Climb of jogs as a rate-limiting process of screw dislocations motion in olivine dislocation creep

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Abstract

Dislocation recovery experiments were conducted on pre-deformed olivine single crystals at temperatures of 1,450 to 1,760 K, room pressure, and oxygen partial pressures near the Ni-NiO buffer to determine the annihilation rates constants for [001] (010) edge dislocations. The obtained rate constants were comparable with those of previously determined [001] screw dislocations. The activation energies for the motion of both dislocations are identical. This suggests that the motion of screw dislocations in olivine is not controlled by cross-slip but by the same rate-limiting process of the motion of edge dislocation, i.e. climb, at low-stress and high-temperature conditions. The diffusivity derived from dislocation climb indicates that dislocation recovery is controlled by pipe diffusion. The conventional climb controlled model for olivine can be applied to the motions of not only edge but also screw dislocations. The softness of the asthenosphere cannot be explained by the cross-slip controlled olivine dislocation creep.

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2 dislocation creep

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11 Abstract

Dislocation recovery experiments were conducted on predeformed olivine single crystals at 12 temperatures of 1,450 to 1,760 K, room pressure, and oxygen partial pressures near the Ni-NiO 13 buffer to determine the annihilation rate constants for [001](010) edge dislocations. The obtained 14 rate constants were found to be comparable to those of previously determined [001] screw 15 16 dislocations. The activation energies for the motion of both dislocations are identical. This result 17 suggests that the motion of screw dislocations in olivine is not controlled by cross-slip but by the 18 same rate-limiting process of the motion of edge dislocations, i.e., climb, under low-stress, high-19 temperature conditions. The diffusivity derived from dislocation climb indicates that dislocation 20 recovery is controlled by Si pipe diffusion, rather than Si lattice diffusion. Our results suggest that 21 the conventional climb-controlled model for olivine can be applied to motions of not only edge but 22 also screw dislocations. Therefore, the previous proposed cross-slip model cannot explain the 23 softness of asthenosphere. The diffusivity derived from dislocation climb indicates that dislocation recovery is controlled by pipe diffusion. The conventional climb-controlled model for olivine can 24 25 be applied to the motions of not only edge but also serew dislocations. The softness of the asthenosphere cannot be explained by cross-slip controlled olivine dislocation creep. 26

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28 Keywords: dislocation recovery, dislocation creep, temperature dependence, climb controlled29 model, asthenosphere

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31 Introduction

Geophysical observations regarding geoid (e.g., Hager, 1991) and postglacial rebound (e.g.,
Peltier, 1998) have suggested that a soft asthenosphere underlies a rigid lithosphere. Geodynamic
modeling (e.g., Becker, 2017; Craig and McKenzie, 1986) have also suggested the same conclusion.

35 The reason for the presence of soft asthenosphere is under debate. Although the simplest explanation cites a weakening of materials due to high temperatures, the results of deformation 36 experiments conducted on dry peridotite implied that high temperatures are insufficient to explain 37 the softness of the asthenosphere (Hirth and Kohlstedt, 2003). Although aA popular explanation 38 refers to the hydrous weakening of olivine (e.g., Mackwell et al., 1985; Hirth and Kohlstedt, 2003). 39 However, this has been refuted by recent Si self-diffusion experiments (Fei et al., 2016; Fei et al., 40 2013) based on the assumption that dislocation creep is controlled by diffusion. Another possible 41 explanation was proposed by Poirier and Vergobbi (1978). The authors suggested that if the cross-42 slip of dissociated screw dislocations controls olivine dislocation creep, the estimated upper-mantle 43 44 viscosity would be one order of magnitude lower than that predicted by the climb-controlled model in a stress range from 10 to 100 bar. This property may explain the softness of the asthenosphere. 45 However, no experimental study has tested this hypothesis. 46

Neither diffusion nor deformation experiments can identify the rate-limiting process of 47 48 motions of screw dislocations. Diffusion does not involve motions of dislocations. Although it is theoretically possible to determine the rate-limiting process of dislocation motions by examining the 49 stress dependence of creep rates (e.g., Hirth and Kohlstedt, 2003), the stress ranges applied in 50 51 deformation experiments are too narrow. The conventionally used stress exponent of 3.5 for dislocation creep implies a pipe diffusion-controlled mechanism (Hirth and Kohlstedt, 2003, 2015). 52 53 However, such experiments have a stress range only from 100 to 224 MPa. On the other hand, Kohlstedt and Goetze (1974) found that the stress exponent increases with increasing stress. Poirier 54 (1985, P.139) found that the stress exponent of olivine single crystal dislocation creep varies from 55 2.6 to 3.7 in different studies. 56

57	In the present study, we conducted dislocation recovery experiments on [001](010) edge
58	dislocations and compared the results with those of [001](010) screw dislocations given by Wang et
59	al. (2016). During recovery, dislocations move on (glide) and out of the slip plane (climb, cross-
60	slip) successively under the influence of internal stress. Therefore, the activation energy determined
61	by this method represents that of the rate-limiting process of dislocation motions. Although the
62	model developed by Poirier and Vergobbi (1978) iwas based on [100] screw dislocations, the
63	important point in their model is the dissociation, rather than Burgers vector of dislocations.
64	Because dissociation of [001] screw dislocations have been confirmed in olivine (Vander Sande and
65	Kohlstedt, 1976), [001] screw dislocation can be used to test this hypothesis. In addition, most of
66	[100] dislocationsthese have an edge character at temperatures of less than 1350 °C (Bai and
67	Kohlstedt, 1992; Wang et al., 2016). On the other handwhile, [001] dislocations has similar density
68	of edge and screw components (Wang et al., 2016). the similar density of edge and serew
69	dislocations in the [001](010) slip system (Wang et al., 2016) This indicates the equivalent
70	importance of both types of dislocations in this slip system. Therefore, we focus on this the [001]
71	(010) slip system in this study (hereafter called c -dislocations).

73 Experimental Procedure

The same Pakistan olivine and sample preparation procedures as those of Wang et al. (2016) were employed in this study. The composition of olivine was reported by Gose et al. (2010). The experimental setup used is similar to that used in Wang et al. (2016). The olivine single crystal was oriented by X-ray diffraction and electron backscattered diffraction (EBSD) and then placed in the cell assembly such that the [001] direction and (010) plan were parallel to the shear direction andplane, respectively.

80 Dislocations with the [001] Burgers vector on the (010) plane were produced by experimental 81 deformation using a Kawai-type multianvil apparatus at the University of Bayreuth. The sample assembly was first pressurized to 3 GPa with a press load of 3.6 MN and then heated to a 82 temperature of 1,600 K and held for 15 min to sinter crushable alumina. After this, the assembly 83 84 was further compressed to a press load of 3.9 MN for 15 min to deform the sample. After 85 deformation, the sample was guenched by switching off the heating power and then decompressed to room pressure for more than 16 hours. Transmission electronic microscopy (TEM) results 86 presented by Wang et al. (2016) found the [001](010) slip system to be successfully activated and 87 dominant using this procedure. The ratio of screw to edge dislocations was 3:2 as reported by Wang 88 89 et al. (2016).

The deformed olivine crystals were cut into eight cubic pieces and paired into four groups, in which the two pieces in each group shared a common (100) plane. One piece from each pair was used to determine the initial dislocation density while the other was used to determine dislocation density after annealing. The annealing experiments were conducted at ambient pressure and temperatures of 1,460 to 1,760 K for 35 min to 24 hours using a gas mixing furnace. The oxygen partial pressure was controlled at 10⁻⁶-10⁻⁸ MPa, which is near the Ni-NiO buffer, using a CO-CO₂ gas mixture. Table 1 summarizes the conditions of the annealing experiments.

Dislocations were observed using the oxidation decoration technique (Kohlstedt et al., 1976,
Karato 1987). Corresponding areas away from subgrain boundaries on the common (100) plane in
initial and annealed pieces of the same group were observed to determine the change in dislocation

density before and after annealing. Although dislocations exist mainly as loops in crystals, the high 100 lattice friction in the [001](010) slip system makes the screw and edge components nearly straight 101 102 in this slip system (Bai and Kohlstedt 1992, sample deformed in [011], orientation, Wang et al., 2016, *c*-deformed sample). This enable us to distinguish the characters of dislocations by using line 103 geometry of dislocations (Ogawa and Karato, 1989). Since [001](010) edge dislocations elongate in 104 the [100] direction, these dislocations show dots contrasted on the (100) plane in backscattered 105 images after decoration. The number of dots per unit area was counted as the dislocation density. 106 Annihilation rate constants were calculated via second-order dislocation recovery kinetics 107

108 (Karato and Ogawa, 1982; Kohlstedt et al., 1980; Wang et al., 2016)

109
$$k = \frac{\frac{1}{\rho_f} - \frac{1}{\rho_i}}{t},$$
 (2)

110 where ρ_f and ρ_i are the dislocation densities after and before annealing, respectively, and *t* is the 111 annealing time. Due to the thermally activated process, the dislocation annihilation rate constant is 112 assumed to follow the Arrhenius relationship:

113
$$k = k_0 \exp\left(\frac{-E}{RT}\right)$$
(3)

114 where k_0 is a constant, *E* is the activation energy of dislocation annihilation, *T* is temperature, and *R* 115 is the gas constant.

116

117 Results

Table 1 shows experimental results together with the annealing conditions. Dislocation density in the samples before deformation is less than 0.0004 μ m⁻², which is negligible in comparison to the dislocation density after deformation (Table 1). Figure 1 a and b shows back-scattered electron images of decorated dislocations in corresponding areas in the samples from the same pair before and after annealing, respectively. *c*-screw dislocations appear as lines and *c*-edge dislocations appear as dots on the (100) plane due to their geometries. A decrease in dislocation density was observed by comparing the images before and after annealing. The water content in the samples before and after annealing was below the detection limit of infrared spectroscopy. The transmission electron microscope images of the dislocation structures after deformation are given in Fig. 4 in Wang et al. (2016).

Figure 1c plots the logarithmic rate constants of c-edge dislocation annihilation against the 128 reciprocal temperature. The results from the previous dislocation recovery experiments on *c*-screw 129 dislocations (Wang et al., 2016) and of other studies on dislocation recovery kinetics are also plotted 130 in this figure. The dislocation annihilation rate constants of *c*-edge and *c*-screw dislocations are 131 comparable, but those of the *c*-screw are about half an order of magnitude higher than those of the 132 c-edge. The temperature dependences for these two dislocations are identical. Their activation 133 energies are $E_{\text{c-edge}} = 400 \pm 20 \text{ kJ/mol}$ and $E_{\text{c-screw}} = 400 \pm 30 \text{ kJ/mol}$ for the *c*-edge and *c*-screw, 134 135 respectively.

136

137 Discussion

The identical activation energies of annihilation rate constants of the *c*-edge and *c*-screw dislocations indicate that the motions of both dislocations are controlled by the same mechanism.
Although many transport properties of olivine exhibit activation energies of 300 to 500 kJ/mol (e.g., Dohmen et al., 2002, 529 ± 41 kJ/mol for silicon self-diffusion, 338 ± 14 kJ/mol for oxygen self-diffusion), they are distinct from those determined in this study (see also the slope in Fig. 3 and

references therein). The high accuracy of activation energies obtained in previous studies and thepresent one allows us to distinguish the rate-limiting mechanisms of different processes.

The motion of edge dislocations is controlled by climb at high temperatures and low stresses 145 146 (e.g., Hull and Bacon, 2001; Kohlstedt, 2006). However, the motion of a pure screw dislocation does not involve climb because screw segments have no specific slip plane (Hull and Bacon, 2001). 147 Since jogs in screw dislocations have an edge character, we propose that the motion of screw 148 149 dislocation is controlled by the climb of jogs (Fig. 2). A screw dislocation can form a jog by crossslips to overcome obstacles that it meets during glide (Fig. 2A and 2B). The slip plane of the jog is 150 defined by its dislocation line (J) and the Burgers vector (b), which is indicated by the yellow plane. 151 The parent screw dislocation glides in the y direction, and therefore the jog needs to climb in the y152 direction to move along with its parental dislocation so that the screw dislocation can go through the 153 obstacle (Fig. 2C). This climb of jogs should serve as the rate-limiting process of screw dislocation 154 motions. 155

156 It should be noted that although the climb of edge dislocation and jog motion of screw 157 dislocation are essentially the same, the density of climbing parts on edge dislocations and that of 158 jogs on screw dislocations may be different, creating differences in the magnitudes of rate 159 constants. Thus, only the slope in the Arrhenius plot can serve as a fingerprint of the essential 160 mechanism of rate-limiting processes in dislocation recovery experiments.

161 Since climb is controlled by diffusion, the diffusivities derived from annihilation rate constant 162 D^R (based on Karato and Ogawan, 1989) were compared with those of silicon and oxygen diffusion 163 in olivine (Fig. 3). None of these data fit D^R well. Instead, D^R falls between silicon lattice and grain 164 boundary diffusivities. This result indicates that the dislocation climb in olivine may be controlled

165	by pipe diffusion. Vacancies, dislocations and grain boundaries are 0-, 1-, and 2-dimensional
166	defects, respectively, the structure distortion near these defects should increase consequently and
167	accordingly the associated Si diffusivity should increase. In addition, the activation energy of D^R
168	obtained in this study is between those of Si lattice (540 kJ/mol, Dohmen et al., 2002) and grain
169	boundary diffusion (~200 kJ/mol, Fei et al., 2015). This result is also consistent with the hypothesis
170	that pipe diffusion controls dislocation climb (Hirth and Kohlstedt, 2015). Although there are no
171	data for pipe diffusion in olivine, the fact that the diffusion coefficient and activation energy of pipe
172	diffusion fall between those of lattice and grain boundary diffusion is well established for oxides
173	(Frost and Ashby, 1983, Table 12.1). The low activation energy of oxygen lattice diffusion (~340 kJ/
174	mol, Dohmen et al., 2002) rules out the possibility that oxygen diffusion controls dislocation climb.
175	

176 Implications

Our results suggested that the conventional climb model can be used to dislocation motions in 177 olivine regardless of dislocation characters. Although only [001] dislocation is studied in this study, 178 the conclusion can be applied to dislocations with different Burgers vectors in olivine. The cross-179 180 slip model requires the recombination of dissociated screw dislocations. If the dissociation distance 181 between two partial dislocations is large, the recombination is difficult. In this case, the cross-slip of 182 screw dislocations can be a rate-limiting process (Poirier, 1976). Previous study (Vander Sande and 183 Kohlstedt, 1976) has revealed that the dissociation distances of [001] and [100] dislocation are 184 similar (~4 nm). Therefore, cross-slip cannot be the rate-limiting process for both [100] and [001] dislocations judging from present study. Although dissociation of [010] dislocations has been 185

186 reported (Fujino et al., 1993), its low abundance makes its effect on olivine dislocation creep less
 187 important.

It has been proposed that The observation that screw dislocation motion in olivine is controlled 188 189 by climb of jogs indicates that the softness of the asthenosphere <u>can_cannot</u> be attributed to the cross-slip controlled dislocation creep of olivine (Poirier and Vergobbi, 1978). Other factors, such 190 as melt and water, could explain the softness of asthenosphere (Hirth and Kohlstedt, 2003). 191 192 Although this explanation is refuted by Si lattice diffusion (Fei et al., 2013), our results indicate that dislocation climb in olivine is controlled by pipe rather than lattice diffusion under dry conditions. 193 Further study on the water effect on dislocation recovery could reconcile the discrepancy between 194 195 deformation and diffusion experiments results.

196 However, this hypothesis has never been tested. The present study demonstrates that the 197 motion of [001] screw dislocations is controlled by the climb of jogs rather than cross-slip, suggesting that the cross-slip model is not applicable for such dislocations in olivine. Although the 198 eross-slip model is based on [100] dislocations, study of the [001](010) slip system is more relevant 199 200 to asthenosphere conditions. Dislocation structure analyses indicate that most [100](010) dislocations have an edge character (Bai and Kohlstedt, 1992, Wang et al., 2016), indicating that 201 olivine dislocation creep cannot be controlled by motions of [100] screw dislocation. On the other 202 203 hand, the similar density (Wang et al., 2016) of edge and serew dislocations in the [001](010) slip system indicates that both kinds of dislocations are important. Moreover, deformation experiments 204 (e.g., Raterron et al., 2007) suggest that this slip system dominates at high pressures Therefore, we 205 206 conclude that the cross-slip of screw dislocations cannot control the dislocation creep of olivine and

accordingly cannot explain the softness of asthenosphere. The climb-controlled model can be used 207 in olivine dislocation creep regardless of dislocation characters. 208 The viscosity of the asthenosphere is extrapolated from dry olivine creep data using a climb 209 210 model is orders of magnitude higher than the estimated value drawn through geophysical 211 observation (Hirth and Kohlstedt 2003). The hydrous weakening of olivine has been proposed to explain this discrepancy (e.g., Mackwell et al., 1985; Hirth and Kohlstedt, 2003), but this has been 212 213 refuted by recent Si diffusion experiments (Fei et al., 2016; Fei et al., 2013). However, this study indicates that pipe diffusion rather than lattice or grain boundary diffusion may control the 214 dislocation motions. This conclusion may explain the discrepant results of deformation and 215 diffusion experiments. Further studies on the effect of water on dislocation recovery or pipe 216 diffusion in olivine are needed to identify the effect of water on olivine rheology and to better 217 explain the softness of the asthenosphere. 218 219 220 221 222 223 Acknowledgments 224 We thank H. Fischer and R. Njul of BGI for the sample and for assembly preparation. This research was supported through DFG grants to TK (KA3434-3/1, KA3434-3/2, KA3434-7/1 and 225 226 KA3434-8/1) and with the annual budget of BGI. All data used in this paper are given in Table 1 227 and plotted in Fig. 1c and have been archived at Earth and Space Science Open Archive 228 doi.org/10.1002/essoar.10501470.1.

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304 Figure and table captions

Figure 1. BEIs showing the dislocation density (a) before and (b) after annealing at 1760 K for 35 min. The images were taken on the (100) plane. Screw and edge dislocations are shown as lines and dots, respectively, due to the geometries of their dislocation lines. The yellow scale bar denotes 2 μ m. (c) Logarithmic dislocation annihilation rate constants of *c*-edge dislocations versus reciprocal temperature. The annihilation rate constants of *c*-screw dislocations from Wang et al. (2016) are plotted together. The activation energies for both dislocations are identical, i.e., 400 kJ/mol. Previous results on dislocation recovery are also plotted for comparison.

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Figure 2. A schematic diagram showing the jog-climb controlled motion of a screw dislocation. (a) 314 315 The screw dislocation (blue line) is elongated in the x direction, which is parallel to its Burgers 316 vector **b**, and glides in the y direction. The blue dot represents the obstacle that the screw dislocation 317 meets during glide. (b) A jog (red segment) elongated in the z direction is produced on the screw 318 dislocation to overcome the obstacle. This jog has an edge nature with the same Burgers vector \boldsymbol{b} as that of the parental screw dislocation. The yellow area indicates the glide plane of the jog, which is 319 normal to the y direction. (c) The jog has to climb out of its glide plane to move along with its 320 321 parental screw dislocation.

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Figure 3. Logarithmic diffusivity derived from dislocation annihilation rate constants of *c*-edge and *c*-screw dislocations versus reciprocal temperature. Si and O lattice and grain boundary diffusivities are plotted together.

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- 327

328 Table 1. Summary of the experimental conditions and results.

- Table 1. Summary of the experimental conditions and results*.

[001](010) edge dislocation									
Sample	Т	Annealing	$\log(f_{O_2}, 10^5 \mathrm{Pa})$	$\rho_i (\mu m^{-2})$	$\rho_f(\mu m^{-2})$	$\log(k, \mathrm{m}^2\mathrm{s}^{-1})$			
	(K)	time (h)		. ,					
Z1643-1	1763	0.58	-4.9	1.60±0.13	0.29±0.01	-14.87±0.03			
				0.97±0.13	0.22±0.01	-14.77±0.03			
Z1643-2	1673	2.5	-5.7	1.49±0.04	0.36±0.06	-15.63±0.09			
				1.13±0.12	0.31±0.03	-15.58±0.05			
Z1643-3	1473	24	-7.7	1.33±0.15	0.73±0.05	-17.14±0.09			
				0.35±0.03	0.29±0.01	-17.22±0.27			

* different ρ_i and ρ_f values of each sample correspond to different areas

Figure 1.









