343 in stark contrast to our observations. We posit that this discrepancy may be due to the nature of  
 344 the failure process. We suggest that the stress drop occurs very rapidly over a short slip distance

345 that is not captured by the data acquisition system sampling force and displacement in the far-field,  
346 with maximum rates of 2 and 5 kHz, respectively. This indicates that most of the slip lasting about  
347 2 ms is accommodated by frictional sliding. As discussed in Paglialunga et al., (2021), the stress  
348 versus slip evolution measured likely represents a long-tail process over a slip distance that is much  
349 larger than the critical slip-weakening distance  $D_c$  associated with rapid initial stress drop (by a  
350 factor 50 in Paglialunga et al., 2021), and which controls rupture nucleation.

351  
352 We find that recorded stick-slip duration for all events is similar (around 2 ms) as observed  
353 previously in stick-slip tests performed with constant machine stiffness. This implies a linear  
354 relation between slip rate (particle velocity) and stress drop (Johnson & Scholz, 1976) as also  
355 suggested theoretically by Brune (1970). Our results also show that stress drop correlates with  
356 maximum slip rates (Fig. S10). It explains the larger slip rates recorded on rough faults for which  
357 the stress drop is also larger compared to smooth faults. This larger stress drop, although influenced  
358 by the loading rate, is probably primarily controlled by the peak friction which is also larger on  
359 the rough fault, in agreement with previous studies (Ohnaka, 1973).

360  
361 Increasing the loading rate on rough faults (from 0.5  $\mu\text{m/s}$  to 1  $\mu\text{m/s}$ ) clearly promotes instability,  
362 as previously observed under lower pressure conditions (Guérin-Marthe et al., 2019; Kato et al.,  
363 1992; McLaskey & Yamashita, 2017). Increasing load point velocity from 0.05  $\mu\text{m/s}$  to 1  $\mu\text{m/s}$  on  
364 smooth faults reduced stress drop  $\Delta\tau$  of stick-slip events from 7 MPa to 5 MPa. Also, increasing  
365 loading rate by a factor 20 reduces average slip rates from 70-75 mm/s to 45-55 mm/s. This  
366 suggests that increasing the loading rate of smooth fault surfaces in granite does not necessarily  
367 promote unstable slip. This is in contrast with the observations on rough faults. Although as  
368 discussed by Guerin-Marthe (2019) instabilities could be suppressed if the contacts do not have  
369 the time to re-strengthen under a sustained high loading rate, it does not seem to apply here.  
370 However, as cumulative slip increases under a loading rate of 1  $\mu\text{m/s}$ , the stress drops of stick-slip  
371 events increased as well, suggesting rather that cumulative slip might be also influencing the  
372 stability of smooth faults.

373  
374 Preparatory slip on rough faults is accompanied by numerous AEs with activity increasing prior  
375 to stick slip events (Fig. S8 and Fig. 3a, st2, st3). The AEs are distributed across the fault but  
376 approaching failure, larger events concentrate on long wavelength fault asperities possibly  
377 concentrating local stresses (Goebel et al., 2012). The AE activity preceding the failure starts when  
378 an increase in slip rate is observed, in cases coinciding with macroscopic yielding or very small  
379 stress drops (Dresen et al., 2020; McLaskey & Lockner, 2014, see Fig. S8). We also observe  
380 diverging strain gage signals located along the faults displaying that slip is heterogeneous in space  
381 and time. In general, this heterogeneity is also manifested by short episodes of significant  $b$ -value  
382 fluctuations during stable slip superimposed on a general trend of decreasing  $b$ -value (Fig. S9).

383  
384 From the combined mechanical data and AE characteristics of the rough fault experiment, a  
385 complex slip pattern emerges. It suggests spatio-temporally distributed slip patches along the  
386 surface, which are growing/coalescing with cumulative slip, while the fault blocks are  
387 macroscopically slipping at the load point velocity. A large amount of slip is needed in order to  
388 redistribute stresses (by breaking asperities) and create a critical slip patch causing instability. The  
389 coalescence of slipping patches would agree with the acceleration of preparatory slip with time  
390 observed for the rough faults when they are previously locked. This could also help explaining the

391 loading rate role in promoting instabilities at 1  $\mu\text{m/s}$ . Indeed, under a low loading rate, if enough  
392 asperities are able to re-strengthen, while others are broken, then the fault can slip continuously in  
393 a stable fashion. However, as the re-strengthening of contacts is not only slip-dependent, but also  
394 time-dependent (Dieterich & Kilgore, 1994), increasing loading rate could also rise the proportion  
395 of weak/broken versus strong contacts, and therefore increases the likelihood of having a large  
396 slipping patch close to the critical size for dynamic rupture.

397  
398 On smooth faults, the behavior is different. First, almost no AEs are detected during the preparatory  
399 phase, from the onset of yielding until the stick-slip. This is a possible effect of the small elevation  
400 of contacts which upon breaking do not necessarily trigger AEs above the noise level, and is  
401 generally comparable to what has been observed for stick-slip experiment on smooth faults in  
402 Kwiatek, Goebel, et al. (2014). Then, we observe that smooth faults are always unstable with  
403 regular stick-slip events, for the whole range of load point velocities applied (0.05-1  $\mu\text{m/s}$ ). We  
404 argue that on smooth faults, once a slipping patch or crack has formed, the stress increase at its  
405 tips might be sufficient to break the small contacts immediately surrounding it. A slipping zone  
406 could therefore expand and accelerate relatively easily, reaching dynamic rupture velocities. In  
407 comparison, if an asperity breaks or a patch starts slipping on a rough fault, there might be strong  
408 contacts preventing further growth, and the next asperity to break might not be an adjacent one.  
409 As long as the slipping patches are not able to merge reaching the critical length for instability, we  
410 might expect stable sliding.

#### 411 **Conflict of Interest**

412  
413 The authors declare no conflicts of interest relevant to this study.

#### 414 **Data Availability Statement**

415  
416 The data used in this manuscript are available online (<https://doi.org/10.5281/zenodo.6411819>).

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- 558



*Geophysical Research Letters*

Supporting Information for

## **Preparatory Slip in Laboratory Faults: Effects of Roughness and Loading Rate**

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### **Contents of this file**

Text S1

Figures S1 to S11

## Introduction

The complementary material of the article includes:

- The description of Acoustic Emissions (AEs) processing (Text S1)
- The roughness characterization of the fault surfaces (Fig. S1)
- The sensor setup (Fig. S2)
- The scans of the sandblasted sawcut surfaces (Fig. S3)
- The acoustic emission locations prior a stick-slip event, superimposed to the topography of the rough fault (Fig. S4)
- Stress vs strain curve for estimating the Young's modulus of the La Peyratte granite samples. (Fig. S5)
- The stress, slip and strain evolution during a few seconds prior to selected stick-slip events on rough and smooth faults (Fig. S6)
- The fault stiffness estimation (Fig. S7)
- A zoom on stick-slip events on the rough fault, with the acoustic emission locations (Fig. S8)
- The b-value evolution during the experiment on the rough fault (Fig. S9)
- The relation between stress drop and maximum slip velocity (Fig. S10)
- A comparison between the slip velocity during the preparatory phase of smooth faults and the load point velocity (Fig. S11)

### Text S1.

Full AE waveforms, as well as active ultrasonic transmission measurements were recorded at a sampling rate of 10 MHz with 16-bit amplitude resolution using the 16-channels DAXBox (Prökel) recording system. The full waveform recordings were first separated into AE events and UT measurements using an automated procedure. Active ultrasonic transmission (UT) measurements were performed every 10 seconds throughout the whole experiment. P-wave travel times were first picked using the Akaike information criterion (AIC) criterion and corrected for the sample deformation and fault slip. These travel times were then used to calculate time-dependent quasi-anisotropic P-wave velocity model composed of 5 layers perpendicular to and 1 vertical layer parallel to loading axis (see e.g., Stanchits et al. 2011; Kwiatek et al. 2014). The recordings of AE events were first amplified by 40 dB and high-pass filtered at 100 kHz (Physical Acoustic Corporation). P-wave arrival times were automatically picked using the convolutional neural network-type picker based on Ross et al., (2018) picker trained on AE experiments. To locate AEs, the Equivalent Differential Time method (e.g., Font et al., 2004) was used and solved using a combination of grid search followed by simplex (e.g. Nelder and Mead, 1965) optimization algorithms while using the time-dependent velocity model derived earlier from UT data. The average AE hypocenter location accuracy is  $\pm 2$  mm (Stanchits et al., 2011).

After hypocenter determination, the relative AE magnitude was estimated as:

$$M_{AE} = \log_{10} \sqrt{\frac{1}{n} \sum_{i=1}^n (A_i R_i)^2},$$

where  $A_i$  and  $R_i$  are the first P-wave amplitude and source-receiver distance for each individual AE sensor  $i$ , respectively (e.g. Dresen et al., 2020; Zang et al., 1998). We note this magnitude reveals relative size differences between AE events and is not directly calibrated to the physical size of the events (see e.g. Dresen et al., 2020 for additional discussion). Finally, polarity coefficient has been calculated for each AE event following Zang et al. (1998):

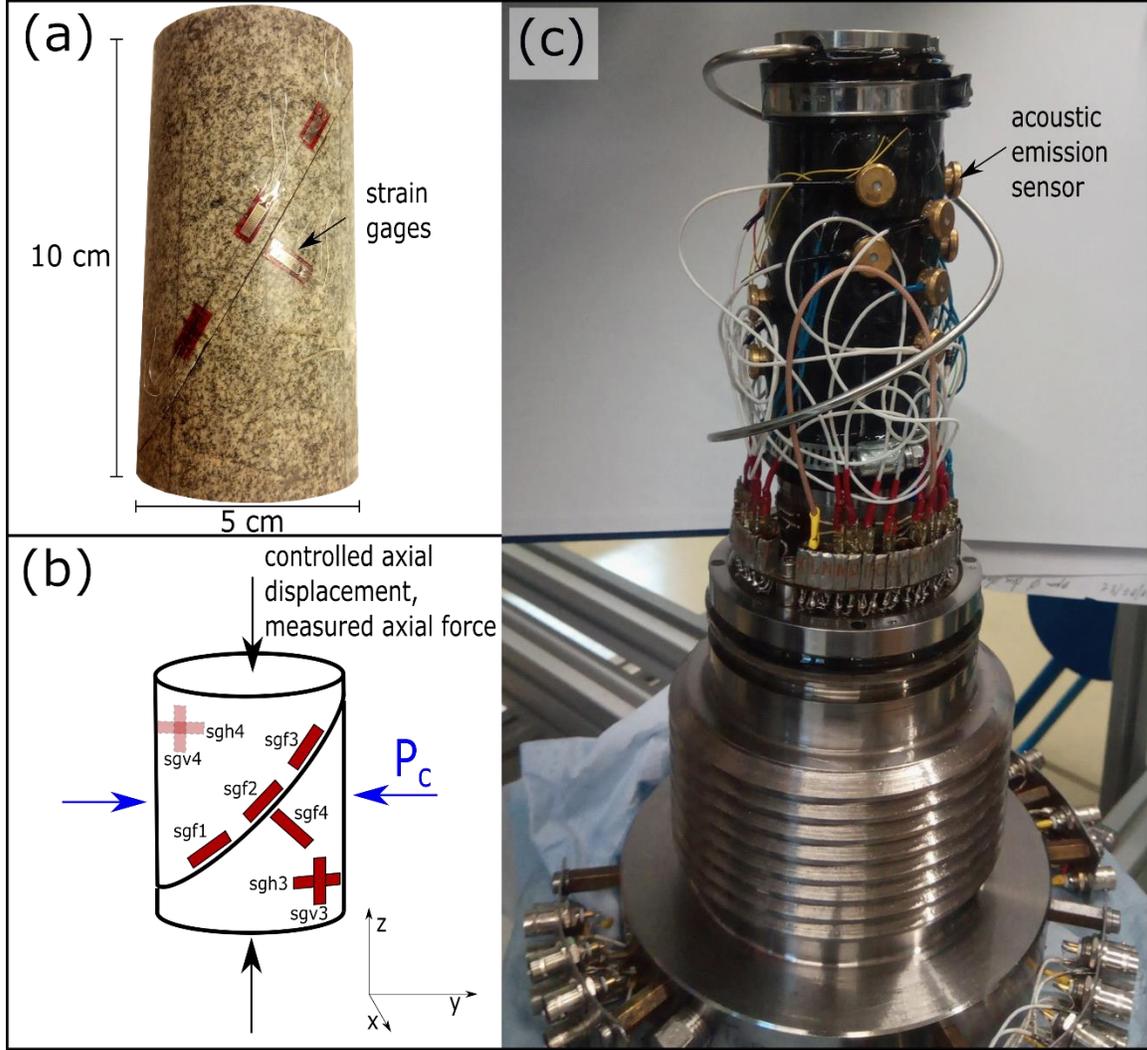
$$p_{AE} = \frac{1}{n} \sum_{i=1}^n \text{sgn}(A_i),$$

using average polarity of first P-wave amplitudes (cf. Figure S9c). This parameter signifies whether the AE events microkinematics reflects material compaction, tensile opening or shearing (see Zang et al. 1998 for details).

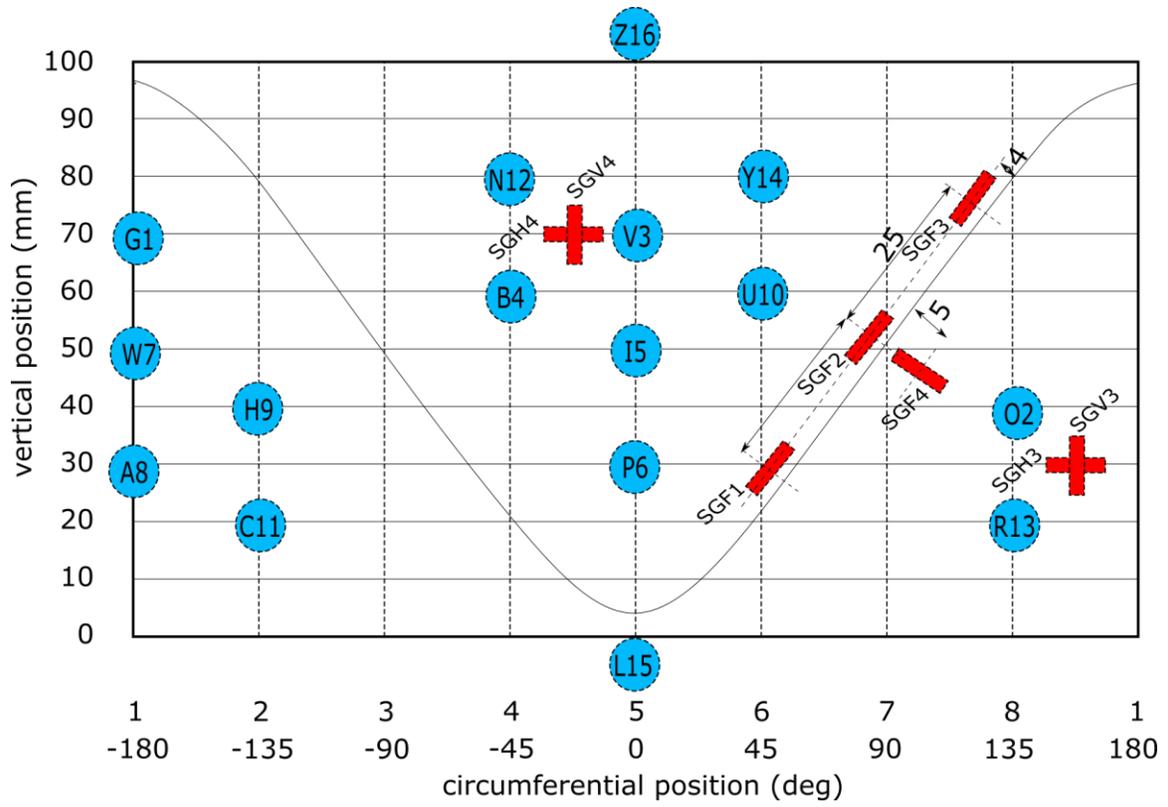
Using the catalog of located AE events above the AE magnitude of completeness of  $M_{AE}^C = 1.8$  (assessed by visual inspection of magnitude-frequency distribution) we calculated the magnitude-frequency Gutenberg Richter b-value in a moving time window of 200 seconds (Figure S9b). For each window, the b-value has been estimated using the maximum likelihood approach:

$$b = \frac{1}{\overline{M_{AE}} - M_{AE}^C} \log_{10}(e),$$

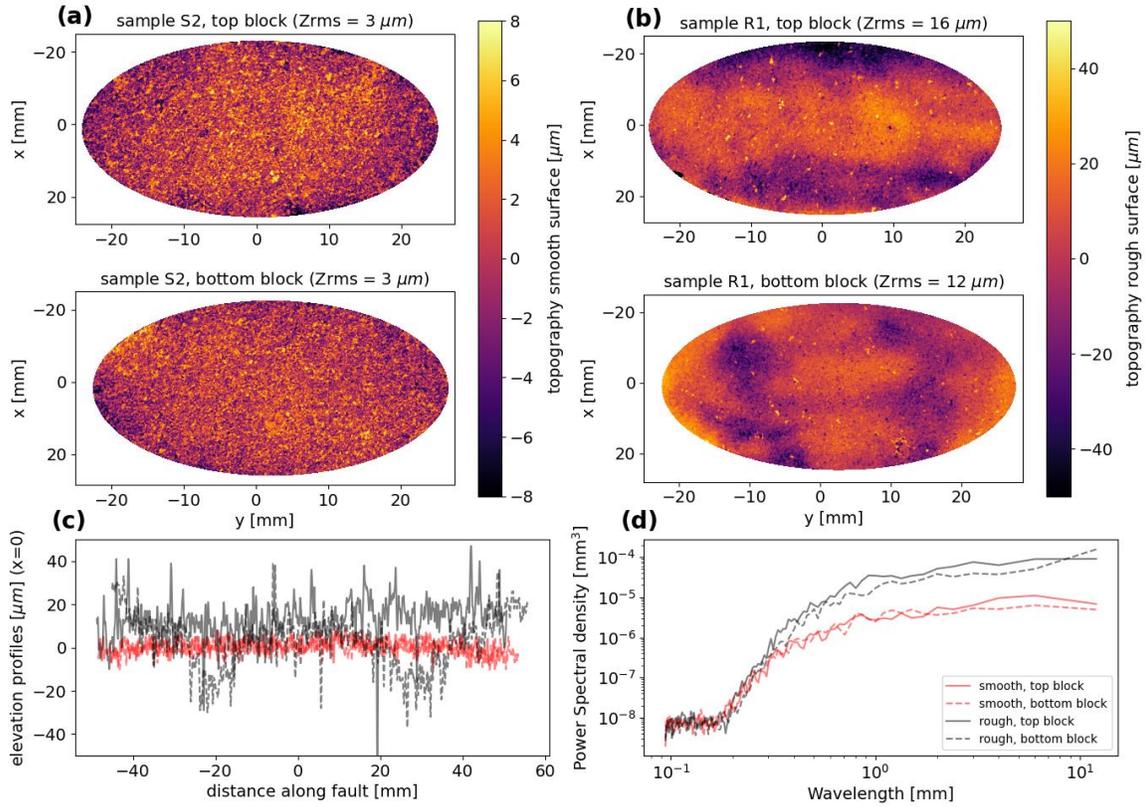
where  $\overline{M_{AE}}$  is the average magnitude of events above magnitude of completeness. The estimates have been corrected for the bin size (e.g. Guo & Ogata, 1997). The uncertainties of b-value have been estimated following Shi & Bolt (1982), suitable for weakly non-stationary catalogs.



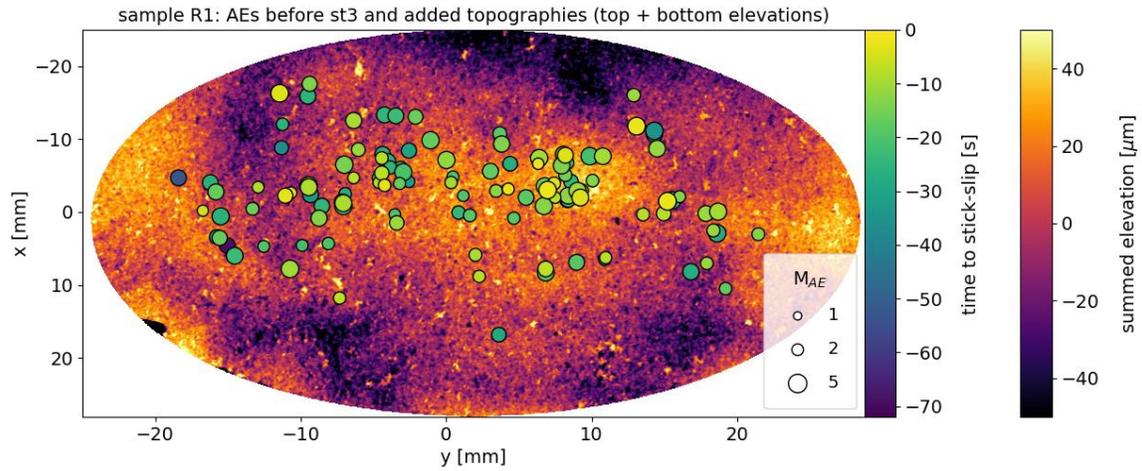
**Figure S1.** (a) Photography of the sawcut granite blocks with the strain gages glued directly on the sample. (b) Schematic view of the strain gages configuration and of the loading forces. (c) Specimen assembly with the AE sensors placed in brass casings mounted directly on the sample by filling holes pierced through the rubber jacket.



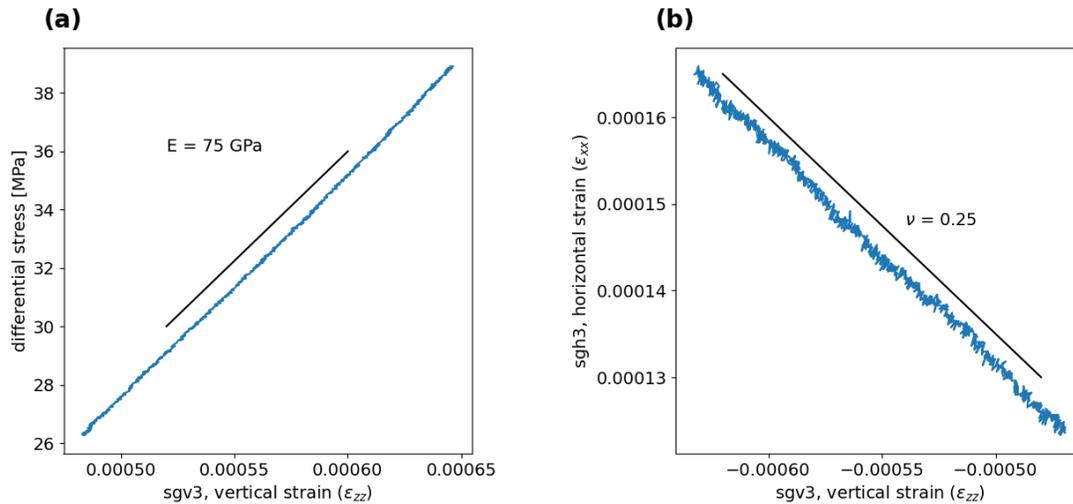
**Figure S2.** Sensor map with blue circles corresponding to the acoustic sensors array, and the red rectangles referring to the strain gages.



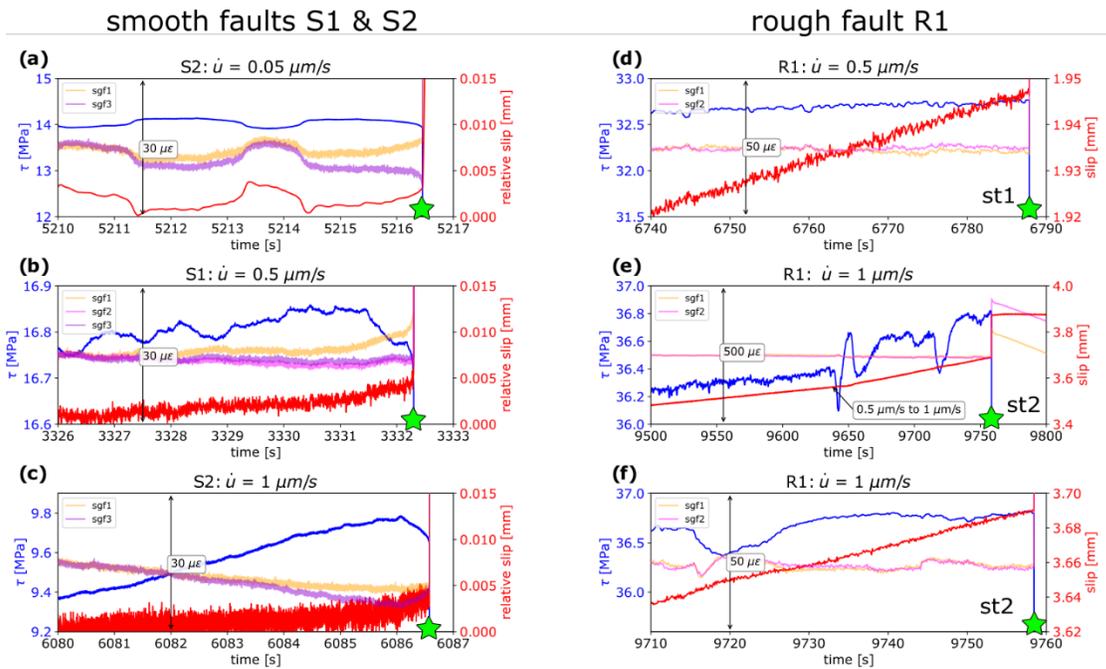
**Figure S3.** (a) Surface topography of top and bottom blocks for a smooth fault, sample S2. (b) Surface topography of top and bottom blocks for a rough fault, sample R1. (c) Elevation profiles along the fault surfaces major axis (at  $x=0$ ) for the rough and smooth faults, top and bottom blocks. (d) Spectral analysis of the elevation profiles.



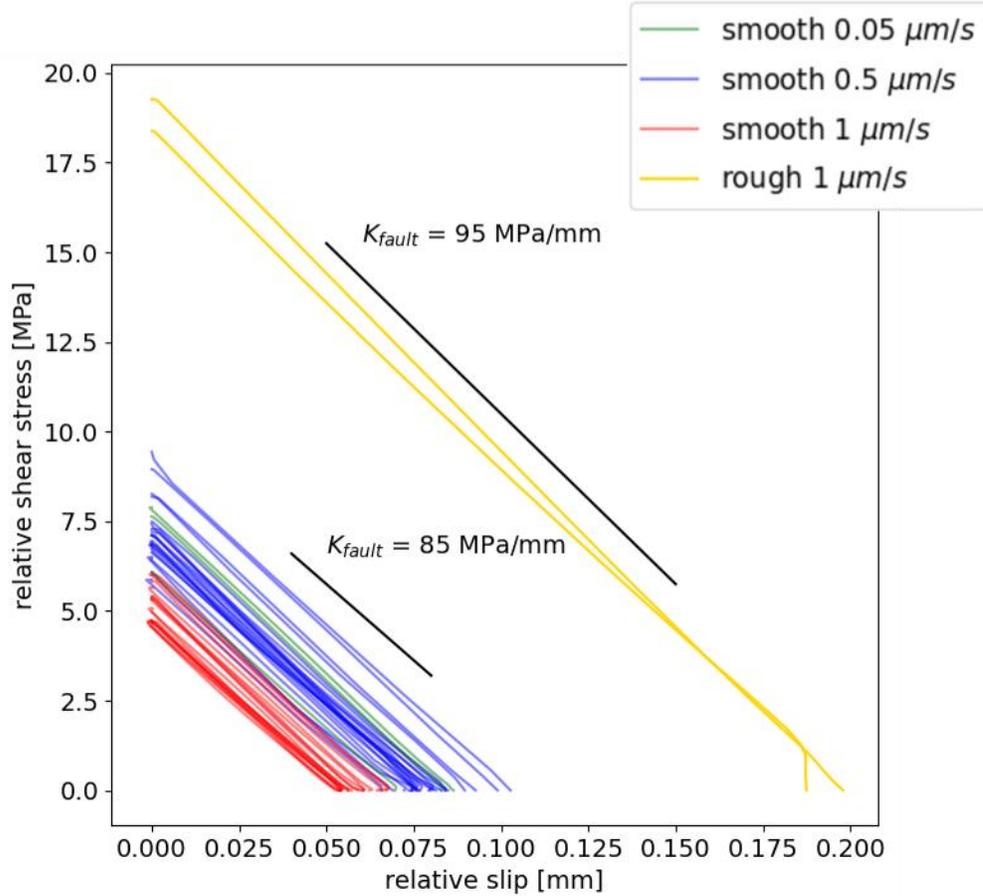
**Figure S4.** Added topographies of the rough surfaces from sample R1 (top block topography + bottom block topography) with superimposed acoustic emissions before stick-slip event st3.



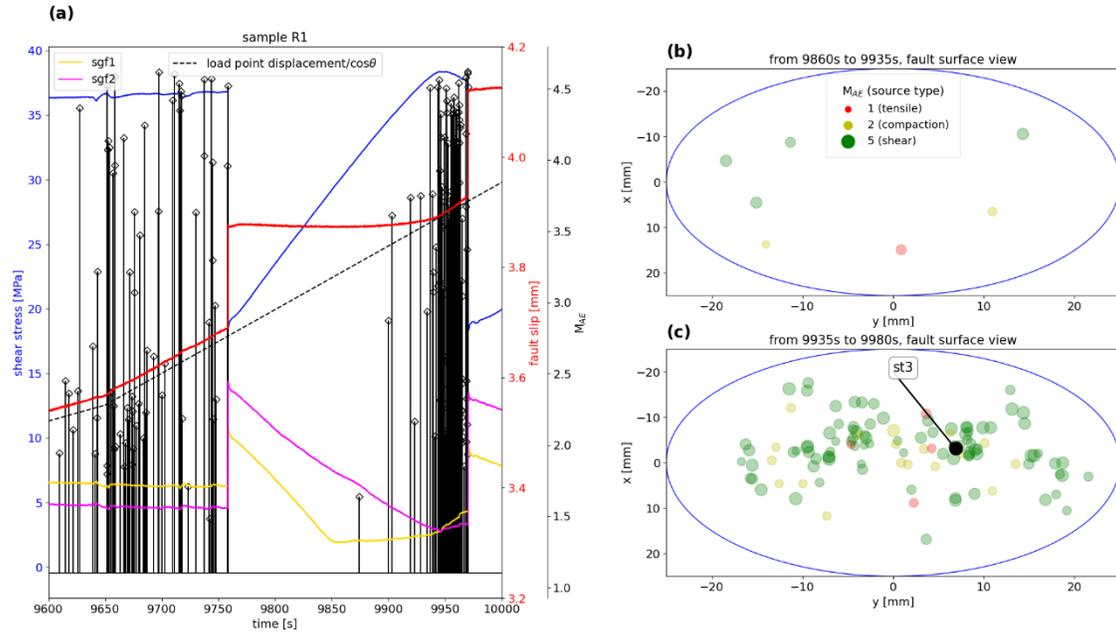
**Figure S5.** Elastic parameters estimates for La Peyratte granite samples, during elastic loading: (a) Young's modulus and (b) Poisson's ratio.



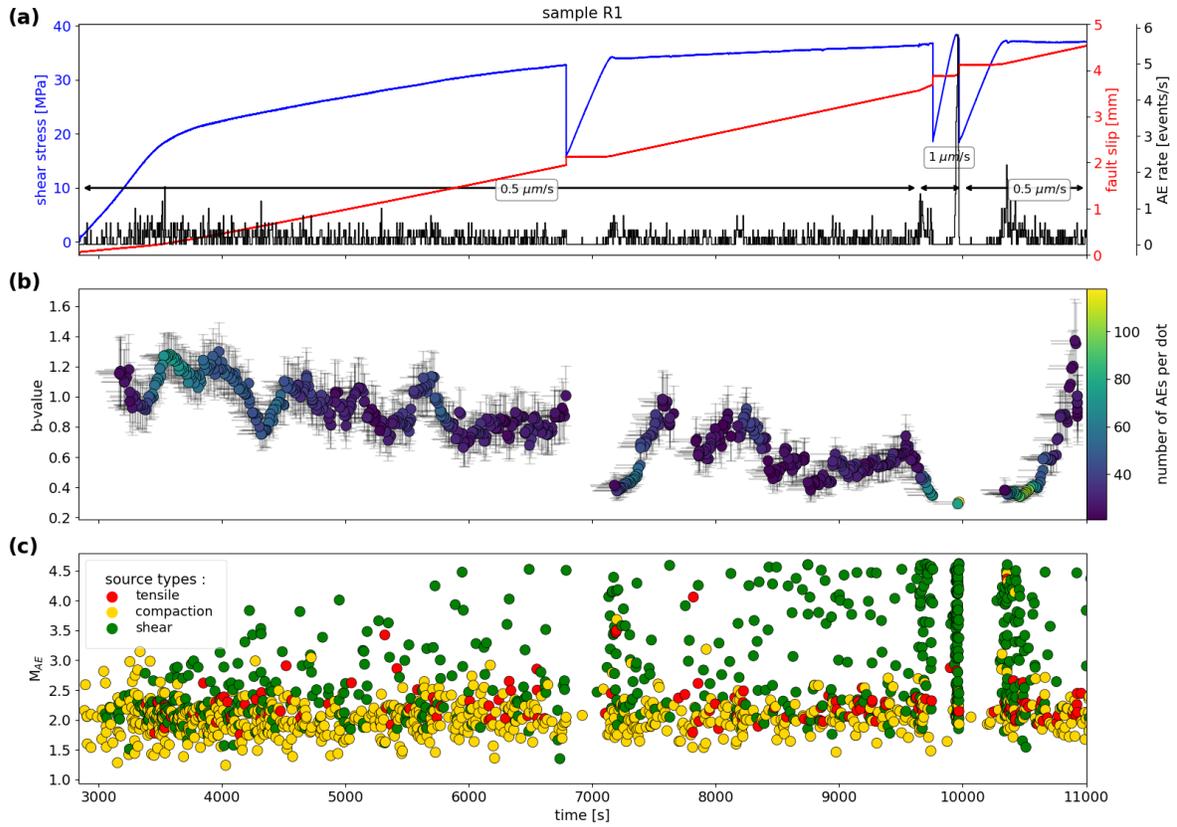
**Figure S6.** Evolution of shear stress (blue curve), slip (red curve) and available fault parallel strain gage signals (purple, pink and yellow curves), during a few seconds prior to stick-slip events for the smooth faults (a, b & c), and during a few tens of seconds prior to stick-slips events for the rough fault (d, e & f). The green stars indicate the stick-slips onsets. The change of load point displacement rate, from  $0.5 \mu\text{m/s}$  to  $1 \mu\text{m/s}$  prior to st2, is indicated on subplot (e).



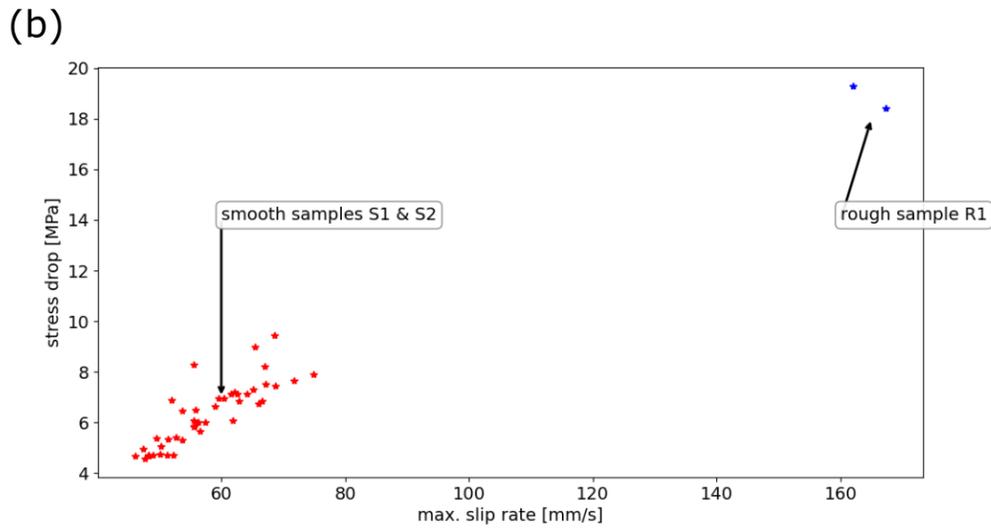
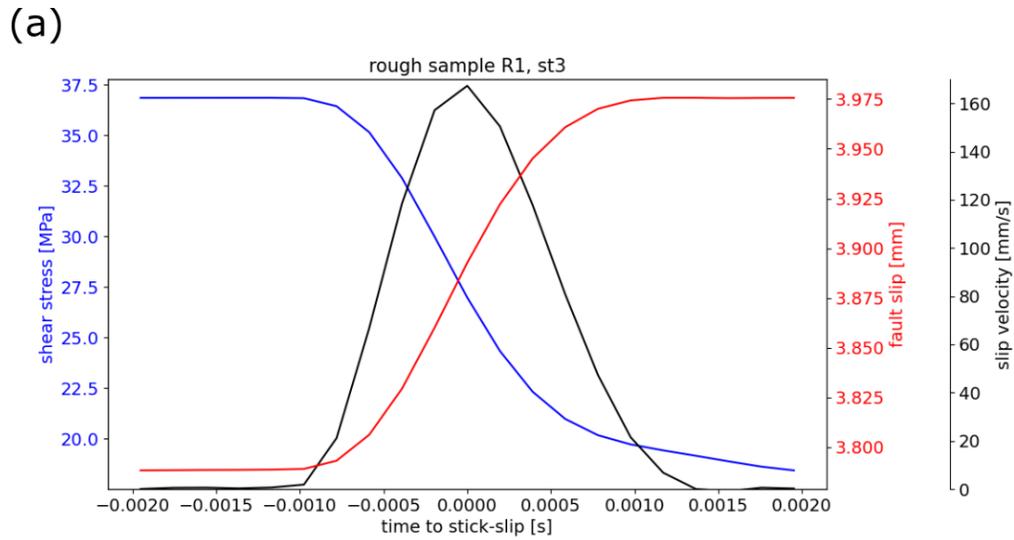
**Figure S7.** Shear stress versus fault slip (offset values), during stick-slip events for the smooth faults and the rough fault. The slopes corresponding to fault stiffness are indicated with solid black lines. The average fault stiffness  $K_{fault}$  is measured to be about  $K_{fault} \approx 90$  MPa/mm. In addition, the axial stiffness of loading system  $K_{system}$  is estimated to be about  $K_{system} = 1/(1/K_{sample} + 1/K_{machine}) = 229$  MPa/mm, where  $K_{sample} = E/L = 750$  MPa/mm is the elastic stiffness of the sample with  $E$  and  $L$  being Young's modulus and sample length, respectively, and  $K_{machine} = 330$  MPa/mm is the axial stiffness of loading machine. If we project fault slip and shear stress along the cylinder axis ( $z$  axis), along which loading forces are applied, we obtain a correcting factor  $c$  (i.e.,  $c = 1/(\sin\theta \times \cos^2\theta) = 2.66$ , see equations (1) and (2)) for the equivalent axial stiffness of the fault. This results in the equivalent axial stiffness of the faults between 226 and 252 MPa/mm, comparable to axial stiffness of loading system.



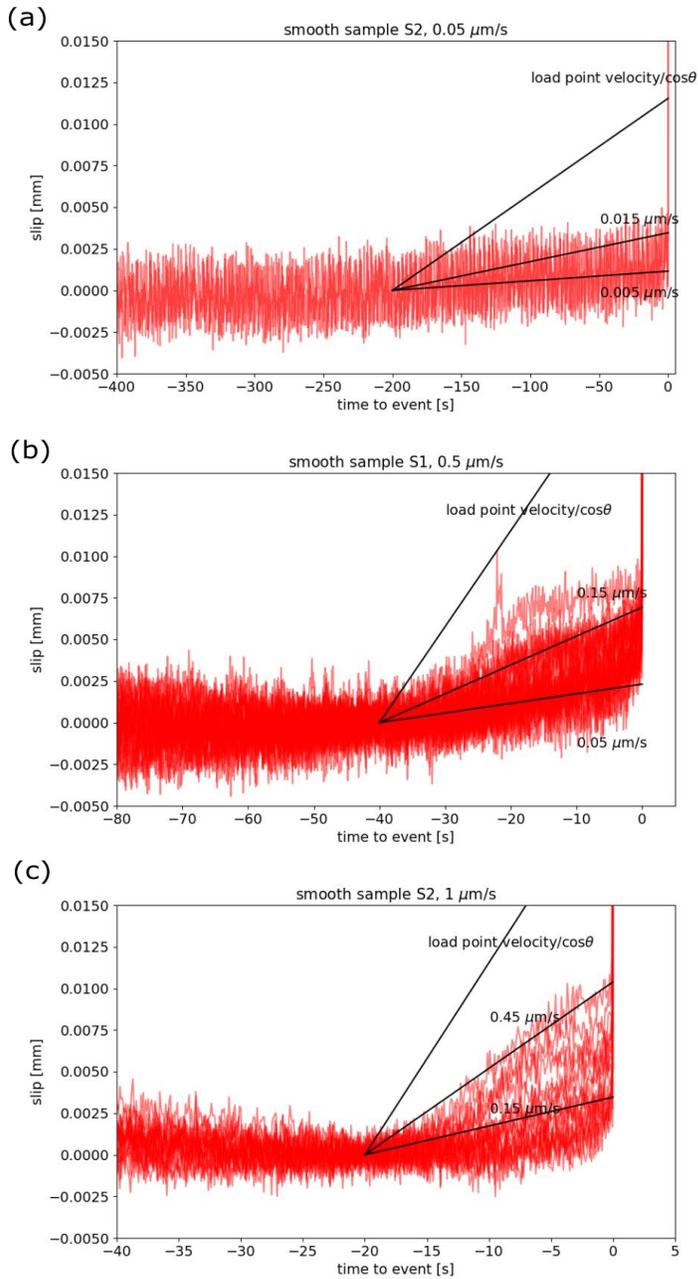
**Figure S8.** (a) Evolution of shear stress, slip, AEs and strain signals prior to stick-slip events st2 and st3 for sample R1. The load point displacement is indicated at a dashed black line. Loading point velocity was manually increased from  $0.5 \mu\text{m/s}$  to  $1 \mu\text{m/s}$  at  $t = 9650 \text{ s}$ . (b) Locations of AE events occurring in the time window between  $t=9860 \text{ s}$  and  $t=9935 \text{ s}$  during which local slip occurs only close to strain gage sgf1 (sgf1 is relaxing and sgf2 remains in compression). (c) Locations of AE events occurring in the time window between  $t=9935 \text{ s}$  to  $t=9980 \text{ s}$  that corresponds to the onset of relaxation for sgf2, until the emergence of stick-slip event st3.



**Figure S9.** a) Evolution of shear stress, slip and AE rate for the rough sample R1. b) Evolution of  $b$ -value from AEs recorded on sample R1. The time windows for  $b$ -values calculations are indicated by horizontal grey lines, and the number of events during a time window is indicated on the color scale. Uncertainties are reported as vertical grey lines. c) Evolution of AE amplitude and type



**Figure S10.** (a) Evolution of shear stress, slip and slip velocity during stick-slip event st3 on the rough fault R1. (b) Stress drop vs. maximum slip velocities during stick-slip events on smooth and rough faults.



**Figure S11.** Preparatory slip prior to stick-slip events on smooth faults, and comparison with the load point velocities at (a)  $0.05 \mu\text{m/s}$  with slip offset to zero 200 s before the events, (b)  $0.5 \mu\text{m/s}$  with slip offset to zero 40 s before the events, and (c)  $1 \mu\text{m/s}$  with slip offset to zero 20 s before the events.