

The Structure of the Martian Quasi-perpendicular Supercritical Shock as seen by MAVEN

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Abstract

The Martian bow shock is a rich example of a supercritical, mass-loaded collisionless shock that coexists with ultra-low frequency upstream waves that are generated by the pick-up of exospheric ions. Its small size (comparable with the solar wind ion gyroradius) raises questions related to which particle acceleration and energy dissipation mechanism can take place. The study of the Martian shock structure is crucial to comprehend its microphysics and is of special interest to understand the solar wind - planet interaction with a virtually unmagnetized body. We report on a complete identification and first characterization of the supercritical substructures of the Martian quasi-perpendicular shock, under the assumption of a moving shock layer, using MAVEN magnetic field and solar wind plasma observations for two examples of shock crossings. We obtained substructures length-scales comparable from those of the Terrestrial shock, with a narrow shock ramp of the order of a few electron inertial lengths. We also observed a well defined foot (smaller than the proton convected gyroradius) and overshoot that confirm the importance of ion dynamics for dissipative effects.

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Key Points:

- A new methodology to identify the supercritical quasi-perpendicular shock sub-structures is applied to Martian bow shock
- All three supercritical substructures are identified and their thickness is derived for the first time using an estimated shock speed
- The reported ramp width is comparable with the electron inertial length which is compatible with Earth observations

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Abstract

The Martian bow shock is a rich example of a supercritical, mass-loaded collisionless shock that coexists with ultra-low frequency upstream waves that are generated by the pick-up of exospheric ions. Its small size (comparable with the solar wind ion gyroradius) raises questions related to which particle acceleration and energy dissipation mechanism can take place. The study of the Martian shock structure is crucial to comprehend its microphysics and is of special interest to understand the solar wind - planet interaction with a virtually unmagnetized body. We report on a complete identification and first characterization of the supercritical substructures of the Martian quasi-perpendicular shock, under the assumption of a moving shock layer, using MAVEN magnetic field and solar wind plasma observations for two examples of shock crossings. We obtained substructures length-scales comparable from those of the Terrestrial shock, with a narrow shock ramp of the order of a few electron inertial lengths. We also observed a well defined foot (smaller than the proton convected gyroradius) and overshoot that confirm the importance of ion dynamics for dissipative effects.

Plain Language Summary

The supermagnetosonic solar wind interacts with the Martian plasma environment and forms a shock wave so it can decelerate and divert the planetary obstacle. Depending on the orientation of the interplanetary magnetic field and the strength of the incident solar wind flow, there are different mechanisms responsible for the dissipation that transforms the solar wind kinetic energy into heat. To understand these mechanisms, it is crucial to study the shock structure. In this paper we analyze the structure of the Martian supercritical quasi-perpendicular shock using MAVEN measurements, and find consistent results with the Terrestrial bow shock, despite the differences with the Martian - solar wind interaction.

1 Introduction

The presence of collisionless bow shocks around the solar system (e.g., Russell et al., 1985, and references therein) is one of the clearest manifestations of the supermagnetosonic nature of the solar wind (SW) plasma. The function of planetary shocks is to decelerate the upstream plasma flow down to local submagnetosonic speeds. This is achieved through complex, nonlinear processes where the upstream flow kinetic energy is lost to dissipation and dispersion (Treuemann, 2009).

Most solar system shocks are supercritical (e.g., Sulaiman et al., 2015; Bertucci et al., 2015). This means that above a critical shock strength of typically $M_A \sim 3$ (Edmiston & Kennel, 1984), resistivity alone cannot provide the necessary steepening to satisfy the Rankine-Hugoniot jump conditions because dissipation timescales are too long for a stationary shock to convert the excess kinetic energy into heat (Marshall, 1955; Kantrowitz et al., 1966). As additional mechanisms are necessary to slow down the flow, a fraction of the incoming plasma is reflected upstream. The reflected ions gyrate about the magnetic field lines in the plasma rest frame (Leroy et al., 1981; Paschmann et al., 1982; Sckopke et al., 1983), which means in perpendicular or quasi-perpendicular (Q_{\perp}) crossings (with shock normal angles θ_{Bn} over 45°) they mostly return to the shock front after a partial gyration in the upstream region. As they make their way back, they accelerate and generate currents that modify the magnetic field profile, forming the characteristic foot, ramp, and overshoot to ensure energy dissipation.

Woods (1969, 1971) first described the foot formation by the specular reflection of the SW ions and estimated its width at ~ 0.7 upstream convected proton gyroradius ($r_{ci} = V_u/\omega_{ci}$) for the strictly perpendicular crossing. Livesey et al. (1984) and Gosling and Thomsen (1985) later generalized this initial study to arbitrary shock geometries.

Hybrid simulations (Leroy et al., 1982) and Earth studies (Livesey et al., 1982; Scudder et al., 1986; Mellott & Livesey, 1987) showed the overshoot amplitude increases with the strength of the shock (M_A) and has a typical thickness of about 4 - 7 upstream ion inertial lengths (c/ω_{pi}) or 1 - 3 r_{ci} . Moreover, Scudder et al. (1986) and Newbury and Russell (1996) reported a magnetic ramp of a fraction of c/ω_{pi} , which questioned the set idea that the typical shock ramp scaled with the ion skin depth (e.g., Russell & Greenstadt, 1979). More recent studies, however, found the ramp can be as small as a few electron inertial lengths (c/ω_{pe}) (Mazelle et al., 2010; Yang et al., 2013). Finally, hybrid and PIC simulations (Leroy et al., 1982; Leroy, 1983; Hada et al., 2003; Lembège et al., 2009; Yang et al., 2009) and a few observational studies at Earth (e.g., Mazelle et al., 2010; Dimmock et al., 2019; Mazelle & Lembège, 2020) showed that for relatively low upstream ion beta the foot, ramp and overshoot are non-stationary features and lead to a continuous self-reformation of the shock structure on gyro-scales of the incoming ions.

The study of the shock substructures is fundamental to understand the local particle acceleration and energy dissipation mechanism that arise at the shock front of a supercritical transition, as their characteristic scales are intimately connected to particle dynamics. However, few studies of extraterrestrial planetary bow shocks can be found in the literature. Achilleos et al. (2006) reported ramp widths between 0.1–1 c/ω_{pi} that suggested the dominance of ion kinetics in energy dissipation processes in the highly supercritical Kronian bow shock. Other works include Giagkiozis et al. (2017) measurement of ramp widths of $\sim 3 c/\omega_{pe}$ for the Venusian shock, or Moses et al. (1985) analysis of electron heating generated by ion reflection at the foot of the Jovian shock.

As anticipated by Moses et al. (1988), the Martian bow shock is a particularly interesting study case. Mars lack of an intrinsic magnetic field means its interaction with the SW plasma is more Venus or comet-like than Earth-like. The primary obstacle to the supermagnetosonic flow is formed by mass loading and induction at the magnetosphere, with small contributions of crustal magnetic fields (Gruesbeck et al., 2018). In addition, Mars small size coupled with the low interplanetary magnetic field (IMF) strength at its heliocentric distance results in a shock and magnetosheath thickness comparable with SW ion scale-lengths. This translates into insufficient space for complete thermalization of the SW before encountering the obstacle, and kinetic effects are potentially more relevant (Moses et al., 1988). Finally, the planet’s weak gravitational field results in a widely extended exosphere, which means heavy ions and protons of exospheric origin are encountered far beyond the shock boundary. This makes for a very distinct upstream environment as the pick-up of newborn planetary ions results in high amplitude ultra-low frequency (ULF) waves that could “anticipate” the SW of the presence of the planetary obstacle and slow it down sooner (as was long thought for the SW-asteroid interaction). These waves have an even spatial distribution (Mazelle et al., 2004) and peak-to-peak magnetic amplitudes comparable with the background magnetic field, which usually interfere with the supercritical Q_{\perp} shock structure and could potentially modify it.

The first observations of the Martian bow shock were obtained with Mariner 4 (Smith et al., 1965) and early Soviet missions (Zakharov, 1992, and references therein), which provided basic parameters of the boundary. Phobos 2 revealed a high-level upstream wave activity (Russell et al., 1990; Sagdeev et al., 1990; Delva & Dubinin, 1998), and allowed for the first studies of the supercritical Q_{\perp} substructures. Schwingenschuh et al. (1990) provided a first view of the magnetic morphology of the shock, finding a minimum foot size of 1350 km; and Sagdeev et al. (1990) estimated a foot width of $\sim 1.3 r_{ci}$. Tatralay et al. (1997) investigated the overshoot under the assumption of a stationary shock, reporting a dependence of its amplitude with the magnetosonic Mach number and a typical width of 0.5 – 2.5 r_{ci} or 2 – 8 c/ω_{pi} . MGS and MEX filled in more details to the Martian shock study, with close-in magnetic field data (Acuña et al., 1998) and plasma measurements around the planet (Fränz et al., 2007).

120 Since 2014, the Mars Volatile Evolution (MAVEN) mission (Jakosky et al., 2015)
 121 is providing simultaneous high-time resolution magnetic field and plasma measurements
 122 with an unprecedented coverage of the Martian space environment. Several works have
 123 already made use of MAVEN’s capabilities to enrich our understanding of the Martian
 124 shock and its upstream phenomena (e.g., Meziane et al., 2017, 2019; Mazelle et al., 2018).
 125 In particular, Madanian et al. (2020) study of the shock’s non-stationarity refers to the
 126 Martian substructures, though without any specifics about the identification criteria or
 127 their characterization. Therefore, a complete characterization of the Q_{\perp} supercritical
 128 shock structure remains. The aim of this study is to provide an in-depth analysis of the
 129 Martian Q_{\perp} shock structure using MAVEN dataset to optimize its characterization in
 130 spite of the limitations imposed by single-spacecraft observations, the shock’s non-stationarity
 131 and the colocation of ULF waves. This is the first time all three supercritical substructures
 132 are characterized for the Martian shock, especially assuming a moving shock front.
 133 Moreover, we applied a detailed methodology for data processing and set clear criteria
 134 for the substructures identification, something that can be unclear in some previous works
 135 (Mazelle et al., 2010).

136 The paper is structured as follows. MAVEN on-board instruments are described
 137 in section 2, and the methodology is introduced in section 3. We follow with the obser-
 138 vations and results in section 4, and in section 5 we present the final remarks and con-
 139 clusions.

140 2 MAVEN On-board Instruments

141 Our study of the Martian shock Q_{\perp} structure is based on magnetic field and plasma
 142 data from MAVEN fluxgate magnetometer (MAG) (Connerney et al., 2015a, 2015b), the
 143 Solar Wind Ion Analyzer (SWIA) (Halekas et al., 2015, 2017) and the Solar Wind Elec-
 144 tron Analyzer (SWEA) (Mitchell et al., 2016).

145 MAG is a dual fluxgate magnetometer that samples the ambient magnetic field vec-
 146 tor with a time resolutions of up to 32 Hz, a 0.008 nT resolution and an minimum ac-
 147 curacy of 0.05%. We used the Mars Solar Orbital (MSO) system of coordinates, where
 148 the X-axis points sunward, the Y-axis is anti-parallel to the planet’s orbital motion, and
 149 the Z-axis completes the right-hand triad.

150 SWEA is a hemispheric electrostatic analyzer designed to measure the energy and
 151 angular distribution of electrons in the 3-4600 eV energy range, with a resolution of 17%
 152 ($\Delta E/E$) and a maximum cadence of 2 s. It swipes almost all 4π of solid angle with a
 153 22.5° angular resolution in the azimuth direction and 20° along the direction of the el-
 154 evation angle. As MAVEN is a 3-axis stabilized spacecraft, the $360^{\circ} \times 7^{\circ}$ field of view
 155 is broaden up to $360^{\circ} \times 120^{\circ}$ by the use of electrostatic deflectors, covering 87% of the
 156 sky.

157 SWIA is a hemispheric electrostatic analyzer with cylindrical symmetry that pro-
 158 vides high cadence measurements of solar wind ion velocity distributions between 5-25000
 159 eV, with energy resolution of 14.5%. It has an active angular field of $360^{\circ} \times 90^{\circ}$ with
 160 a resolution of $3.75^{\circ} \times 4.5^{\circ}$ sun-ward and $22.5^{\circ} \times 22.5^{\circ}$ in all other directions, and al-
 161 lows a $\pm 45^{\circ}$ aperture along the elevation angle by the use of electrostatic deflectors. SWIA
 162 returns fine (SWIFA) and coarse (SWICA) 3-D velocity distribution function moments
 163 and spectra, as well as on-board computed measurements.

164 The fine and coarse data products cannot be used indistinctly and must be care-
 165 fully considered depending on the plasma region being studied to avoid inaccurate mea-
 166 surements (Halekas et al., 2017). SWIFA has a narrow field of view (FOV) that covers
 167 a limited angular range around the peak of the ion distribution and allows to properly
 168 resolve the collimated SW beam before the shock. SWICA has a wide FOV better suited
 169 to measure the shocked plasma in the magnetosheath, which has a wider phase distri-

170 bution. Also, on-board computed quantities are not always reliable. Their computation
 171 depends on the automated telemetry mode selection that determines which data prod-
 172 ucts are combined. The on-board data near telemetry switches (that are common near
 173 the shock transition) must be considered with caution as they can introduce non-physical
 174 discontinuities.

175 In the SW and magnetosheath regions, protons constitute a 90% of the ion popu-
 176 lation. The rest corresponds to heavier ions, of which alpha particles provide the most
 177 significant contribution. The trace presence of alpha particles barely affects the calcu-
 178 lation of the density and velocity moments, but they do artificially increase the temper-
 179 ature moment (Halekas et al., 2017). To obtain a correct proton temperature, the alpha
 180 particles are removed from the ion distribution by introducing an upper energy bound
 181 separating the protons from alpha particles. This threshold energy is identified upstream
 182 with fine measurements. Downstream from the shock, the different ions contributions
 183 mix up and an upper limit of the total ion temperature can be estimated from the coarse
 184 data.

185 3 Methodology

186 The identification of the shock foot, ramp and overshoot in the time series is based
 187 on the multi-spacecraft analysis by Mazelle et al. (2010) and Mazelle and Lembège (2020).
 188 Following this work, we determine a temporal error bar (defined by an outer and inner
 189 edge) to mark the beginning of a substructure, and another temporal error bar to mark
 190 its end. In particular, the end of the foot matches the start of the ramp, and the end of
 191 the ramp matches the start of the overshoot. This delimitation is first done by visual
 192 inspection and later refined by an automated algorithm. The methodology is also sim-
 193 ilar to that used in Achilleos et al. (2006).

194 For the foot start, high and lower resolution magnetic field data are used to iso-
 195 late the foot signature from the quasi-monochromatic upstream wave field. In the ob-
 196 servational analysis, this was done by identifying two features: (1) an unambiguous in-
 197 crease in the upstream background field strength (indicative of the plasma compression
 198 at the shock), and (2) the loss of coherence of the upstream waves (as they collocate with
 199 the shock structure and shock derived instabilities). The automated algorithm accounts
 200 for these traces by identifying the times when the magnetic field magnitude and com-
 201 ponents surpass the upstream asymptotic values B_u and B_{x_iu} , respectively, in a 4σ level.
 202 The earliest time defines the outer edge of the error bar and the latest, the inner edge.
 203 The 4σ level reference is considered representative of the field variation due to the shock's
 204 compression. This modification from the 3σ level proposed by Mazelle et al. (2010), ac-
 205 counts for a higher variability upstream of the shock, given the presence of high ampli-
 206 tude waves.

207 For the overshoot end, the observational references to mark the outer and inner edges
 208 are: (1) the end of the highest amplitude perturbations that constitute the first and main
 209 overshoot, and (2) the inflection point towards the first undershoot. Working with dif-
 210 ferent time resolution data is useful to filter the upstream waves that go through the shock
 211 and mix with the lower-resolution overshoot structure. The refining algorithm searches
 212 for the times when the magnetic field magnitude falls below the $\pm 5\%$ level from the nom-
 213 inal downstream value B_d . As the downstream region is more variable, a 5% variation
 214 is considered enough to account for the deviation from the asymptotic field representa-
 215 tive of the overshoot boost. This criterion, similar to that used at Earth, is thought equally
 216 useful for the Martian shock as long as the overlapping of high-amplitude upstream waves
 217 does not interfere with the search condition (i.e. if the algorithm works on filtered or av-
 218 eraged data).

219 For the ramp, the initial delimitation considers a time interval that contains the
 220 transition from foot to overshoot through a (in-average) monotonic ascending curve of
 221 the background magnetic field magnitude. To properly resolve the ramp, it is crucial to
 222 work with the highest resolution data available, as the sudden shock jump means a lower
 223 density of data points. To refine the end error bar, an algorithm searches for the times
 224 when the magnetic field magnitude surpasses the downstream asymptotic value B_d in
 225 $\pm 5\%$. As this also delimits the start of the overshoot, it is meant to be consistent with
 226 the reference that was set to mark the overshoot end. A second algorithm finds the best
 227 linear regression of the data points contained within the initial start error bar and the
 228 already-refined end error bar, allowing for a variation of the fitting interval within these
 229 limits. The time interval associated with the linear fit with the highest adjusted r-square
 230 (and fitting at least 4 data points) is used to refine either the outer or the inner edge of
 231 the start error bar, as well as the outer or inner edge of the end error bar.

232 Once the temporal widths of the substructures are determined in the MAVEN time
 233 series, their ‘real’ thicknesses can be obtained by estimating the shock speed relative to
 234 the spacecraft. Within the limitations of a single-spacecraft mission, the shock speed is
 235 assumed to be constant as a step further from the static bow shock boundary assump-
 236 tion (e.g., Tatrallyay et al., 1997). We followed Gosling and Thomsen (1985) to estimate
 237 the speed of the shock by combining the observations of the foot’s traversal time and an
 238 analytical expression for its thickness. This analytical expression is based on the calcu-
 239 lation of the full particle trajectory, and associates the foot width to the distanced covered
 240 in the turnaround time. The method assumes that the same speed applies to the
 241 whole shock structure, thus providing the shock speed along its normal.

242 4 Observations and Results

243 4.1 Dec 25, 2014 event

244 We analyzed the structure of the Martian shock as seen by the MAVEN spacecraft
 245 on December 25, 2014, around the shock crossing at 9:49:10 UTC and a solar zenith angle
 246 $SZA = 85^\circ$. Figure 1 shows time series of MAVEN MAG, SWIA and SWEA data
 247 around the shock crossing as the spacecraft dives into the Martian magnetosphere. All
 248 vector magnitudes are represented in MSO coordinates.

249 We used fully-calibrated, Level 2 SWIFA and SWICA ion moments to compute up-
 250 stream and downstream parameters, respectively, and plotted both SWIFA and SWICA
 251 moments upstream from the shock for comparison. The upstream ion temperatures are
 252 computed from the core proton distributions, avoiding the effect due to the presence of
 253 alpha particles. To isolate the core proton population, we only considered the ion dis-
 254 tribution in the 300 - 1000 eV energy range. Downstream, the temperatures are calcu-
 255 lated from the full ion distributions using SWICA measurements. The ion densities and
 256 velocities also correspond to the full ion distribution (from SWIFA upstream and SWICA
 257 downstream). Here, alpha particle contribution is negligible, therefore the core proton
 258 distribution is representative of the total ion population.

259 Electron moments need also to be processed carefully. In particular, they need to
 260 be corrected for the spacecraft potential (Mitchell et al., 2016). For this event, the space-
 261 craft potential was not specified in the MAVEN data repository. Therefore, we set an
 262 upstream potential value of 1 eV and downstream value of 5 eV, so as to satisfy quasi-
 263 neutrality of the plasma. The resulting electron temperature is shown on Figure 1.

264 In the figure, we see the shock transition is characterized by an increase of the ion
 265 and electron densities resulted from the plasma compression. There is also an increase
 266 in the plasma temperature and in the flux of suprathermal electrons, as the particles heat
 267 up converting their kinetic energy into heat and decreasing the mean plasma speed. The
 268 latter is evident in the deceleration of the SW ions, that indicates the plasma transition

269 into a sub-magnetosonic regime to allow the flow to change its direction and divert around
 270 the planet (as seen in the change in SW ion velocity components). In the bottom pan-
 271 els (that show MAG data at 32 Hz and 1 Hz resolution, and averaged every ~ 30 s with
 272 moving averages) two shock features appear distinctively. First, the sudden increase of
 273 the IMF strength typical of fast magnetosonic shocks (e.g., Burgess, 1995), where low
 274 magnetic diffusion (or high conductivity) means the SW flow carries the magnetic field
 275 lines with it. Second, the presence of primary and secondary overshoots underneath the
 276 wave field that evidence the presence of kinetic mechanisms of energy dissipation that
 277 attempt to (partially) thermalize the plasma downstream. These substructures, in ad-
 278 dition to the ramp and the foot (more visible in higher resolution data) are character-
 279 istic attributes of supercritical Q_{\perp} shocks.

280 **4.1.1 Plasma and Field Parameters**

281 In order to characterize the shock's initial and final plasma states, we selected up-
 282 stream and downstream time intervals by visual inspection with the following criteria:
 283 (1) the intervals should be as temporally close as possible to the shock transition (to se-
 284 lect asymptotic regions of the same shock layer and avoid effects due to the significant
 285 curvature of the Martian shock and inhomogeneities of the plasma and field environment);
 286 (2) they should show a relatively small variability on the macroscopic plasma paramet-
 287 ers; (3) they should exclude the shock and its substructures; and (4) they should be wide
 288 enough to provide representative average parameters (e.g., to make the ULF upstream
 289 wavefields cancel out), without extending too far from the shock. Our methodology aligns
 290 with the criteria of Horbury et al. (2002).

291 The selected upstream and downstream intervals for this shock crossing are 9:45:07-
 292 9:48:41 and 9:56:31-10:01:42 UTC respectively (shaded areas in Figure 1). The corre-
 293 sponding average plasma and field parameters are summarized in Table 1 and are com-
 294 parable with the ones reported by Gruesbeck et al. (2018) for this same shock crossing.
 295 The average ion velocities shown on the table and used in the remaining of this work were
 296 calculated from the Level 2 on-board SWIA velocity moment, which reported good quality-
 297 flags in the selected intervals (Halekas et al., 2017) and showed no significant differences
 298 with the corresponding mean values calculated from the fine and coarse products in the
 299 upstream and downstream intervals, respectively. The rest of the ion and electron av-
 300 erage moments were derived from the corresponding time series illustrated in Figure 1
 301 for the selected intervals.

302 Based on these results, we characterized the incoming SW by calculating additional
 303 fundamental parameters. We obtained a cone angle between the upstream magnetic field
 304 and ion velocity $\alpha_{cone} = 56^{\circ}$. For the upstream Alfvén speed we used the expression
 305 $V_A = B_u / \sqrt{\mu_0 \rho_u}$, with $\rho_u = m_p n_{pu} + 4m_p n_{\alpha u}$ the ion upstream mass-density, and ob-
 306 tained $V_A = 37.8$ km/s. Though the density of alpha particles is generally low, it can
 307 be significant when computing quantities that depend on the total ion mass density. How-
 308 ever, for this particular event the density of He^{++} was lower than 0.05% and made no
 309 significant contribution to V_A . The upstream sound speed, estimated as $\sqrt{(T_e + 2T_i)/m_p}$,
 310 yields $V_{cs} = 39.2$ km/s. The upstream fast magnetosonic speed $\sqrt{V_A^2 + V_{cs}^2}$, is $V_f =$
 311 54.5 km/s.

312 The normal vector to the shock crossing $\hat{N} = (0.71, 0.36, -0.60)$ was estimated
 313 as an average of the vectors derived from the coplanarity mixed-modes (Schwartz, 1998)
 314 and the re-adjusted geometric bow shock model (Vignes et al., 2000), which we found
 315 to be the best normal vector estimations in comparison with the Magnetic Coplanarity
 316 Normal (Schwartz, 1998) and the Minimum Variance Analysis (Sonnerup & Scheible, 1998).
 317 This shock normal has an angular uncertainty of 8° and forms a shock normal angle $\theta_{B_u N} =$
 318 $(78 \pm 3)^{\circ}$. We used this vector to obtain the shock Mach numbers $M_{cs} = 6.0$, $M_A =$
 319 6.2 and $M_f = 4.3$, which clearly indicate the shock is in a supercritical regime.

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4.1.2 Identification of the Foot, Ramp and Overshoot

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Figure 2 (a) shows magnetic field data around the outer edge of the shock and at the foot. The four bottom panels show MAG high time resolution data, where it is hard to identify the start of the foot signature because of the presence of upstream waves at the local proton cyclotron frequency. The following upper panel shows the magnetic field residuals δB (of 1 s resolution) after subtracting the moving average magnetic field strength B , with time windows of 20, 30 and 40 s (that is, multiples of the upstream proton cyclotron period). At the top panel we show the spectrogram of the B_z component superimposed with the instantaneous proton cyclotron frequency.

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The initial (visual) delimitation of the foot start error bar is given by its outer and inner limits (FS1e and FS2e) which follow the methodology in section 3. The signature shock compression of the IMF is observed as an increase in the magnetic field strength and as a baseline shift on the residual curves of B for the different averaging time windows. On the other hand, the disruption of the quasi-monochromatic behavior of the upstream waves can be seen on the broadening of the frequency spectrum (overlooking the poorer time resolution). Upstream from the shock, the strongest spectral densities mainly concentrate around the ~ 0.1 Hz of the upstream proton cyclotron frequency. But as the foot edge is approached, we see not only contributions from the ~ 2 Hz wave packets (possibly resulted from a dispersion at the steepened fronts of the upstream waves), but also from other frequencies. The broadening of the spectrum becomes more evident around the inner edge. There is also an increase in the electron density, that becomes more evident as MAVEN moves deeper into the foot structure. For the automated delimitation, the algorithm worked on the high-resolution magnetic field data, allowing for a 2 s margin outside the initial error bar. The x_{MSO} field component did not contribute to the refinement of the time limits, as it did not satisfy the search condition. The final foot start error bar is delimited by solid lines on Figure 2 (a), with FS1a the final outer edge and FS2a the final inner edge.

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Figure 2 (b) shows the delimitation of the overshoot end on magnetic field strength at 32 Hz resolution, 1 Hz resolution, and averaged every 20 and 40 s, magnetic field components at 1 Hz resolution, and electron fluxes. The initial outer and inner limits are noted OE1e and OE2e, respectively. As the overshoots have longer apparent timescales than the upstream waves period in the spacecraft frame, they are more identifiable in lower time resolution data. For this reason (and as explained in section 3), the automated algorithm was set to work on the magnetic field magnitude averaged every 2 cyclotron periods (20 s for this crossing) so as to avoid the effect of the upstream waves that go through the shock while still not over-softening the profile. A 10 s margin outside the initial error bar was allowed. If we had worked with the highest resolution data instead, the higher frequency oscillations would have dominated and rapidly saturated the search. The final error bar is marked with solid lines on Figure 2 (b), with OE1a the final outer edge and OE2a the final inner edge.

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The ramp delimitation is shown in Figure 2 (c). The initial error bars is given by the first pair of dashed lines, with RS1e the outer edge and RS2e the inner edge; and the initial ramp end is given by the second pair of dashed lines, with RE1e the outer edge and RE2e the inner edge. The final start error bar is delimited by the first pair of solid lines, with RS1a the outer edge and RS2a the inner edge. RS1a was obtained by finding the measured data point closest to RS1e, and RS2a is given by the beginning of the interval that allows for the best linear fit of the data points. The final end error bar is marked by the second pair of solid lines, with RE1a the outer edge and RE2a the inner edge. RE1a was marked at the time when the field reaches the $-5\%B_d$ level, and RE2a is given by the end of the best fitting interval.

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All of the time limits are detailed in Table 2 in UTC. With these, we defined the start and end times of each substructure by taking the midpoints of each error bar, set-

372 ting the foot start at 9:48:49.8 \pm 0.9 s; the ramp start at 9:49:09.99 \pm 0.03 s; the ramp
 373 end at 9:49:10.11 \pm 0.03 s; and the overshoot end at 9:50:32 \pm 7 s. This times define the
 374 temporal widths shown on Table 3. In addition, we calculated the overshoot normalized
 375 amplitude as $(B_{max}-B_d)/B_d$, resulting in a 25 % increase over the downstream nom-
 376 inal value. To measure B_{max} we used the averaged magnetic field strength, sweeping from
 377 10 s to 60 s time windows (1 to 6 upstream proton cyclotron period) until we measured
 378 a stable value. This way we avoided the effect of the high amplitude wave field (Mellott
 379 & Livesey, 1987; Tatrallyay et al., 1997).

380 4.1.3 Shock Speed and Spatial Length-scales

381 The shock velocity relative to the spacecraft and along the shock normal \hat{N} (see
 382 section 4.1.1) was estimated from the method described in Gosling and Thomsen (1985),
 383 as indicated in section 3. To somehow account for the self-reforming nature of the Q \perp
 384 supercritical shock, we computed a range of shock speeds considering different stages of
 385 foot formation. The full temporal width was used to calculate the speed for a 100% de-
 386 veloped foot, and fractions of this width were used to compute the speed at lower for-
 387 mation stages. Then, the experimental foot widths were calculated in this velocity range
 388 and compared with the upper limit set by the analytical prediction of the model. For
 389 this crossing, we have an upper limit of 0.64 r_{ci} (where r_{ci} is the upstream local proton
 390 convected gyroradius given in Table 1).

391 Only foot width values below the theoretical limit were kept (as the specular re-
 392 flection model is already an overestimation, Gosling & Thomsen, 1985). This meant only
 393 widths associated with a 99% to 100% formation stages remained, with shock velocities
 394 ranging from 15.4 km/s to 15.2 km/s. A low shock speed was expected, considering multi-
 395 spacecraft Earth studies by Meziane et al. (2014, 2015) that report a maximum of the
 396 velocity probability density function close to a few km/s in the absence of SW transients
 397 like dynamic pressure pulses. This was confirmed by the observation of steady space weather
 398 conditions in consecutive orbits, with no evidence of any short-term effect that could mean
 399 a significant increase in the dynamic pressure or EUV radiation (Modolo et al., 2006; Meziane
 400 et al., 2014, 2015; Hall et al., 2016; Gruesbeck et al., 2018). In addition, our calculated
 401 shock speeds are comparable with the \sim 5 km/s estimation reported by Madanian et
 402 al. (2020) for a Martian shock. Though their shock is an order of magnitude slower than
 403 ours, both are still in a low speed regime.

404 Within the remaining shock speed values, we computed a range of widths for all
 405 three substructures. Considering the variations between the minimum and maximum val-
 406 ues obtained, we calculated a final estimation for the foot, ramp and overshoot thick-
 407 nesses summarized in Table 3. The relative sizes of each substructure can be seen in Fig-
 408 ure 3, where we show the spatial magnetic field profile in different physically relevant length-
 409 scales.

410 We measured a completely developed foot smaller than the upstream local Larmor
 411 radius, which is compatible with the specularly reflected model of foot formation. Our
 412 results are similar to Earth studies by Mazelle and Lembège (2020) , who show that the
 413 foot width often falls under Woods (1971) turnaround distance of 0.68 r_{ci} for strictly per-
 414 pendicular shocks with normal incidence SW. However, this is not a strict upper bound
 415 for all shock geometries, as Gosling and Thomsen (1985) analytical foot width predic-
 416 tion can yield values greater than 0.68 r_{ci} when there is departure from strictly perpen-
 417 dicular geometry.

418 The observed ramp width agrees with Earth studies by Mazelle et al. (2010), falling
 419 under their reported most probable values with ramp thicknesses below 5 c/ω_{pe} . It is
 420 also in agreement with Giagkiozis et al. (2017), who reported a (3.4 ± 1.4) c/ω_{pe} ramp
 421 for a Venusian shock. Our work further supports that the shock ramp of Q \perp supercrit-
 422 ical shocks has a thickness of a few electron inertial lengths, and not of the order of the

ion inertia length (Russell & Greenstadt, 1979; Scudder et al., 1986; Bale et al., 2005; Achilleos et al., 2006; Newbury & Russell, 1996).

As for the overshoot, results are compatible with Earth observations by Mellott and Livesey (1987), who reported overshoots with most probable thicknesses between 1 and $3 r_{ci}$, as well as with previous studies on Mars by Tatrallyay et al. (1997), who considered a static Martian bow shock and reported overshoot widths between 0.5 to $2.5 r_{ci}$. The similarities with Tatrallyay et al. (1997) results for a static shock layer could be related to the low speed of the Martian shock for the case reported here.

4.2 Jan 4, 2015 event

We analyzed a second case study on January 4, 2015, with a shock crossing at 3:18:26 UTC and $SZA = 69^\circ$. The selected upstream and downstream intervals are 3:13:34.7 - 3:17:43.5 UTC and 3:25:50 - 3:27:40 UTC, respectively. These regions are shaded in Figure 4, where an alternative potential downstream interval is also shown further inside the magnetosheath, between 3:28:34.6 - 3:34:50.0 UTC. Between these two, we decided for the earliest interval, as the fields values already seem to plateau and the closeness to the shock jump is critical to guarantee the best downstream state description of the plasma transformed at the observed shock layer.

Table 1 summarizes the average upstream and downstream plasma and field parameters. To isolate the core proton distribution to compute the upstream ion temperature, we limited to the energy range between 250 - 2100 eV. In addition, we obtained a cone angle $\alpha_{cone} = 67^\circ$, and an upstream Alfvén, sound, and fast magnetosonic speeds $V_A = 76$ km/s, $V_{cs} = 68$ km/s and $V_f = 105$ km/s. Alpha particles constitute 2% of the total ion number density. This translates into a $\sim 10\%$ contribution to the total ion mass density, which lowers the Alfvén speed in about 4 km/s from the value obtained with the core protons only. The shock normal vector is $\hat{N} = (0.736, 0.362, -0.568)$, which has a 10° uncertainty and forms a shock normal angle $\theta_{B_u N} = (81 \pm 3)^\circ$. This vector was used to compute the shock's Mach numbers that are $M_A = 4.7$, $M_{cs} = 5.3$ and $M_f = 3.4$, indicating a supercritical plasma regime.

The substructures delimitation in the time series is shown on Figure 5 and the time limits are detailed in Table 2. These times define a foot start at 3:17:52.2 ± 0.1 s; a ramp start at 3:18:24.1 ± 0.8 s; a ramp end at 3:18:27.88 ± 0.09 s; and an overshoot end at 2:20:43 ± 7 s. The temporal and spatial widths are shown on Table 3 and the relative sizes are shown in Figure 3. The spatial widths were obtained for a shock speed around 20 km/s and a theoretical foot width upper limit of $0.695 r_{ci}$ (Gosling & Thomsen, 1985). These results are similar to those obtained for the first event. In particular, we see an example of how the foot thickness is not limited by Woods (1971) $0.68 r_{ci}$ turnaround distance, since θ_{B_n} is not exactly 90° and $\theta_{V_n} \neq 0^\circ$. The ramp is wider than that from the previous shock crossing but is still less than half the ion inertial length. Moreover, the estimated overshoot width supports our choice of the asymptotic downstream region closer to the shock jump, and the subsequent delimitation of the overshoot end error bar in the time series.

5 Final Remarks and Conclusions

In this work we report on the identification and first complete characterization of the Martian quasi-perpendicular supercritical substructures assuming a constant-velocity moving shock front, using MAVEN plasma and magnetic field data. We not only present new results in the characterization of the Martian shock structure, but we also provide a meticulous analysis methodology that stresses the importance on the correct processing of MAVEN data, and the clarity and consistency of the criteria used in the data selection and analysis. We pay special attention to the determination of the entry to the

472 ion foot and the identification of the main and secondary overshoots, where the presence
 473 of the ULF waves (generated from the pick-up of exospheric ions) could mean an erro-
 474 neous identification of these shock features. We also attempt to somehow account for the
 475 non-stationarity and reformation of the shock, even with the limitations of a single space-
 476 craft mission, by computing a range of local shock speeds to obtain the substructures
 477 spatial widths from the timeseries.

478 We have found that, despite the particular nature of the Martian plasma environ-
 479 ment, the structure of supercritical quasi-perpendicular shocks is in many ways compa-
 480 rable with that of the Terrestrial shock, which presents a substantially different solar wind
 481 – planet interaction. We observed a shock foot smaller than the upstream proton con-
 482 vected gyroradius, compatible with the model of specular reflection of foot formation (Gosling
 483 & Thomsen, 1985) and Earth observations by Mazelle and Lembège (2020). We found
 484 that the shock ramp is typically very narrow, of the order of a few electron inertial lengths,
 485 which agrees with studies on the Terrestrial (Mazelle et al., 2010) and Venusian shocks
 486 (Giagkiozis et al., 2017), and further supports that the ramp of supercritical quasi-perpendicular
 487 shocks is smaller than the ion inertial length (Russell & Greenstadt, 1979; Scudder et
 488 al., 1986; Bale et al., 2005; Achilleos et al., 2006; Newbury & Russell, 1996). Moreover,
 489 we observed an overshoot of a few proton convected gyroradii, as reported for the Earth
 490 bow shock by Mellott and Livesey (1987) and previous studies of the Martian shock un-
 491 der the assumption of a static boundary (Tatallyay et al., 1997).

492 The similarities with the Earth show that the core solar wind protons dynamic seems
 493 to play the major role on the Martian shock structure despite the small size of the bound-
 494 ary. However, the narrower magnetosheath does mean these kinetic effects are less ef-
 495 fective in the plasma thermalization. Downstream from the shock the plasma does not
 496 fully thermalize, even with the presence of other sources of free energy like the ULF waves,
 497 which provide a wave - particle interaction that one could think would contribute to the
 498 energy dissipation. However, they do not seem to be significantly efficient to modify the
 499 shock structure, though they do make it considerably more complex to separate one from
 500 the other.

501 This raises the question if the main differences in the Martian environment (small
 502 size, large curvature, mass-loading, pick-up of exospheric ions) have any influence on the
 503 supercritical substructures at all, or if there is some intrinsic nature for this type of shocks
 504 when it comes to their characteristic length-scales. However, to fully answer this ques-
 505 tion we must extend this analysis to other shock crossings and gain insight into the sta-
 506 tistical variations. This is the scope of a future work.

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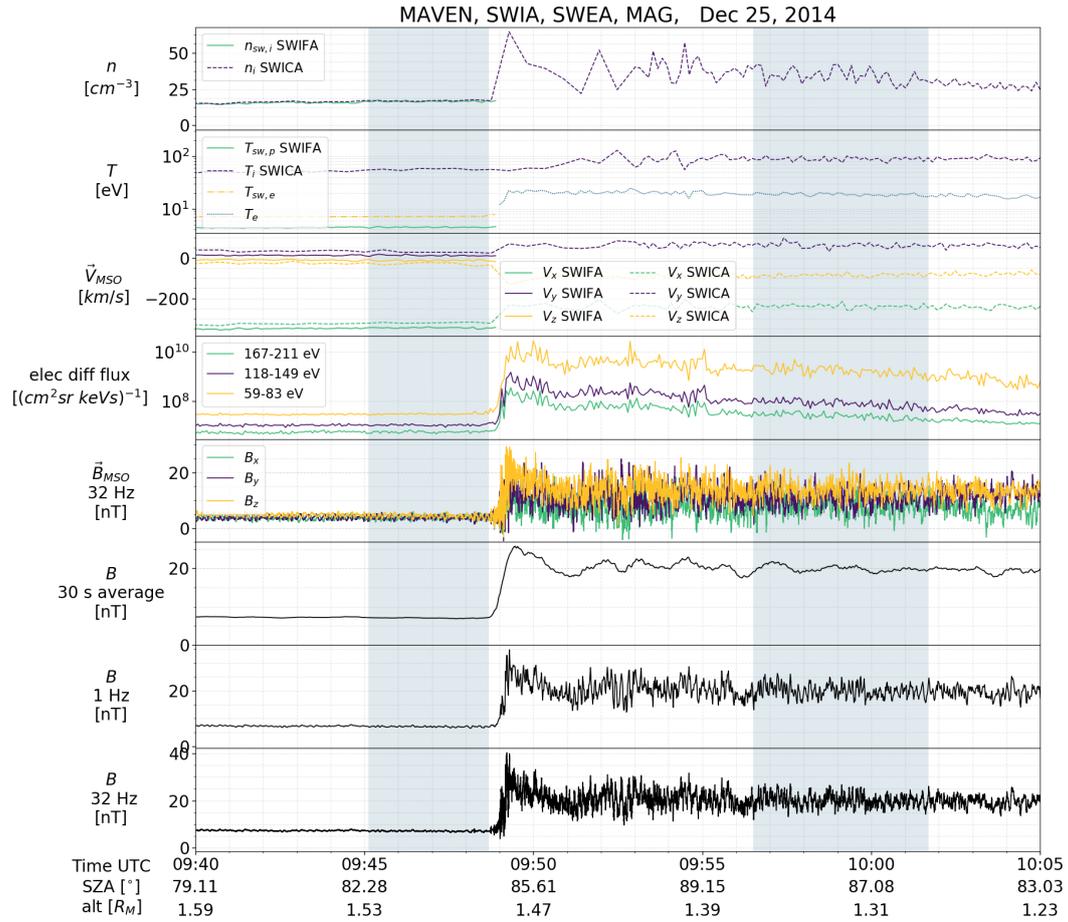


Figure 1. The Martian shock as seen by MAVEN MAG, SWIA and SWEA on December 25, 2014. Shaded intervals correspond to the upstream and downstream regions.

Table 1. Plasma and field parameters calculated in the selected upstream and downstream intervals of each shock crossing. Vector quantities are given in MSO coordinates. ω_{ci} is the proton cyclotron frequency, τ_{ci} the proton cyclotron period, c/ω_{pe} and c/ω_{pi} are the electron and ion inertial lengths, and $r_{ci} = |V_i|/\omega_{ci}$ is the local proton convected gyroradius.

	Dec 25, 2014		Jan 4, 2015	
	Upstream	Downstream	Upstream	Downstream
	9:45:07 - 9:48:41 UTC	9:56:31 - 10:01:42 UTC	3:13:34.7 - 3:17:43.5 UTC	3:25:50.0 - 3:27:40.0 UTC
$\mathbf{B}_{X_{MSO}}$ [nT]	3.9 ± 0.7	8 ± 3	-1.8 ± 0.5	-2 ± 1
$\mathbf{B}_{Y_{MSO}}$ [nT]	3.8 ± 0.7	11 ± 3	5.0 ± 0.4	-16.3 ± 0.9
$\mathbf{B}_{Z_{MSO}}$ [nT]	4.4 ± 0.7	14 ± 3	-0.6 ± 0.7	6 ± 1
$ \mathbf{B} $ [nT]	7.1 ± 0.2	20 ± 3	5.5 ± 0.2	18 ± 1
$\mathbf{V}_{i,X_{MSO}}$ [km/s]	-345 ± 2	-242 ± 10	-501 ± 5	-295 ± 13
$\mathbf{V}_{i,Y_{MSO}}$ [km/s]	12 ± 3	63 ± 11	35 ± 8	121 ± 11
$\mathbf{V}_{i,Z_{MSO}}$ [km/s]	-12 ± 3	-85 ± 7	6 ± 6	-141 ± 14
$ \mathbf{V}_i $ [km/s]	346 ± 2	264 ± 10	503 ± 5	349 ± 16
T_i [eV]	4.4 ± 0.1	89 ± 7	17.5 ± 0.9	169 ± 18
T_e [eV]	7	19	13.5 ± 0.4	43 ± 3
n_i [cm^{-3}]	16.6 ± 0.5	34 ± 5	2.2 ± 0.1	4.1 ± 0.4
n_e [cm^{-3}]	15.3 ± 0.3	33 ± 5	2.06 ± 0.06	7 ± 1
β_p	0.60	3	0.53	0.9
β_e	0.97	0.65	0.40	0.23
ω_{ci} [rad/s]	0.68 ± 0.02	1.9 ± 0.2	0.52 ± 0.02	1.69 ± 0.09
τ_{ci} [s]	9.3 ± 0.3	3.3 ± 0.4	12.0 ± 0.5	3.7 ± 0.2
r_{ci} [km]	511 ± 16	138 ± 18	962 ± 38	207 ± 15
c/ω_{pe} [km]	1.30 ± 0.02	0.91 ± 0.06	3.6 ± 0.1	2.6 ± 0.1
c/ω_{pi} [km]	55.9 ± 0.8	39 ± 3	153 ± 5	112 ± 5

Dec 25, 2014

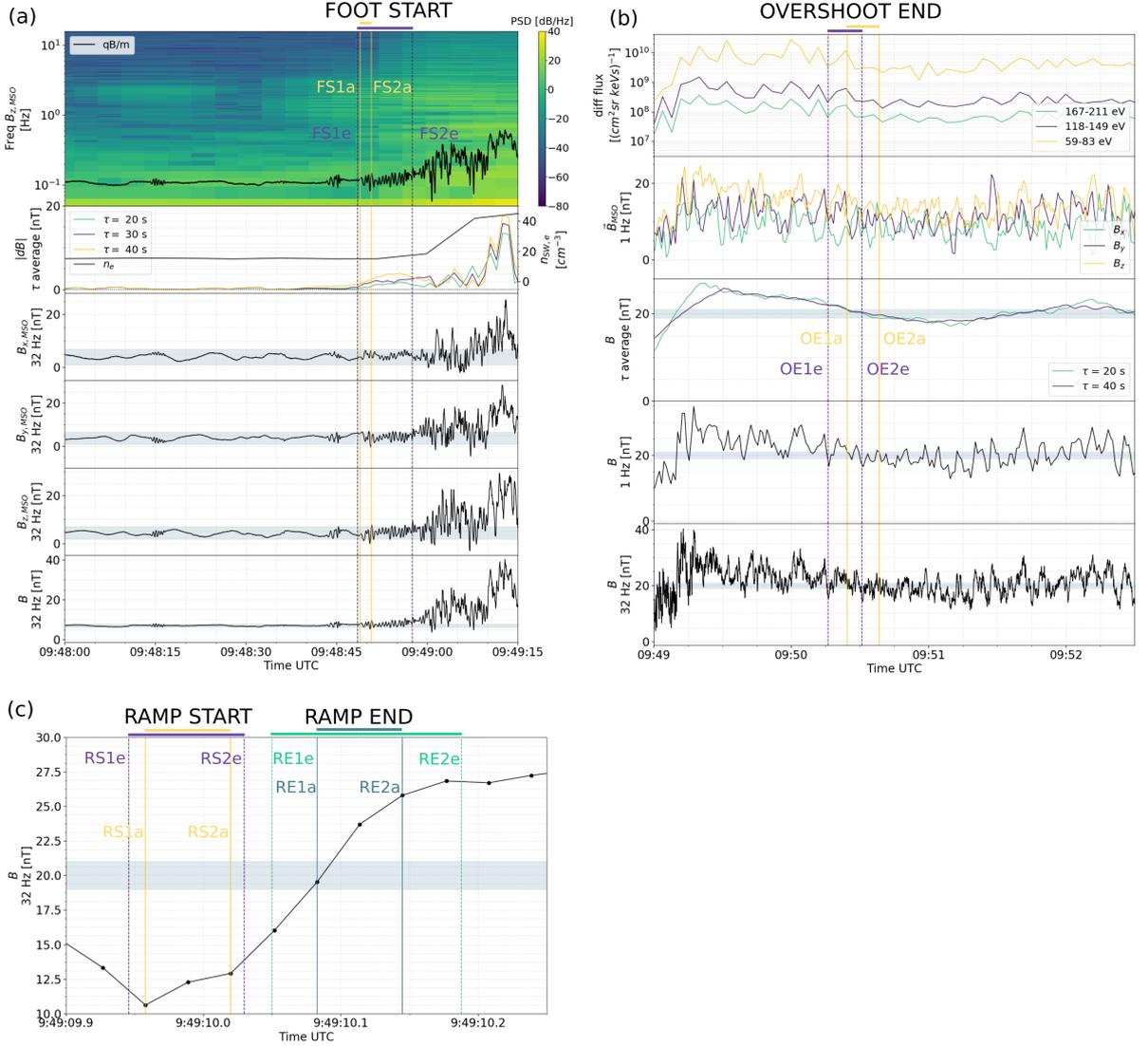


Figure 2. Substructures delimitation for the December 25, 2014 event. (a) Foot start. FS1e and FS2e are the foot start outer and inner edges selected by eye. FS1a and FS2a are the outer and inner edges selected with the automated algorithm. The shaded areas mark a $\pm 4\sigma$ variation from the mean upstream field values. (b) Overshoot end. OE1e and OE2e are the overshoot end outer and inner edges selected by eye. OE1a and OE2a are the outer and inner edges selected with the automated algorithm. The shaded areas mark a $\pm 5\% B_d$ margin, where B_d is the downstream averaged field. (c) Ramp start and ramp end. RS1e and RS2e are the ramp start outer and inner edges selected by eye, and RE1e and RE2e are the ramp end outer and inner edges selected by eye. RS1a and RS2a are the ramp start outer and inner edges selected by the automated algorithm, and RE1a and RE2a are the ramp end outer and inner edges selected by the automated algorithms.

Table 2. Time limits, in UTC, for the visually- and automated-delimited start and end error bars of each substructure.

	Dec 25, 2014						Jan 4, 2015					
	visual		automated		visual		automated		visual		automated	
	outer edge	inner edge	outer edge	inner edge	outer edge	inner edge	outer edge	inner edge	outer edge	inner edge	outer edge	inner edge
foot start	9:48:48.5	9:48:57.5	9:48:48.9	9:49:50.8	3:17:51.1	3:17:56.5	3:17:52.1	3:17:52.3				
ramp start/foot end	9:49:09.946	9:49:10.02978	9:49:09.958	9:49:10.020	3:18:23.3	3:18:25.6	3:18:23.312	3:18:24.969				
ramp end/overshoot start	9:49:10.050	9:49:10.188	9:49:10.083	9:49:10.145	3:18:26.83	3:18:30.015	3:18:27.781	3:18:27.969				
overshoot end	9:50:16.1	9:50:31.0	9:50:24.5	9:50:38.5	3:20:08.9	3:20:50.3	3:20:36.5	3:20:50.3				

Table 3. Temporal and spatial widths of each substructure.

	Dec 25, 2014			Jan 4, 2015		
width	foot	ramp	overshoot	foot	ramp	overshoot
temporal	20 ± 1 s	0.13 ± 0.06 s	81 ± 7 s	31.9 ± 0.9 s	3.7 ± 0.9 s	136 ± 7 s
km	308 ± 16	2 ± 1	1244 ± 113	636 ± 22	74 ± 19	2695 ± 152
physical scales	$(0.60 \pm 0.04) r_{ci}$	$(1.5 \pm 0.7) c/\omega_{pe}$	$(2.4 \pm 0.2) r_{ci}$	$(0.66 \pm 0.03) r_{ci}$	$(21 \pm 5) c/\omega_{pe}$	$(2.8 \pm 0.2) r_{ci}$

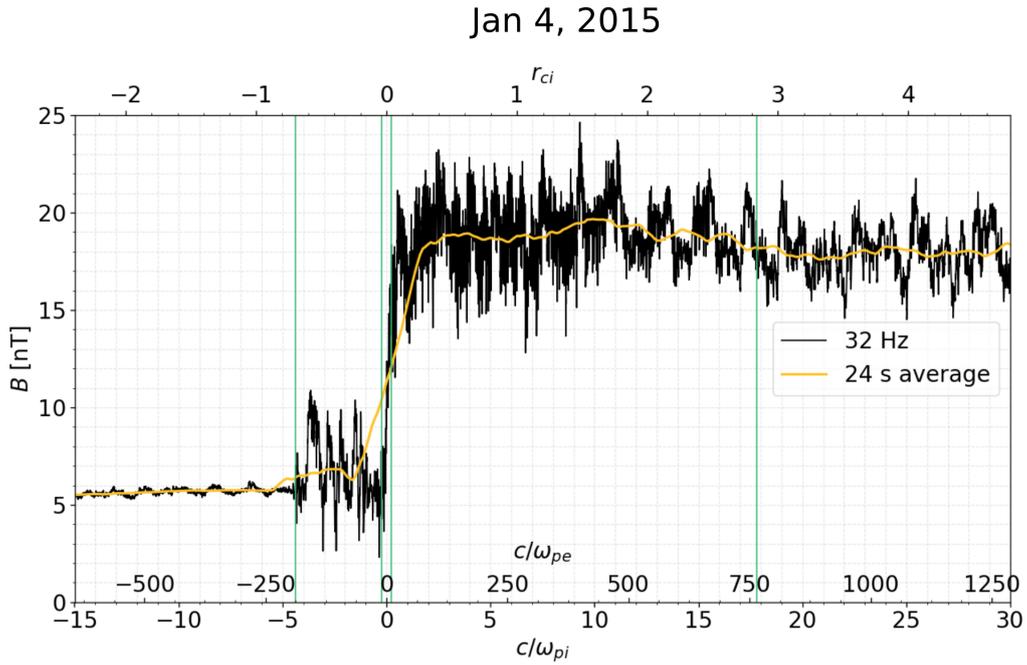
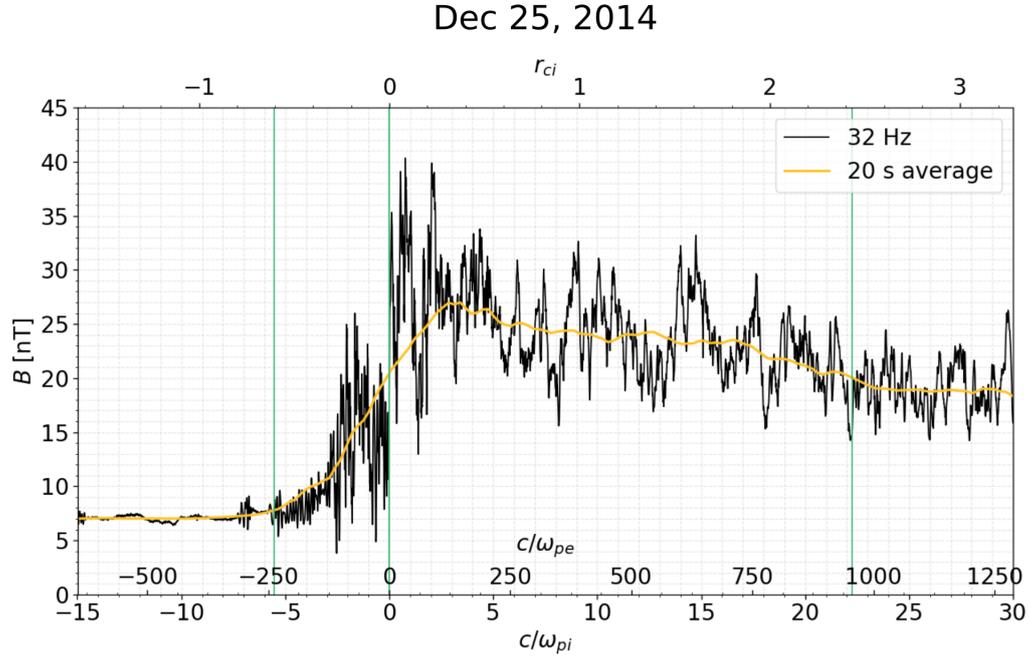


Figure 3. Spatial magnetic field profiles along the shock normal, in units of the upstream proton inertial length c/ω_{pi} , the upstream electron inertial length c/ω_{pe} , and the upstream proton convected gyroradius r_{ci} . Vertical lines delimit the foot, ramp and overshoot.

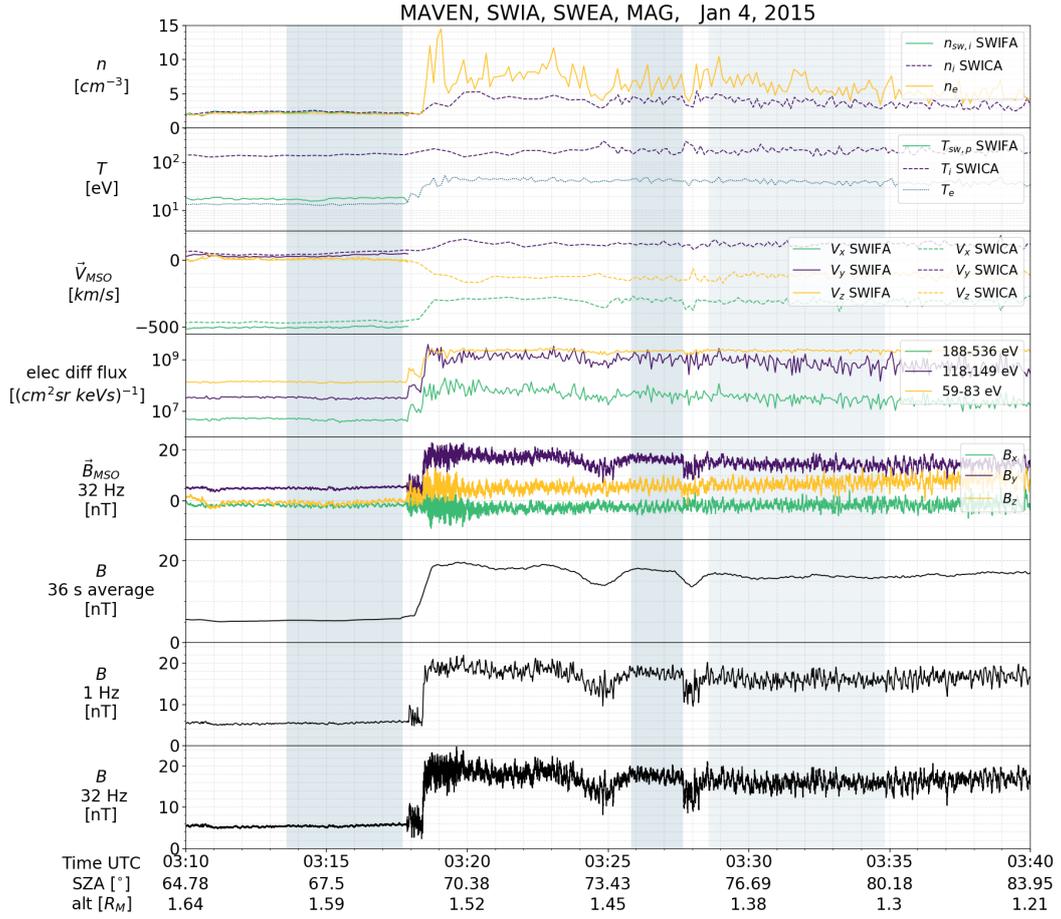


Figure 4. The Martian shock as seen by MAVEN MAG, SWIA and SWEA on January 4, 2015. Shaded intervals correspond to the upstream and downstream regions, where two potential downstream intervals are showcased.

Jan 4, 2015

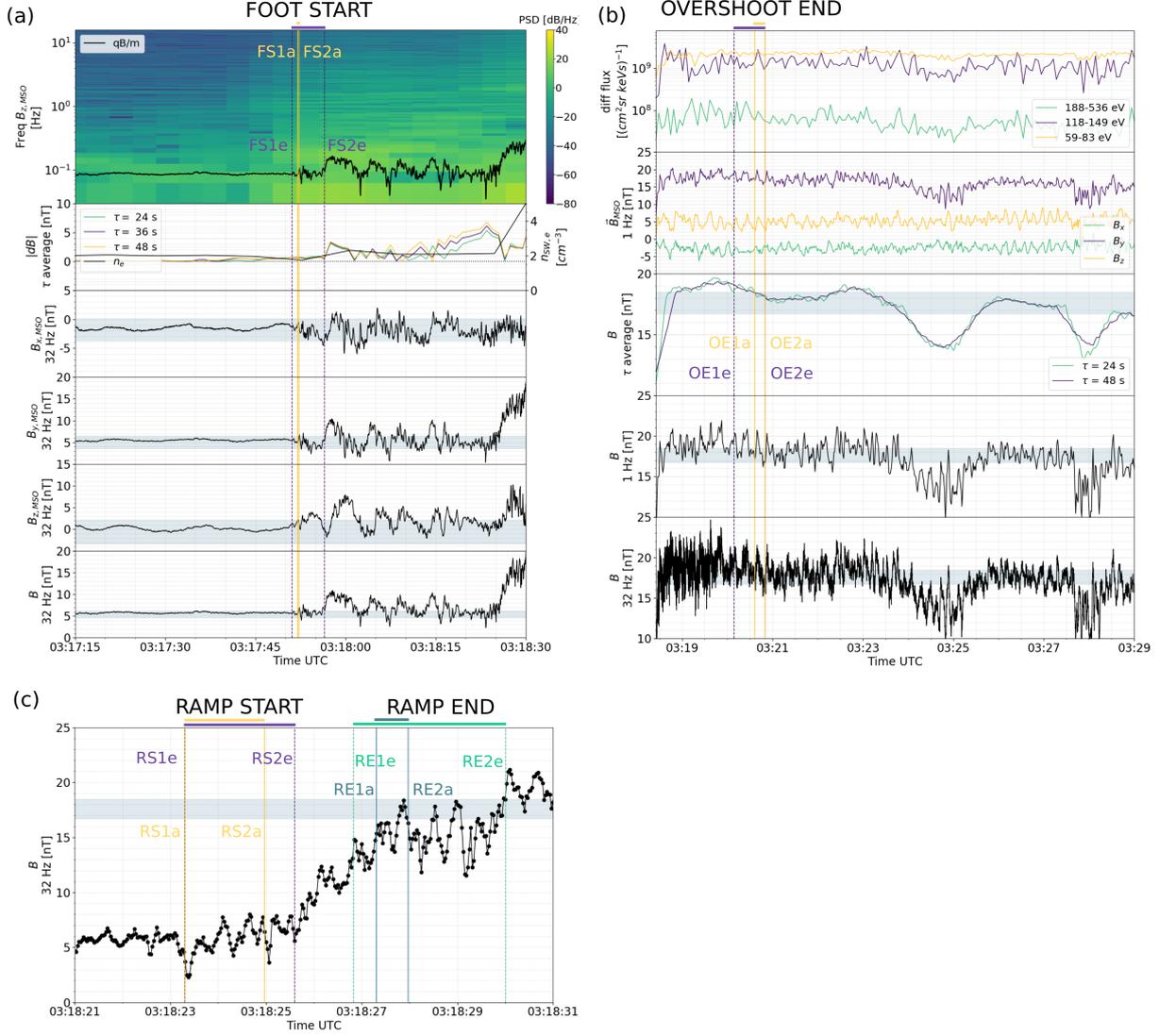


Figure 5. Substructures delimitation for the January 4, 2015 event. (a) Foot start. FS1e and FS2e are the foot start outer and inner edges, respectively, selected by eye. FS1a and FS2a are the outer and inner edges selected with the automated algorithm. The shaded areas mark a $\pm 4\sigma$ variation from the mean upstream field values. (b) Overshoot end. OE1e and OE2e are the overshoot end outer and inner edges selected by eye. OE1a and OE2a are the outer and inner edges selected with the automated algorithm. The shaded areas mark a $\pm 5\% B_d$ margin, where B_d is the downstream averaged field. (c) Ramp start and ramp end. RS1e and RS2e are the ramp start outer and inner edges selected by eye, and RE1e and RE2e are the ramp end outer and inner edges selected by eye. RS1a and RS2a are the ramp start outer and inner edges selected by the automated algorithm, and RE1a and RE2a are the ramp end outer and inner edges selected by the automated algorithms.