# A comparison of moderate and extreme ERA-5 daily precipitation with two observational data sets

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#### Abstract

A comparison of moderate to extreme daily precipitation from the ERA-5 reanalysis by the European Centre for Medium-Range Weather Forecasts (ECMWF) against two observational gridded data sets, EOBS and CMORPH, is presented. We assess the co-occurrence of precipitation days and compare the full precipitation distributions. The co-occurrence is quantified by the hit rate. An extended generalized Pareto distribution is fitted to the positive precipitation distribution at every grid point and confidence intervals of quantiles compared. The Kullback-Leibler divergence is used to quantify the distance between the entire extended generalized Pareto distributions obtained from ERA-5 and the observations. For days exceeding the local 90th percentile, the mean hit rate is 65% between ERA-5 and EOBS (over Europe) and 60% between ERA-5 and CMORPH (globally). Generally, we find a decrease of the co-occurrence with increasing precipitation intensity. The agreement between ERA-5 and EOBS is weaker over the southern Mediterranean region and Iceland compared to the rest of Europe. Differences between ERA-5 and CMORPH are smallest over the oceans. Differences are largest over North-West America, Central Asia and land areas between 15°S and 15°N. The confidence intervals on quantiles are overlapping between ERA-5 and the observational data sets for more than 80% of the grid points on average. The intensity comparisons indicate an excellent agreement between ERA-5 and EOBS over Germany, Ireland, Sweden and Finland, and a disagreement over areas where EOBS uses sparse input stations. ERA-5 and CMORPH precipitation intensity agree well over the mid-latitudes and disagree over the tropics.

# A comparison of moderate and extreme ERA-5 daily precipitation with two observational data sets

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## Key Points:

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- The timing and the intensity of daily precipitation are assessed over Europe and globally
   Extended generalized Pareto distributions are fitted to precipitation from ERA-
- Extended generalized Pareto distributions are fitted to precipitation from ERA-5 and station and satellite data
  - Agreement between data sets is highest in the midlatitudes

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#### 13 Abstract

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#### <sup>34</sup> 1 Introduction

Natural hazards related to extreme precipitation (river floods, flash floods, land-35 slides, debris flows and avalanches) cause casualties, damages to infrastructures and build-36 ings and have direct and indirect economic impacts (MunichRE, 2018). For infrastruc-37 ture planning and prevention measures, information about rare events, e.g., events that 38 occur on average only once in a hundred years, is important. Such information can be 39 obtained from precipitation data with statistical tools. Assessing the accuracy in high 40 quantiles depends on spatial domain sizes and temporal availability. Different types of 41 global precipitation data sets are available (Sun et al., 2018): global precipitation data 42 sets are based on ground observations, satellite observations, combinations of ground ob-43 servations and satellite observations and on short term weather model forecasts in re-44 analyses data sets. Reanalyses combine past observations with weather forecast mod-45 els to reconstruct past weather. The main advantage of this type of precipitation data 46 set is its regular spatial and temporal coverage. Reanalyses ensure consistency of the pre-47 cipitation data with the atmospheric conditions, which is important for weather and cli-48 mate process studies. Here, we focus on ERA-5 precipitation (C3S, 2017). ERA-5 is the 49 latest reanalysis product from the European Centre for Medium-Range Weather Fore-50 casts (ECMWF). ERA-5 precipitation is computed in short-term forecast started from 51 reanalysis initial conditions (Hennermann, 2020). The ERA-5 precipitation production 52 process does not include precipitation observation inputs. Hence comparison with ob-53 servational data makes sense, keeping in mind that observation data have (partly sub-54 stantial) uncertainties as well (Sun et al., 2018; Kulie et al., 2010; Prein & Gobiet, 2017). 55 ERA-5 precipitation has already been widely used since its release in 2018, but very few 56 assessments of this data set have been conducted over large regions. Only precipitation 57 over restricted areas and precipitation associated with specific type of events have been 58 assessed (Wang et al., 2018; Hénin et al., 2018; Mahto & Mishra, 2019; Tarek et al., 2020; 59 Amjad et al., 2020). The goal of this article is to assess daily precipitation in ERA-5 against 60 observational data sets over large regions: Europe, comparing with the station-based data 61 set EOBS (Haylock et al., 2008), and the entire globe, comparing with the satellite-based 62 data set CMORPH (Joyce et al., 2004). The verification of daily precipitation will fo-63 cus on the intensity distribution and on the temporal consistence, i.e., the co-occurrence 64 of events. We use the extended generalized Pareto distribution (Tencaliec et al., 2019) 65

to evaluate the intensity distribution and we calculate co-occurrence hit rates to assess the joint occurrence of precipitation events.

This paper is structured as follows. Section 2 describes the data used for this study. We introduce methods used for the comparison of co-occurrence and intensity in section 3. The results of our analysis are presented in section 4. Finally, the results are summarized and discussed in section 5.

#### 72 **2 Data**

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#### 2.1 ERA-5 Precipitation

Reanalysis precipitation in this study are extracted from ERA-5 reanalysis data
set. ERA-5 is the latest global reanalysis data set provided by the European Center for
Medium-Range Weather Forecasts (C3S, 2017; Hersbach et al., 2020). In this data set,
precipitation stem from short-term forecasts and are available at an hourly resolution
that we aggregate to daily precipitation. The precipitation data calculation does not rely
on observed precipitation. The data is interpolated to a regular grid with 0.25° resolution.

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#### 2.2 Observation-based Data Sets

The two gridded observation-based precipitation data sets used in this study are EOBS (Haylock et al., 2008) that is based on European station observations and CMORPH that is based on satellite observations (Joyce et al., 2004).

The EOBS data set is provided by the European Climate Assessment & Dataset 85 and is a daily gridded data set based on spatially interpolated station data. The version 86 used is 19.0e, with a  $0.25^{\circ}$  by  $0.25^{\circ}$  grid. The interpolation to a  $0.25^{\circ}$  by  $0.25^{\circ}$  grid is 87 a combination of monthly precipitation totals and daily anomalies products. Figure 1a 88 in Cornes et al. (2018) displays the station coverage for version 16.0. This coverage is 89 heterogeneous, with a very dense network in Ireland, the Netherlands, Germany, Switzer-90 land, and northern Italy, for example, and very few stations in northern Africa, in the 91 Middle East, in Iceland, in Norway, and in Sweden. EOBS covers land precipitation only, 92 and the comparison with ERA-5 is conducted for the time period between January 1979 93 and December 2018. 94

The second observational data, CMORPH, is provided by the National Center for 95 Atmospheric Research (NCAR) (Climate Prediction Center, National Centers for En-96 vironmental Prediction, National Weather Service, NOAA, U.S. Department of Com-97 merce, 2011). This gridded precipitation product combines passive microwave satellite 98 scans and geostationary satellite infrared data and provides 3 hour accumulations that 99 we aggregate in daily accumulation. CMORPH stands for climate prediction center mor-100 phing method, the name of this combination technique. The precipitation estimation al-101 gorithm of this data set is not able to capture snow (Joyce et al., 2004). The spatial res-102 olution of the gridbox is also  $0.25^{\circ}$ . The comparison with ERA-5 is conducted for the 103 period 2003-2016, for latitudes between  $60^{\circ}$  S and  $60^{\circ}$  N. 104

The two observation-based data sets have the same grid resolution as ERA-5 but a shift of 0.125° in latitude and longitude is present for the coordinates of the grid points compared to ERA-5.

#### 108 2.3 Data Processing

The study evaluates seasonal precipitation for September, October, November (SON); December, January, February (DJF); March, April, May (MAM); and June, July, August (JJA). Separation between seasons ensures stationarity of the time series. The intensity distribution analyses are based on wet days, defined as days with precipitation
accumulations exceeding 1 mm. The 1 mm threshold corresponds to standard recommendations for station data (Hofstra et al., 2009) and eliminates potential drizzle effect
in reanalysis data (Maraun, 2013). The co-occurrence analysis is conducted on the entire seasonal time series, including days with precipitation lower than 1 mm.

The precipitation time series are not de-trended in the present study as the response of precipitation to increasing atmospheric CO<sub>2</sub> varies with the precipitation intensity (Pendergrass & Hartmann, 2014) and trends depend on the length of time series (Scherrer et al., 2016). Moreover, Donat et al. (2014) identified mostly small or insignificant trends for the past thirty years.

#### 122 **3 Methods**

For the sake of simplicity, in the method section OBSER denotes the observationbased data sets. OBSER can be either EOBS or CMORPH, as the comparison procedures between ERA-5 and EOBS and between ERA-5 and CMORPH are identical.

#### 3.1 Co-occurrence of Precipitation Events

Binary events are defined here as occurrences of daily precipitation above the  $P^{th}$ seasonal percentile with  $P \in \{75, 90, 95, 99\}$ . Percentile values can be different between ERA-5 and OBSER. In Figure 1, the 95<sup>th</sup> precipitation percentiles in SON is displayed for: (a) ERA-5 over the EOBS domain (1979-2018), (b) EOBS over its entire domain (1979-2018), (c) ERA-5 over the CMORPH domain (2003-2016) and (d) CMORPH over the entire domain (2003-2016).

We define a co-occurrence between two data sets when two exceedances occur either at the same grid point on the same day, at the same grid point with one day lag, or at one of the eight surrounding grid points on the same day. During the spatial and temporal shift, a single event is never used more than once when looking for co-occurrences. We allow for one day shift to bypass uncertainties that arise having a fixed 24h time window (Haylock et al., 2008). The extension to the eight grid points around the centre point addresses potential issues arising from the precipitation interpolation to the different grids.

The hit rate is the ratio between the number of joint events and the total number of events (Rhodes et al., 2015). The total number of events is the same if computed from ERA-5 or from OBSER.

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#### 3.2 Intensity Assessment

Extreme value theory is often used in hydrology and climate sciences (e.g., Lamb 144 & Kay, 2004; Cooley et al., 2007; Tramblay et al., 2013; Kang & Song, 2017). This ap-145 proach states that peaks over high thresholds, i.e., amounts of rain exceeding a given thresh-146 old u, may be approximated by a generalized Pareto distribution, provided the thresh-147 old and the number of observations are large enough and some additional mild condi-148 tions are satisfied (see section 3.2 for generalized Pareto distribution definition). How-149 ever, the generalized Pareto distribution fitting has drawbacks. First, it only captures 150 the upper tail behavior. A distribution combining gamma behavior for small and mod-151 erate precipitation amounts with generalized Pareto distribution behavior for high amounts 152 can be a solution. Second, a threshold has to be determined for every station or grid point 153 to separate the upper tail from the rest of the distribution (Dupuis, 1999). To overcome 154 these challenges, here we use the extended generalized Pareto distribution (EGPD) (Naveau 155 et al., 2016; Tencaliec et al., 2019). 156

To study wet day precipitation intensity distributions, this section presents a comparison of quantiles and a homogeneity test based on the Kullback-Leibler divergence. Both parts rely on our EGPD fit.

For the intensity comparison, we discard grid points where the number of wet days 160 is smaller than 500 days for the comparison with EOBS and smaller than 200 days for 161 the comparison with CMORPH. Moreover, auto-correlation can be present in daily time 162 series, for example when two consecutive wet days are fostered by the same weather sys-163 tem (e.g., Lenggenhager et al., 2019a). To address the auto-correlation in time, we con-164 sider that two precipitation events separated by two days are independent (Barton et 165 al., 2016; Lenggenhager & Martius, 2019b; Fukutome et al., 2015). To ensure indepen-166 dence of the time series, the intensity assessment is conducted on one-third of the data 167 that is randomly drawn. This approach is a trade-off between keeping enough data in 168 the sub-samples to ensure robust fitting and best removing the auto-correlation in the 169 data. 170

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#### 3.2.1 Extended General Pareto Distribution

In extreme value theory, one way to model the extremal tail behavior is the so-called peak-over-threshold approach (see, e.g. Coles, 2001; Katz et al., 2002). Under this framework, rainfall exceedances above a large threshold u are assumed to follow a Generalized Pareto distribution defined as

$$H_{\xi}(z) = \begin{cases} 1 - (1 + \xi z)_{+}^{-1/\xi} & \text{if } \xi \neq 0, \\ 1 - e^{-z} & \text{otherwise,} \end{cases}$$
(1)

where the positive scalar  $\sigma$  represents a scale parameter and the real  $\xi$  drives the upper 176 tail behavior. A negative, null and positive  $\xi$  corresponds respectively to the "bounded", 177 "light" and "heavy" tail case, i.e. an upper tail that is bounded for  $\xi < 0$ , with expo-178 nential decay for  $\xi = 0$  or polynomial decay for  $\xi > 0$ . The selection of the threshold 179 u is not trivial for large data sets, as each grid point may need a different optimal thresh-180 old (e.g., Deidda, 2010). A large threshold implies a small sample size of extremes and 181 consequently, large uncertainties in the estimation of  $\sigma$  and  $\xi$ . Conversely, a moderate 182 threshold leads to a possible incorrect approximation by a Generalized Pareto distribu-183 tion, i.e. a large model error. To bypass this complex threshold selection step, Naveau 184 et al. (2016) proposed a simple scheme to smoothly transition between the main body 185 of the distribution and its upper tail, while keeping the constraint of modeling extremes 186 with a Generalized Pareto distribution. The proposed model can be written as 187

$$F(x) = G\{H_{\mathcal{E}}(x/\sigma)\}, \quad \text{for all } x > 0, \quad (2)$$

where G, the transition function, is a continuous cumulative distribution function (cdf) in the unit interval. By imposing the two constraints,  $\lim_{u \downarrow 0} \frac{1-G(1-u)}{u}$  is finite and positive and  $\lim_{u \downarrow 0} \frac{G(u)}{u^s}$  is finite and positive for some s > 0, the new cdf F(.) is bound to be in compliance with extreme value theory for its lower and upper tails. This class of cdf is called extended generalized Pareto distribution (EGPD) family. In this study, the cdf G(.) is estimated using a specific Bernstein polynomial approximation, more information can be found in Tencaliec et al. (2019). The R code is available upon request.

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#### 3.2.2 Quantile Confidence Intervals

Confidence intervals for the quantiles of ERA-5 and OBSER precipitation are computed using a semi-parametric bootstrap on EGPD fitting. For each grid point, the following bootstrap procedure is conducted. Two subsamples containing one-third of the time series each are randomly drawn from the initial wet day time series. Each of these two subsamples is bootstrapped 100 times each, and each bootstrapped sample is fitted <sup>201</sup> by a EGPD. Having our disposal 200 bootstrapped estimates of G(.),  $\sigma$  and  $\xi$ , quantiles <sup>202</sup> for any given non-exceedance probability can be computed from Eq. (2). In particular, <sup>203</sup> 95% confidence intervals of the quantiles are obtained by calculating the empirical 2.5% <sup>204</sup> and 97.5% quantiles of the 200 bootstrapped quantiles values. An important feature to <sup>205</sup> assess the proximity of our different data sets is to check if the confidence intervals from <sup>206</sup> ERA-5 overlap (or not) with the observational data sets.

#### 207 3.2.3 Kullback-Leibler Divergence Test

The well-known Kullback-Leibler divergence used in various fields "measures" the distance between two probability density functions, say  $f_1$  and  $f_2$ . It is given by equation

$$\mathbb{E}_{f_1}\left[\log\left\{\frac{f_1(\mathbf{X})}{f_2(\mathbf{X})}\right\}\right] + \mathbb{E}_{f_2}\left[\log\left\{\frac{f_2(\mathbf{Y})}{f_1(\mathbf{Y})}\right\}\right] \tag{3}$$

with **X** and **Y** being random variables following respectively the probability density functions  $f_1$  and  $f_2$ .

Let  $X_{ERA-5} = (X_i)_{i=1,...,n}$  and  $Y_{OBSER} = (Y_j)_{j=1,...,m}$  be the time series (after removing the auto-correlation) of wet day precipitation in ERA-5 and OBSER. With  $\hat{f}_1$ and  $\hat{f}_2$  estimated by the EGPD fitting, we obtain the empirical value of the Kullback-Leibler divergence with equation

$$\frac{1}{n}\sum_{i=1}^{n}\log\frac{\hat{f}_{1}(X_{i})}{\hat{f}_{2}(X_{i})} + \frac{1}{m}\sum_{j=1}^{m}\log\frac{\hat{f}_{2}(Y_{j})}{\hat{f}_{1}(Y_{j})}.$$
(4)

The null hypothesis of our test is " $X_{ERA-5}$  and  $Y_{OBSER}$  have the same distribution", i.e.  $\hat{f}_1 = \hat{f}_2$ . The alternative hypothesis is  $\hat{f}_1 \neq \hat{f}_2$ .

The distribution of the Kullback-Leibler divergence under the null hypothesis is 219 estimated using 300 values of the divergence between two vectors randomly drawn from 220 a concatenation of  $X_{ERA-5}$  and  $Y_{OBSER}$ . The probability of "The Kullback-Leibler di-221 vergence between  $X_{ERA-5}$  and  $Y_{OBSER}$  is greater than the Kullback-Leibler divergence 222 under the null hypothesis" is the *p*-value of the test. This *p*-value is empirically deter-223 mined from the 300 values of the Kullback-Leibler divergence under the null hypothe-224 sis. The null hypothesis is rejected with a confidence level of 5% if the *p*-value is greater 225 than 0.05. 226

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#### 3.3 Difference in Number of Wet Days

The intensity comparison is based on the EGPD, which is fitted to wet days only. Discrepancies in the number of wet days between ERA-5 and the observational data sets could have an impact when comparing the EGPD fitted to ERA-5 and the observational data sets. To quantify these discrepancies at a fixed grid point, we use two simple measures. The first measure is the ratio of the seasonal number of wet days, defined by :

$$\frac{N_{ERA-5}^{wd}}{N_{OBSER}^{wd}} \tag{5}$$

where, for a fixed season,  $N_{ERA-5}^{wd}$  and  $N_{OBSER}^{wd}$  are the number of wet days in ERA-5 and OBSER, respectively.

The second measure is the absolute value of the difference in the number of wet days between ERA-5 and OBSER, normalized by the time series length of OBSER, given by:

$$100 \times \left| \frac{N_{ERA-5}^{wd} - N_{OBSER}^{wd}}{N_{OBSER}^{wd}} \right|.$$
(6)

Note that the absolute difference quantifies the distance between the ratio of the number of wet days and 1.

#### 240 4 Results

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#### 4.1 Number of Wet Days

Table 1 presents the mean absolute value of the difference in the number of wet days. The differences are computed only over grid points retained for the intensity comparison, i.e. with time series longer than 200 days for CMORPH and 500 days for EOBS.

Over Europe, the mean absolute difference is between 11% (SON) and 21% (MAM) of EOBS number of wet days. In SON and DJF, the number of wet days is lower in ERAthan in EOBS in northern Europe and higher in southern Europe. In MAM and JJA the number of wet days is almost always higher in ERA-5 than in EOBS (see Figure A1a in the appendix for a map of the ratio of the number of wet days in SON). The difference in number of wet days between ERA-5 and EOBS can be considered as low and will not have impact on the EGPD fitting.

The global comparison with CMORPH reveals larger discrepancies in the seasonal 252 number of wet days than with EOBS. The mean difference in the number of wet days 253 corresponds to between 66% (DJF) and 76% (SON) of the CMORPH number of wet days. 254 This difference is mainly due to the ERA-5 wet days being more numerous than in CMORPH. 255 The number of wet days in ERA-5 is twice as large as in CMORPH for 19% (DJF) to 256 25% (JJA) of grid points. Figure A1b in appendix displays the map of the ratio of num-257 ber of wet days in SON. This ratio is greater than 2 over bands at fixed latitudes e.g. 258 over bands close  $60^{\circ}$  S,  $20^{\circ}$  S,  $20^{\circ}$  N and  $60^{\circ}$  N. 259

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#### 4.2 Co-occurrence of Precipitation Events

In the comparison between ERA-5 and both observation-based data sets, the hit rate decreases with increasing intensity of the events and is similar across the seasons (Table 2). Grid points with a given percentile of less than 1 mm are not considered.

Over Europe the average hit rate between ERA-5 and EOBS for the  $75^{th}$  percentile 264 is between 73 % (in JJA) and 77 % (in SON), i.e. about three quarters of the events ex-265 ceeding the  $75^{th}$  percentiles coincide. For the  $95^{th}$  percentile, the mean hit rate is be-266 tween 53% (JJA) and 60% (SON). For the  $99^{th}$  percentile, the hit rate varies between 267 39~% and 45~% depending on the season. The global mean hit rate is of the same order 268 of magnitude as for Europe. The mean hit rate between ERA-5 and CMORPH for the 269  $95^{th}$  percentiles is above 50%. The mean hit rate associated with the  $99^{th}$  percentile is 270 between 35% and 37% depending on the season. 271

Maps of the hit rate for the 95<sup>th</sup> percentile can be found in the appendix (Figure B1 and Figure B2). The spatial pattern does not strongly depend on the season or the percentile. For Europe, the hit rate has a large variability near arid regions (Maghreb and Turkey). The rest of Europe is quite homogeneous. A lower hit rate is observed in Iceland and southern Italy. For the global comparison, the best hit rate is reached over the oceans in the mid-latitudes. The hit rate is substantially lower in Eastern China, along the equator, in South America and in tropical Africa.

#### 4.3 Intensity Verification

#### 4.3.1 Confidence Intervals on Quantiles

The confidence interval overlap between ERA-5 and EOBS is independent of the 281 probability of non-exceedance, i.e., the intensity of the events. Figure 2a shows the rel-282 ative position of the 95% confidence intervals for quantiles associated with probability 283 of non-exceedance 0.9 in SON, between ERA-5 and EOBS. A grid point is displayed in 284 yellow if the confidence intervals are overlapping, in orange if the upper boundary of ERA-285 5 confidence interval is lower than the lower boundary of the EOBS confidence interval, 286 and in blue if the lower boundary of ERA-5 confidence interval is larger than the upper 287 boundary of the EOBS confidence interval. Figure 3a shows the number of seasons with 288 a confidence intervals overlap for quantiles with non-exceedance probability 0.9 between 289 ERA-5 and EOBS. The confidence intervals overlap during all the seasons for a major 290 part of Europe. The exceptions are Iceland, Norway and Western Russia, Romania, the 291 Adriatic sea coast and some grid points in the Alps. Non-overlapping confidence inter-292 vals correspond primarily to an underestimation of the quantiles by ERA-5 for low pre-293 cipitation intensities (not shown), and overestimation for large intensities (Figure 2a.). 294 Quantiles with probability of 0.3 have a larger number of grid points with disagreement 295 in JJA. ERA-5 quantiles for probability 0.3 during JJA are underestimated compared 296 to EOBS quantiles for a major part of Europe (not shown). 297

The global comparison of ERA-5 with CMORPH shows less overlap of the confi-298 dence intervals with increasing precipitation intensity, as we will see in section 5. Fig-299 ure 2b displays the relative position of the 95% confidence intervals for quantiles asso-300 ciated with probability of non-exceedance 0.9 in SON, between ERA-5 and CMORPH 301 and Figure 3b shows the number of seasons with an overlap of the confidence intervals 302 for quantiles with non-exceedance probability 0.9 between ERA-5 and CMORPH. The 303 confidence intervals for non-exceedance probabilities of 0.3 and 0.5 overlap for more than 304 85% of the grid points. For probabilities 0.75 to 0.95, in a band along the equator the 305 confidence intervals do not overlap for all the seasons for many grid points, see e.g. Fig-306 ure 2b. For all seasons and between 15° S and 15° N, ERA-5 quantiles are smaller com-307 pared to CMORPH. Another disagreement that deserves to be highlighted is the higher 308 ERA-5 quantiles compared to CMORPH over the mountainous regions of the west coast 309 of North America, the south of Chile, in Papua New Guinea, the Himalayas and the Alps, 310 regardless of the non-exceedance probabilities and seasons. 311

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#### 4.3.2 Comparison of the Full Distributions Using the Kullback-Leibler Test

The Kullback-Leibler divergence of the full precipitation distribution points to regions of agreement and disagreement independent of the seasons, for both the comparison between ERA-5 and EOBS, and ERA-5 and CMORPH, see Figure 4. Figures 5a and 5b display the number of seasons for which the *p*-value of the Kullback-Leibler test is greater than 0.05, i.e. where the EGPD distributions fitted to ERA5 and to EOBS and CMORPH do not differ significantly.

ERA-5 and EOBS wet day precipitation intensities agree best over Germany, Ire-320 land, Sweden and Finland. Wet day precipitation intensity follows the same distribution 321 in ERA-5 and EOBS for most grid points in these countries. Regions with the least agree-322 ment, i.e. where the null hypothesis is rejected for all the seasons, are Iceland, Norway, 323 Hungary and the Balkans. The area with at least one season where the null hypothe-324 325 sis is rejected is rather large. The Kullback-Leibler test gives weight to differences in the entire distribution, thus the low intensity precipitation disagreement in JJA mentioned 326 previously in section 4.3.1 has an impact on the Kullback-Leibler divergence (see Fig-327 ure 4a and Figure 4c for the plots of the *p*-value in JJA and SON). Note the pattern 328 following the border between Norway and Sweden, and Finland and Russia: a very good 329

agreement is observed in Sweden and Finland, whereas the null hypothesis is rejected
 for almost all seasons in Norway and Karelia.

The Kullback-Leibler test between ERA-5 and CMORPH has a clear signal of agree-332 ment in the mid-latitudes and disagreement in the tropics, for all seasons. The summary 333 over all seasons mainly informs about intensity agreement over the oceans, because of 334 the time series length constrain removes most land grid points. Figures 4b and 4d present 335 the p-value for JJA and SON, and show over land the same general pattern of disagree-336 ment in the tropics and agreement in the mid-latitudes. One exception to this pattern 337 338 is the disagreement over mountainous regions of the mid-latitudes (western North America, Himalayas, South Chile), in agreement with the results in section 4.3.1. 339

#### <sup>340</sup> 5 Summary and Discussion

The analysis of precipitation event co-occurrence between ERA-5 and EOBS and ERA-5 and CMORPH reveals a decreasing agreement with increasing intensity of events, independently of the season.

Key results of the intensity comparison of ERA-5 with EOBS over Europe depend 344 on the season (Table 3). Quantiles in MAM and SON show a good agreement for all non-345 exceedance probabilities p. Indeed, between 81% (for p = 0.3 in MAM and for p = 0.5346 in DJF) and 90% (for p = 0.5 in MAM and SON, and for p = 0.75 in SON) of the grid 347 points have overlapping confidence intervals. The percentages of grid points where the 348 distributions agree (Kullback-Leibler test) are highest for MAM (34%) and SON (39%). 349 In DJF, the agreement between quantiles is between 69% (p = 0.9) and 82% (p = 0.3). 350 In JJA agreement is much better for high quantiles (up to 94% for p = 0.95) than low 351 ones, the confidence intervals for quantiles with probability p = 0.3 overlap for only 39% 352 of grid points. This discrepancy for low precipitation intensity has an impact on the Kullback-353 Leibler test: the null-hypothesis could not be rejected for only 10% of grid points in JJA. 354 The other seasons show a higher fraction of grid points for which the null-hypothesis was 355 not rejected (between 29% in DJF and 39% in SON). 356

The study of the wet day precipitation distribution (Kullback-Leibler test) between 357 ERA-5 and EOBS over Europe reveals a robust agreement over regions where the sta-358 tion coverage of EOBS is dense. Areas with the largest differences in the distribution are 359 areas with thin station coverage, e.g. in southern Europe and Russia. Cornes et al. (2018) 360 highlighted that "station coverage is the most important factor in determining the suc-361 cess of the gridded data". In areas with sparse station data, the precipitation is inter-362 polated from distant stations (Hofstra et al., 2009). Additionally, extreme precipitation 363 is smoothed by the spatial interpolation (Hofstra et al., 2010), which justifies our quan-364 tiles larger in ERA-5 than in EOBS for extreme precipitation. 365

The intensity comparison between ERA5 and CMORPH indicates a decreasing agree-366 ment between the two data sets with increasing precipitation intensity (Table 3). The 367 percentage of grid points with confidence intervals overlapping is between 92% (JJA) and 368 94% for p = 0.3, and between 70% (SON) and 75% (DJF) for p = 0.9. One excep-369 tion is the slightly better agreement of quantiles for extreme precipitation (non-exceedance 370 probability p = 0.95) than for moderately extreme precipitation (p = 0.9), with an 371 overlap rate 1% higher, for all seasons. This can be explained by confidence intervals be-372 coming larger for larger quantiles, and there is thus a higher chance of overlap between 373 ERA-5 and the observational data set. This remark holds also for the EOBS results. The 374 Kullback-Leibler test presents little variation with season, like for the quantile study. Be-375 tween 52% (SON) and 57% (DJF) of the grid points studied did not reject the null-hypothesis 376 of the test. 377

The analysis of the entire precipitation distribution reveals proportionally more grid points agreeing between ERA-5 and CMORPH than between ERA-5 and EOBS (see last row of Table 3). This can be due to the longer time series in EOBS leading to a stricter test. Another explanation can be that there are proportionally more challenging regions for a model over Europe, with the Alps for example, whereas globally the largest regions compared are oceans, where the agreement is good in general.

The global comparison of the wet day precipitation distributions between ERA-384 5 and CMORPH over the period 2003-2016 shows a rather good agreement in the mid-385 latitudes, and a strong disagreement over the tropics. This result is robust over the sea-386 sons and does not depend on the method used. The band along the equator where pre-387 cipitation intensities are lower in ERA-5 compared to CMORPH corresponds to a re-388 gion with a ratio of the number of wet days rather close to 1 (see Figure A1). The num-389 ber of wet days does not differ substantially in this region and therefore does not play 390 a role in the robust disagreement between ERA-5 and CMORPH over the tropics. In this 391 region, ERA-5 quantiles are lower than CMORPH ones, especially for non-exceedance 392 probabilities larger than 0.75. This feature has already been observed by Pfahl and Wernli 393 (2012) with ERA-interim, another reanalysis product from ECMWF. They computed 394 the empirical 99<sup>th</sup> percentiles of 6-hourly precipitation in ERA-interim and CMORPH 395 for the period 2003-2016 (Figure 2 in their article). The authors showed a strong under-396 estimation of ERA-interim precipitation over the tropics compared to CMORPH. They 397 concluded that the deep convection, a central process in tropical extreme precipitation, 398 was not properly captured by the reanalysis data set. Even though Nogueira (2020) found 399 an improvement of the precipitation simulation over the tropics in ERA-5 compared to 400 ERA-interim the previous reanalysis data set from ECMWF, we assume ERA-5 to still 401 contain an underestimation of the tropical extreme rainfall. 402

One limit of CMORPH that it is important to emphasize is the limitations of this 403 data set to capture snow (Joyce et al., 2004) and low-intensity precipitation during win-404 ter in the mid-latitudes (Sun et al., 2018). This property leads to smaller number of wet 405 days in winter (DJF or JJA depending on the hemisphere) as seen in section 4.1, hence 406 the large areas where our intensity analysis can not be conducted. Some regions at high 407 latitudes (close to  $60^{\circ}$  S and  $60^{\circ}$  N) and some mountainous regions have a number of 408 wet days large enough for the intensity comparison to be conducted even if snow can be 409 expected. However a substantial difference in the number of wet days is observed. The 410 higher ERA-5 precipitation compared to CMORPH over mountainous regions might be 411 related to snow. Timmermans et al. (2019) revealed a disagreement between CMORPH 412 and gauge-based product for extreme precipitation in mountainous regions of western 413 USA in DJF and interpreted it as a consequence of the post-processing performed in CMORPH 414 leading to lots of missing data in winter (Xie et al., 2017). 415

Hénin et al. (2018) assessed ERA-5 daily accumulated precipitation during extreme 416 precipitation events over the Iberian Peninsula for the period 2000-2008 against precip-417 itation from a ground based gridded data set. They found an overestimation of daily sums 418 for moderate extreme events and and underestimation for the most extreme events. Our 419 study of quantiles in ERA-5 and EOBS for non-exceedance probabilities greater than 420 0.75 reveals a moderate signal of overestimation of ERA-5 precipitation in the same re-421 gion. One exception is the southern Basque Country where an underestimation of ERA-422 5 quantiles for these probabilities in DJF. Our comparison of moderate and large extremes 423 over the period 1979-2018 is therefore only partially in agreement with their study over 424 the period 2000-2008. 425

For the period 2014-2018, Amjad et al. (2020) showed that ERA-5 overestimates the precipitation observed over Turkey compared to ground based stations, independently of the wetness and slope classes. Our comparison with EOBS indicates the same signal for high quantiles, but also a dry bias for lower quantiles. This can be due to the fact that our study period is longer or that EOBS has a poorer station coverage in this region.

In their study, Tarek et al. (2020) compared the mean seasonal precipitation in ERA-432 5 with station observations over North America between 1979 and 2018. In JJA, they 433 found an underestimation of precipitation in ERA-5 over Florida, and an overestimation 434 along the west coast of Canada, which is in agreement with our comparison of quantiles 435 between ERA-5 and CMORPH for this season and for all probabilities of non-exceedance. 436 In DJF, they showed an underestimation precipitation in ERA-5 over the west coast of 437 USA and Florida, and an overestimation over the west coast of Canada. Our analysis 438 highlighted that ERA-5 presents larger quantiles than CMORPH over the west coast of 439 North America for all non-exceedance probabilities. Our results are thus in agreement 440 for Canada but not for USA. This can be due to the fact that the time periods studied 441 are different and that CMORPH underestimates precipitation during the cold months 442 (Sun et al., 2018). 443

Mahto and Mishra (2019) assessed ERA-5 precipitation in India against observation comparing precipitation sums during the monsoon season (June-September) between 1980 and 2018. They found a wet bias over Indo-Gangetic Plain and foothills of Himalaya and a dry bias in semi arid regions of western India. These results are in agreement with our quantile analysis in ERA-5 and CMORPH in JJA for the period 2003-2016.

#### **6** Conclusion

We compare daily precipitation from the ERA-5 reanalysis data set with daily pre-450 cipitation from two observation-based data sets, EOBS and CMORPH. The compari-451 son addresses three aspects i) the temporal co-occurrence of moderate to high extreme 452 events in two data sets, ii) the agreement of return values for moderate to extreme non-453 exceedance probabilities derived from the extended generalized Pareto distribution (EGPD). 454 and iii) a comparison of the full precipitation distribution captured by the EGPD us-455 ing the Kullback-Leibler divergence. We quantify the co-occurrence of precipitation events 456 with the hit rate. We compare the EGPD distributions between ERA-5 and the obser-457 vational data sets with confidence intervals for several non-exceedance probabilities and 458 with a test based on the Kullback-Leibler divergence. 459

Between ERA-5 and EOBS over Europe the hit rate is above 65% for moderate precipitation and approximately 50% for extreme precipitation. Between ERA-5 and CMORPH globally the hit rate is above 60% for moderate precipitation and around 40% for extreme precipitation. Over Europe areas with the least agreement are the southern Mediterranean region and Iceland and for the global comparison areas with the least agreement are land areas between 15°S and 15°N, North-West America and Central Asia.

For a majority of grid points confidence intervals for non-exceedance probabilities 466 of 0.3 to 0.95 overlap between ERA-5 and EOBS. We find a disagreement between ERA-467 5 and EOBS in areas where EOBS uses fewer input stations. We therefore hypothesize 468 that the reanalysis data set might better capture moderate to extreme precipitation in 469 regions where the station coverage is sparse. The analysis also showed that ERA-5 un-470 derestimates extreme precipitation compared to CMORPH in the tropics. In general, 471 the magnitudes of the non-exceedance probabilities agree between ERA-5 and the observation-472 based data sets in the mid-latitudes. 473

The Kullback-Leibler test on the entire precipitation distributions over Europe shows 474 an agreement of the EGPD distributions in ERA-5 and EOBS over Germany, Ireland, 475 Sweden and Finland. The precipitation distributions differ significantly between in ERA-476 5 and EOBS in all four seasons in Iceland, Norway, Karelia, Hungary and the Balkan. 477 The Kullback-Leibler test between ERA-5 and CMORPH shows that precipitation dis-478 tributions are generally in agreement over the mid-latitudes and differ significantly over 479 the tropics for all seasons, confirming the results of the quantile comparison. ERA-5 should 480 only be used with great care to study extreme precipitation over the tropics. 481

The strengths of ERA-5 daily precipitation data are the regular spatial and temporal resolution and the consistency with the large-scale circulation and there is generally a good agreement with observation-based data sets in the extra-tropics. The reanalysis data set provides valuable complementary information to observational data in regions where observational data sets are sparse, e.g. in areas where the EOBS station coverage is poor or for CMORPH in regions and seasons where snow is prevalent. In the tropics, an observational data set should be preferred over ERA-5.

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<sup>501</sup> The authors declare that they have no conflict of interest.

All data sets used in the current study are publicly available from the indicated references or sources. The codes for the intensity assessment are available from GitHub (https://github.com/PauRiv/characterization\_ERA-5\_daily\_precipitation). The codes for the co-occurrence verification are available upon request.

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Table 1. Mean Absolute value of the Difference in the Number of Wet Days

	EO	BS		CMORPH				
DJF	MAM	JJA	SON	DJF	MAM	JJA	SON	
14.5%	20.7%	18.5%	10.9%	66.1%	73.7%	75.2%	76.0%	

Note: the mean absolute value of the difference in the number of wet days is defined in equation 6, and is computed here for grid points with more than 500 wet days for ERA-5 vs EOBS and for grid points with more than 200 wet days for ERA-5 vs CMORPH.

Percentile		EO	BS		CMORPH			
	DJF	MAM	JJA	SON	DJF	MAM	JJA	SON
$75^{th}$	76%	75%	73%	77%	74%	73%	72%	73%
$90^{th}$	66%	65%	61%	67%	62%	61%	60%	60%
$95^{th}$	59%	58%	53%	60%	53%	52%	51%	52%
$99^{th}$	44%	45%	39%	45%	37%	35%	35%	36%

Table 2. Mean Hit Rate ERA-5 vs EOBS and ERA-5 vs CMORPH

Note: for a given percentile, the mean is computed over all grid points where the precipitation percentile is larger than 1 mm. See section 3.1 for the definition of the hit rate.

#### Appendix A Number of Wet Days 651

#### Appendix B Hit Rate 652

Precipitation intensity	EOBS			CMORPH				
	DJF	MAM	JJA	SON	DJF	MAM	JJA	SON
Low $p = 0.3$	82%	81%	39%	82%	94%	93%	92%	93%
$\begin{array}{l} \text{Median} \\ p = 0.5 \end{array}$	81%	90%	72%	90%	90%	86%	87%	88%
$\begin{array}{l} \text{Moderate} \\ p = 0.75 \end{array}$	72%	89%	93%	90%	79%	76%	76%	75%
$\begin{array}{l} \text{High} \\ p = 0.9 \end{array}$	69%	85%	93%	87%	75%	72%	73%	70%
Extreme $p = 0.95$	73%	87%	94%	87%	76%	73%	74%	71%
whole distrib.	29%	34%	10%	39%	57%	55%	53%	52%

**Table 3.** Summary of the Wet Day Precipitation Distribution Comparison of ERA-5 With theObservational Data Sets

Note: for a given non-exceedance probability p, the percentage denotes the proportion of grid points for which the confidence intervals are overlapping. For the whole distribution, the percentage denotes the proportion of grid points where the null-hypothesis can not be rejected, i.e. where the distributions are similar.



**Figure 1.** 95<sup>th</sup> precipitation percentile (mm) for all days in SON for (a) ERA-5 over Europe 1979-2018 (b) EOBS 1979-2018 (c) ERA-5 globally 2003-2016 (d) CMORPH 2003-2016.



**Figure 2.** Relative position of the confidence intervals (CIs) for SON quantiles associated with non-exceedance probability 0.9 between (a) ERA-5 and EOBS (1979-2018) and between (b) ERA-5 and CMORPH (2003-2016). See section 3.2.2 for computational details. Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.



**Figure 3.** Number of seasons with overlapping confidence intervals for quantiles associated with non-exceedance probability 0.9 between (a) ERA-5 and EOBS (1979-2018) and between (b) ERA-5 and CMORPH (2003-2016). See section 3.2.2 for computational details. Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.



Figure 4. p-value of the Kullback-Leibler divergence test (as defined in section 3.2.3) between ERA-5 and EOBS (1979-2018) in JJA (a) and SON (b) and between ERA-5 and CMORPH (2003-2016) in JJA (c) and SON (d). p-values ;0.05 indicate that the distributions differ significantly. Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.



Figure 5. Number of seasons where the distributions are similar, i.e., without rejection of the null hypothesis of the Kullback-Leibler test (as defined in section 3.2.3) (a) between ERA-5 and EOBS (1979-2018) and (b) between ERA-5 and CMORPH (2003-2016). Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.



Figure A1. Ratio of the number of wet days as defined with Eq. (5) in SON between (a) ERA-5 and EOBS (1979-2018) and between (b) ERA-5 and CMORPH (2003-2016). Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.



**Figure B1.** Hit rate for events greater than the 95<sup>th</sup> percentile between ERA-5 and EOBS in (a) SON, (b) DJF, (c) MAM and (d) JJA.



**Figure B2.** Hit rate for events greater than the 95<sup>th</sup> percentile between ERA-5 and CMORPH in (a) SON, (b) DJF, (c) MAM and (d) JJA. Grid points with an insufficient number of wet days (see section 3.2) are discarded and displayed in white.